

# Fission Dynamics 2026

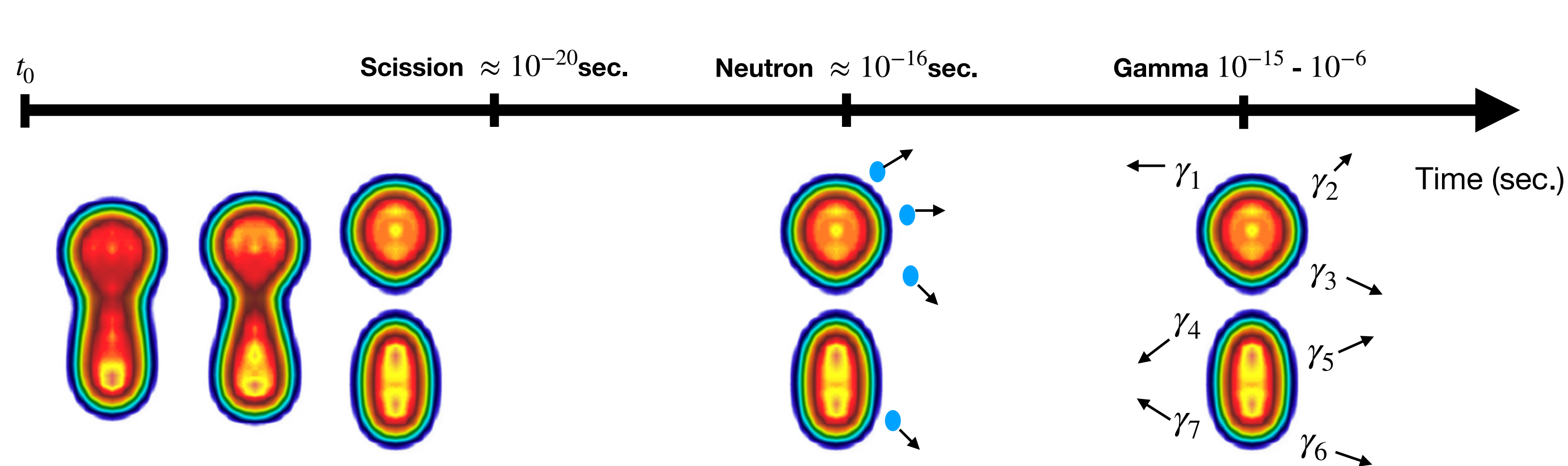
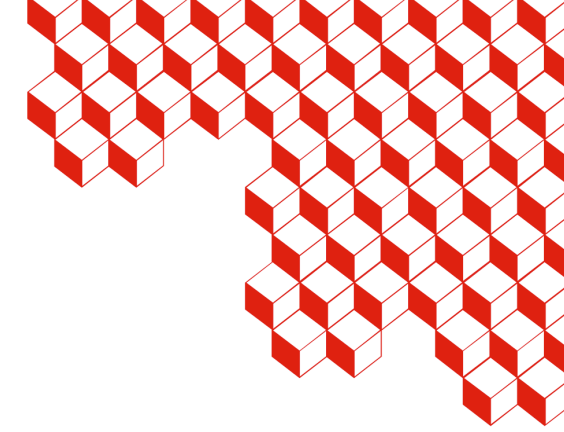
May 11-15, 2026  
Chongqing - China

## Fission Fragments' Properties from the Neutronless Channel in $^{252}\text{Cf}(sf)$

L. Gaudefroy - CEA/Saclay

A. Francheteau, G. Scamps, O. Roig, V. Méot, A. Ebran, J.F. Lemaître, S. Hilaire

# Studying the decay of the fragments?



A. Bulgac et al., PRL 116, 122504 (2016)

Fission numbers for  $^{252}\text{Cf}$

$$\bar{Q} \sim 218 \text{ MeV}$$

$$\overline{\text{TKE}} = 184 \text{ MeV}$$

$$\overline{\text{TXE}} = \bar{Q} - \overline{\text{TKE}} \sim 34 \text{ MeV}$$

$$\bar{E}_n = \bar{\nu} * (\bar{B}_n + \bar{\eta}) = 27 \text{ MeV}$$

$$\bar{M}_\gamma = 8.4 \gamma / \text{fis}$$

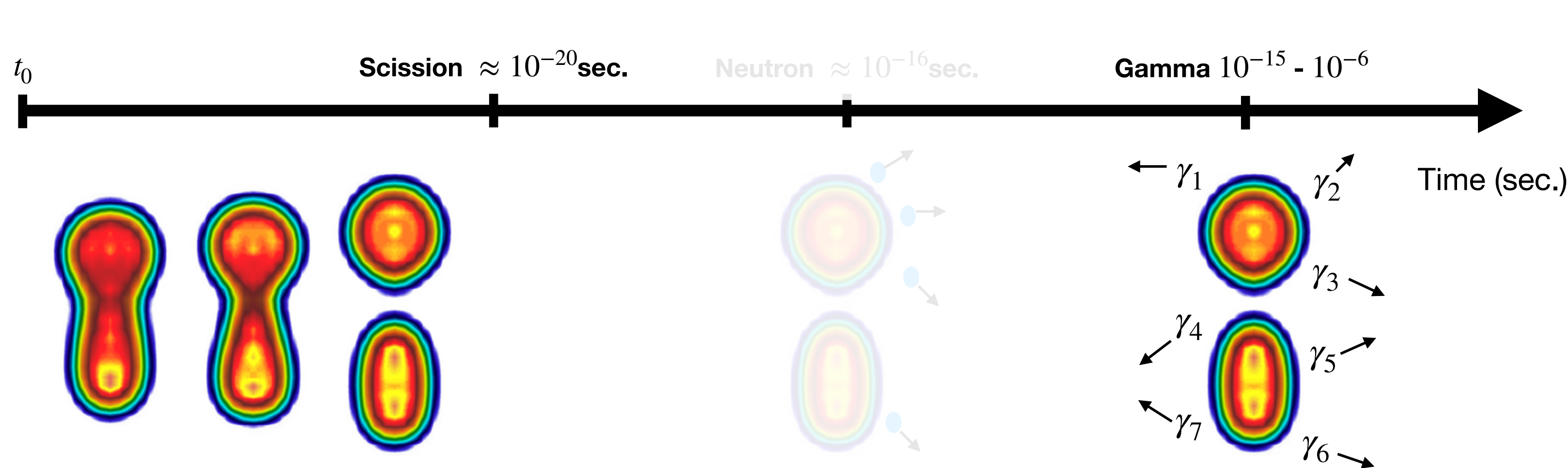
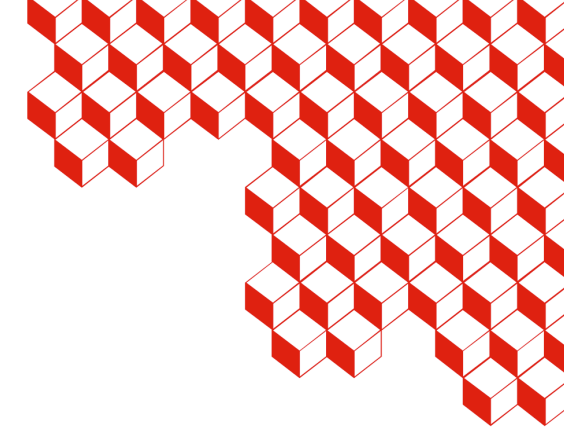
$$\bar{J}_l + \bar{J}_H \sim 10-15 \hbar$$

An experimental challenge to :

Identify the fragments

Correctly measure their decay

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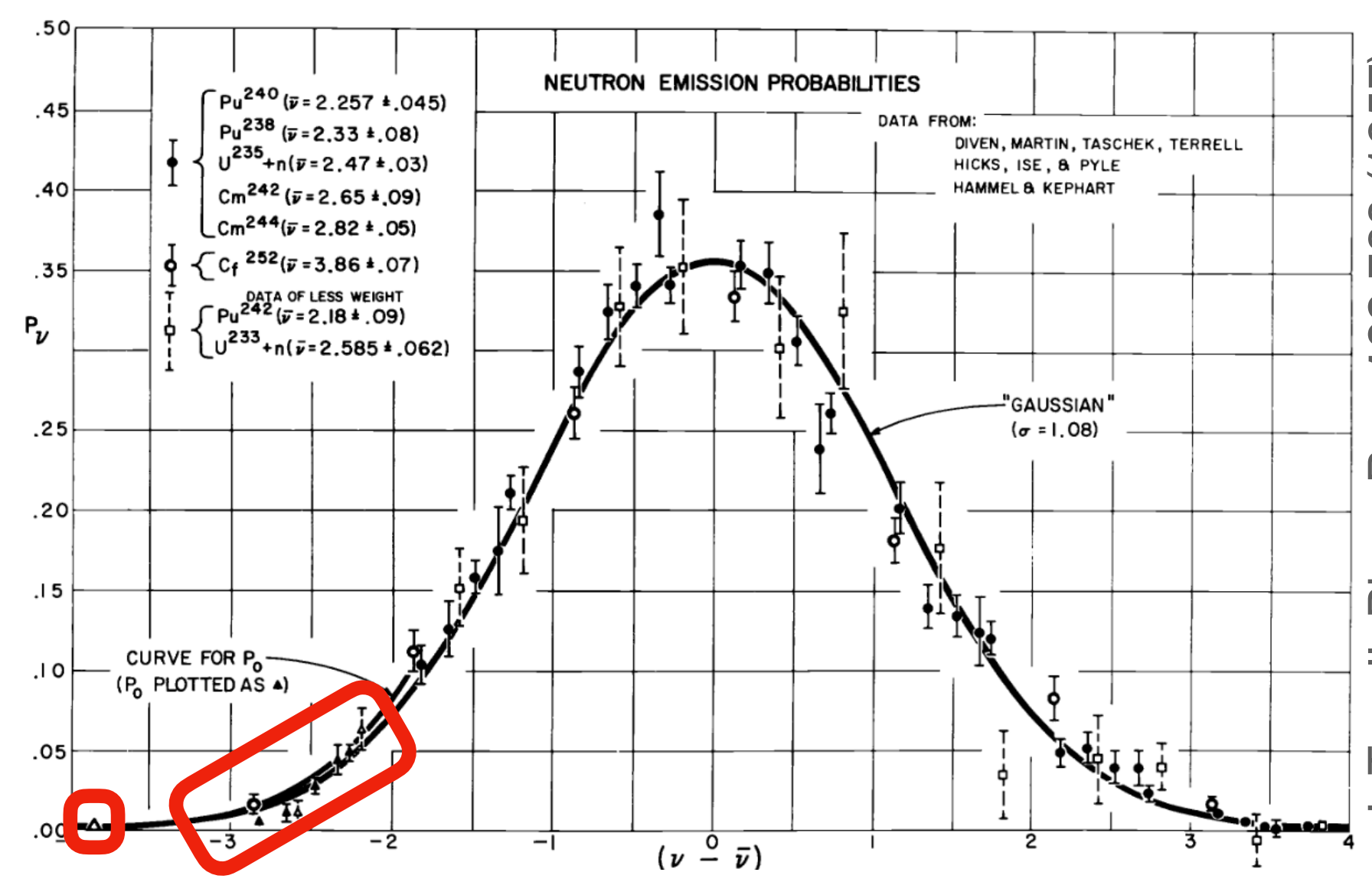
Neutronless fission simplifies fragment ID

⇒ Possibility of compact FF detector

$$KE_L / KE_H = A_H / A_L$$

⇒ Decay = only gamma rays

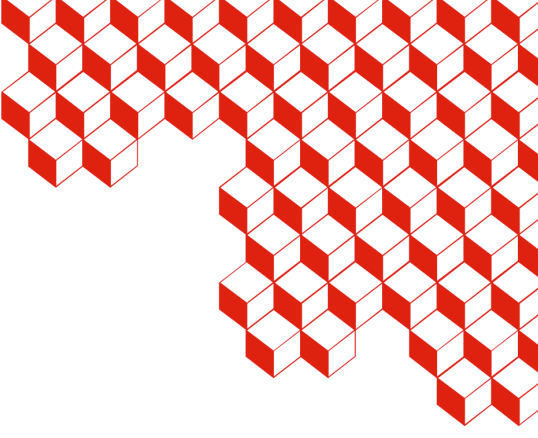
⇒ Highly efficient gamma array



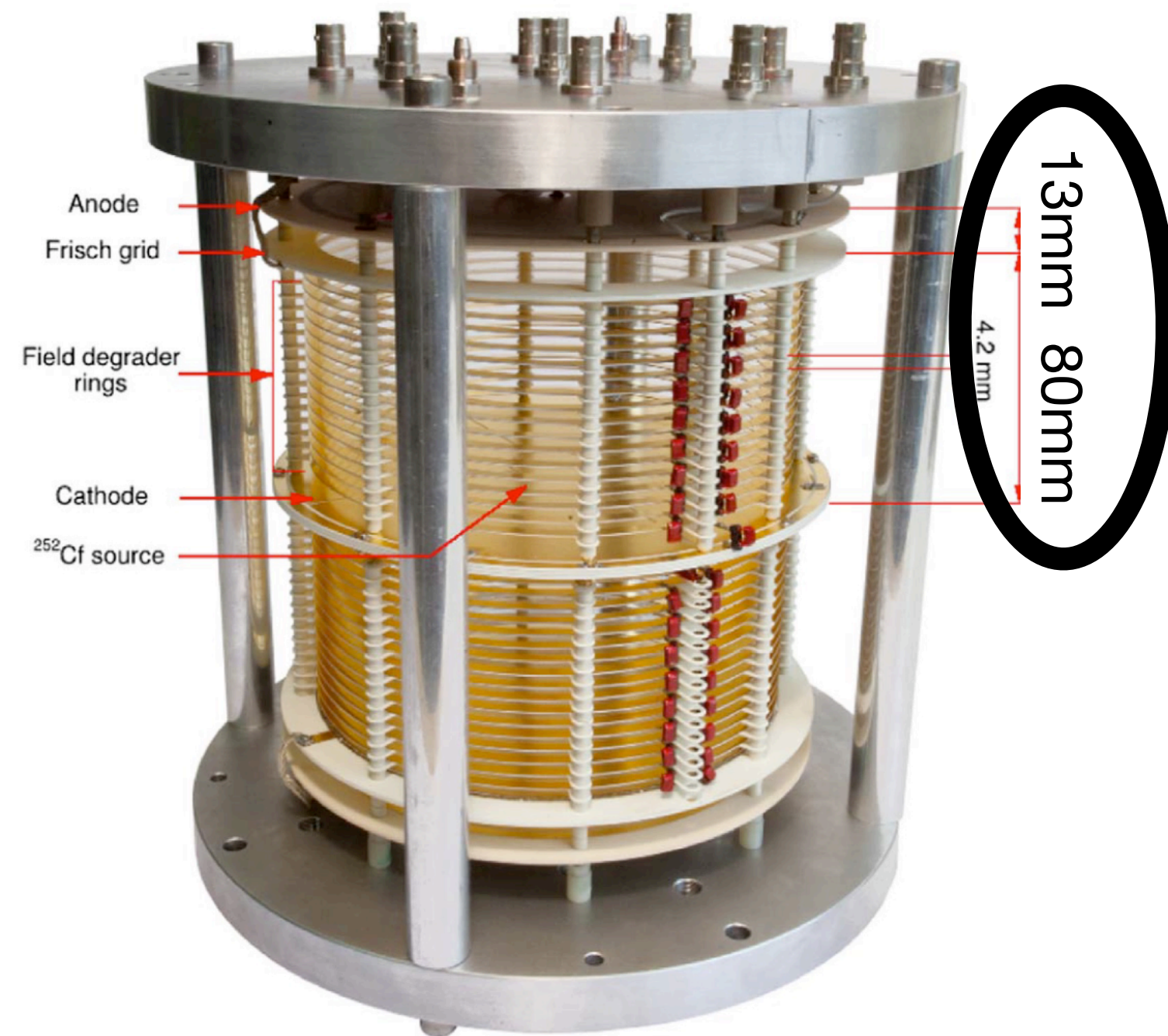
J. Terrell, Phys. Rev. 108 783 (1957)

$P_{\nu=0}$  : Small Probability of occurrence

# Studying neutronless fission



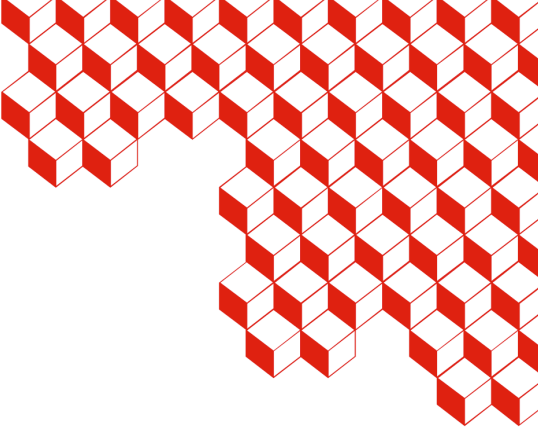
A fragment detector...



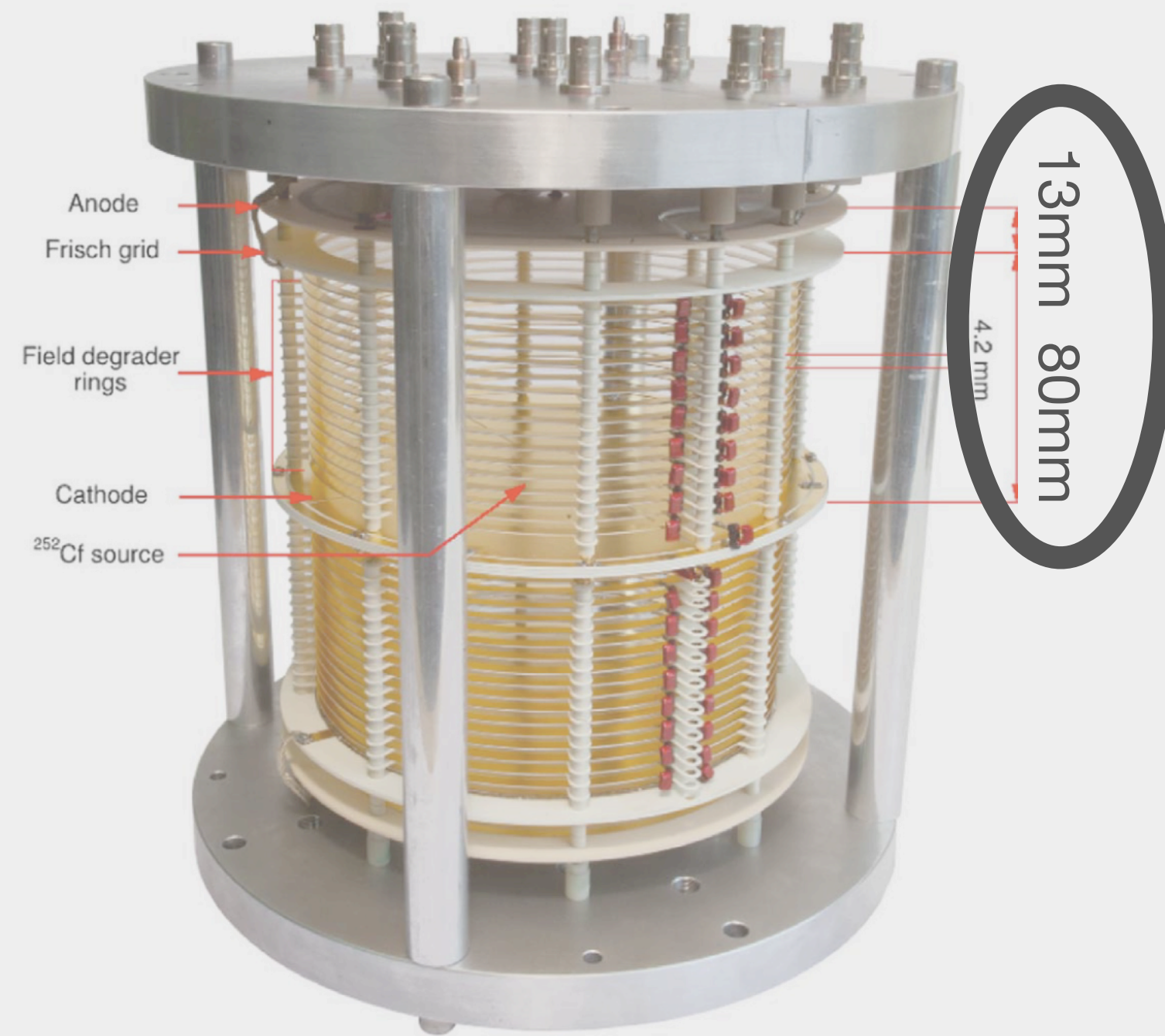
Twin Frisch Grid Ionization Chamber ( $\sigma_{KE} = 250keV$ )

L. G. et al., NIMA **855**, 133 (2017)

# Studying neutronless fission



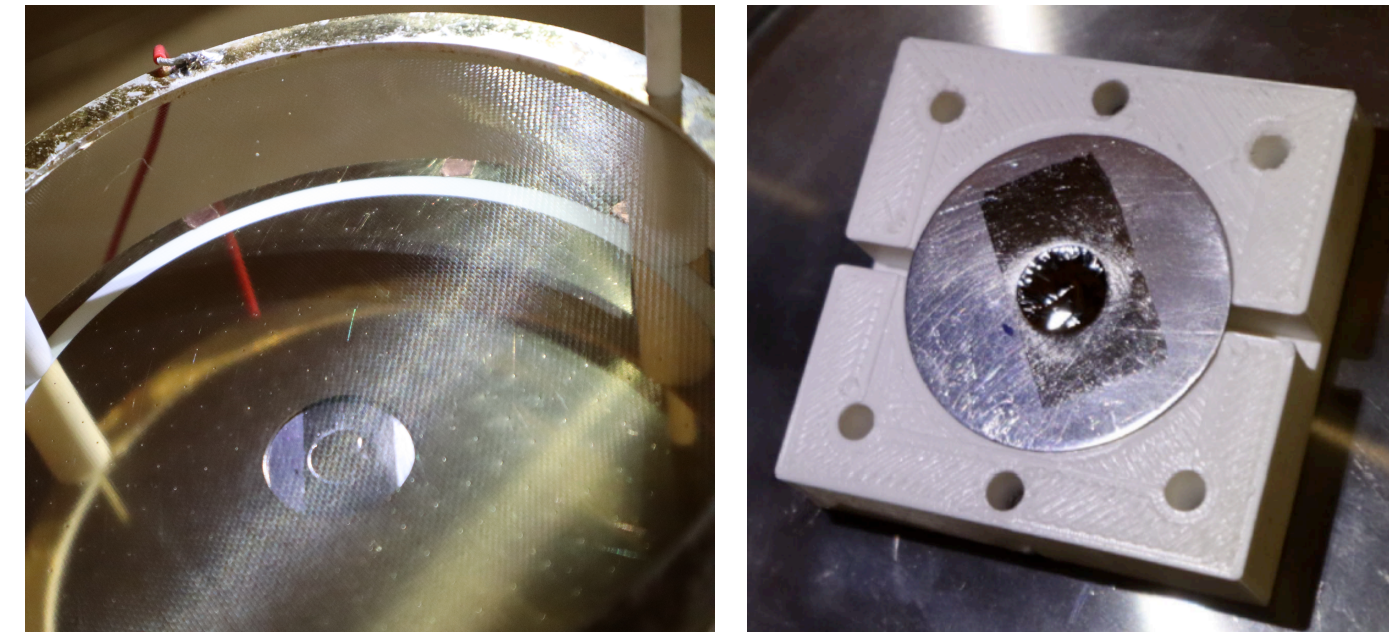
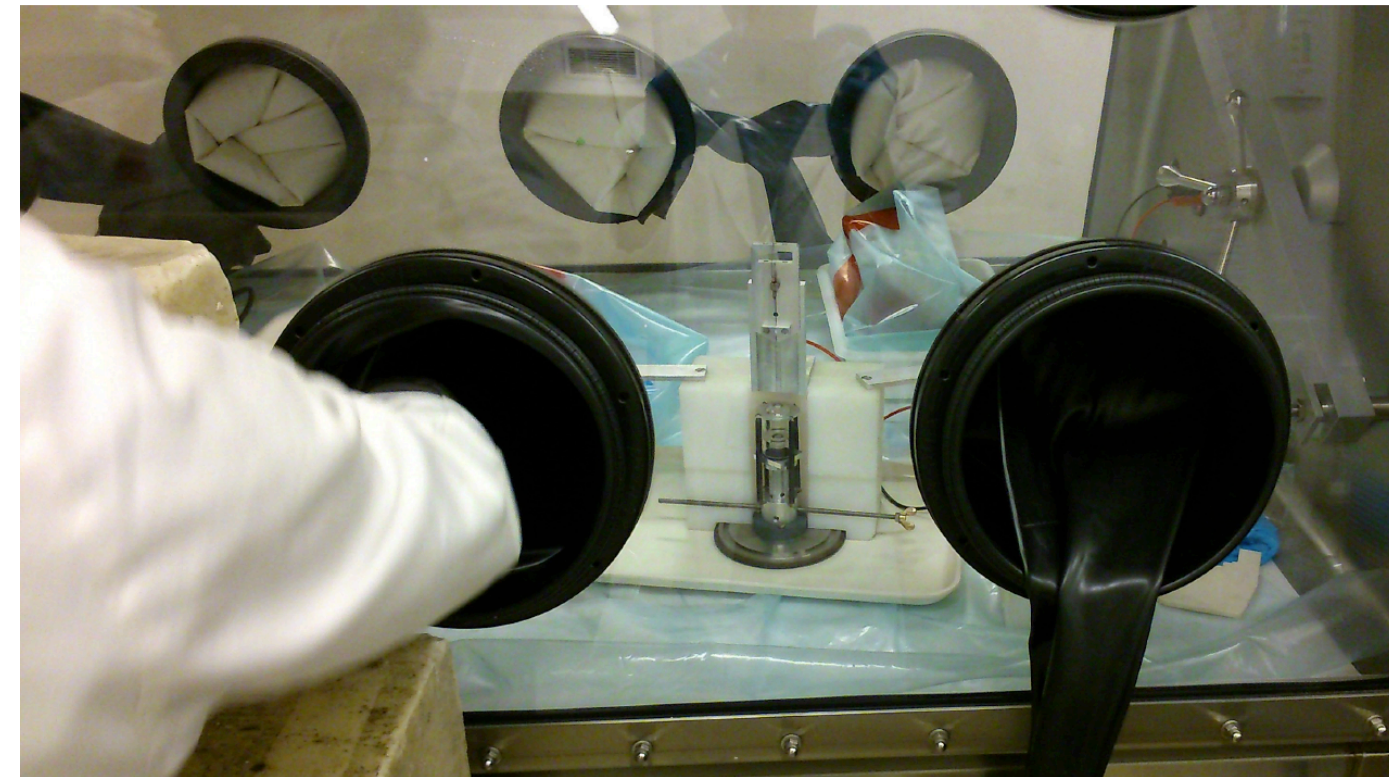
A fragment detector...



Twin Frisch Grid Ionization Chamber ( $\sigma_{KE} = 250keV$ )

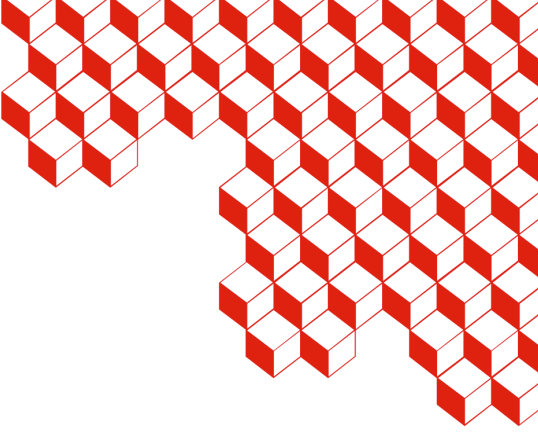
L. G. et al., NIMA 855, 133 (2017)

... loaded with an high quality fission sample ...

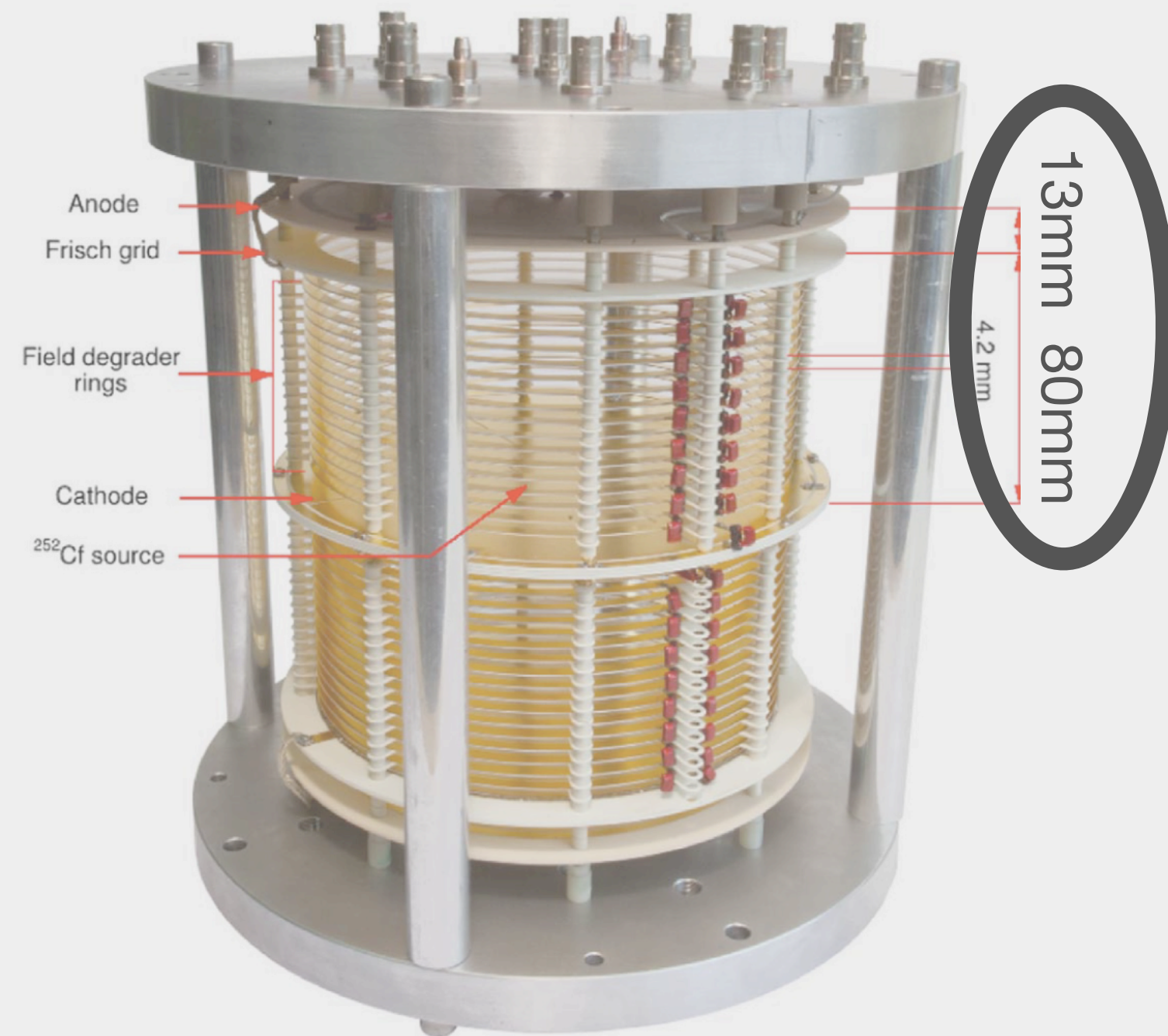


1200 Bq  $^{252}\text{Cf}$  sample  
on a 25nm ultra-thin C-backing

# Studying neutronless fission



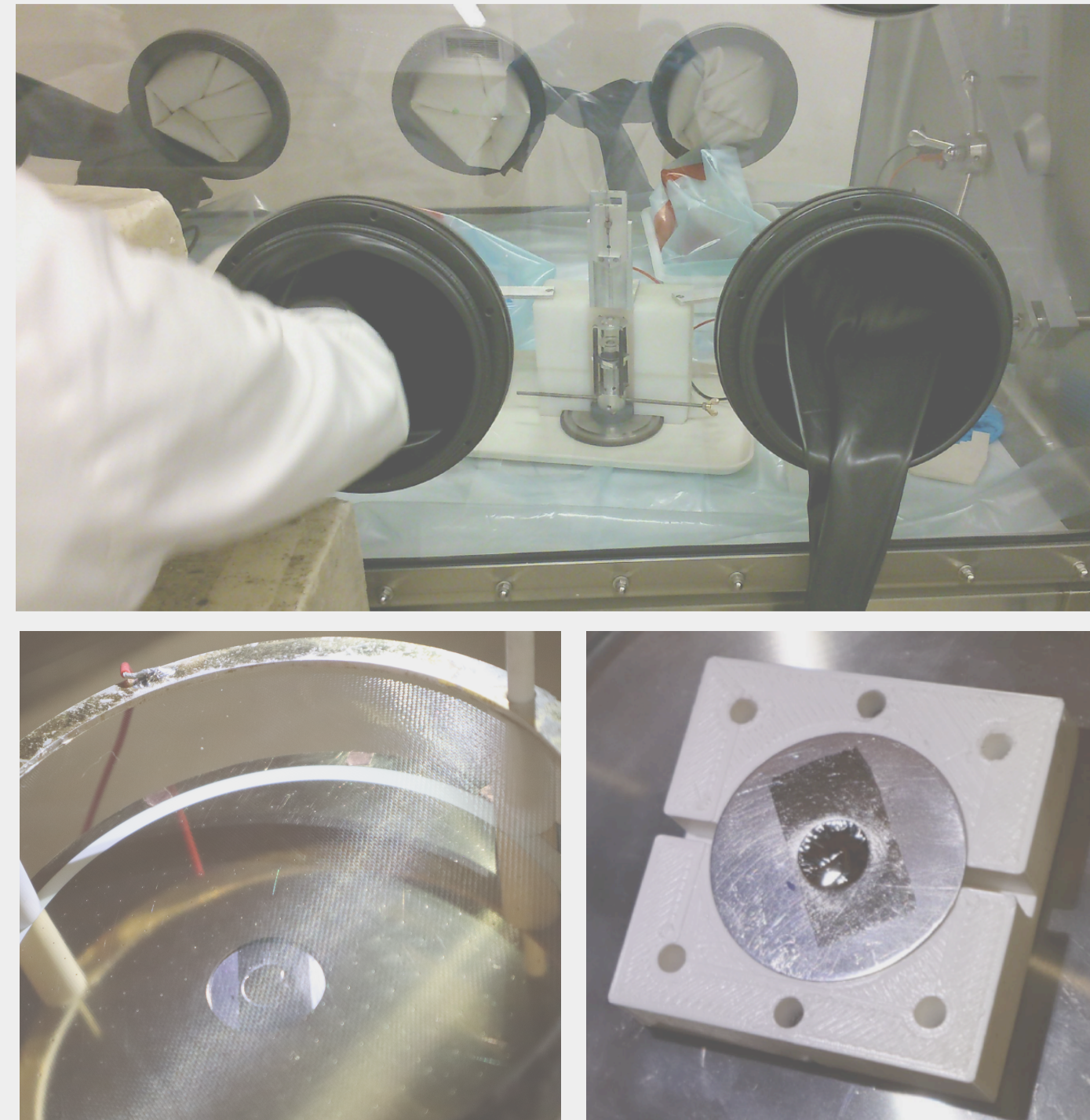
A fragment detector...



Twin Frisch Grid Ionization Chamber ( $\sigma_{KE} = 250keV$ )

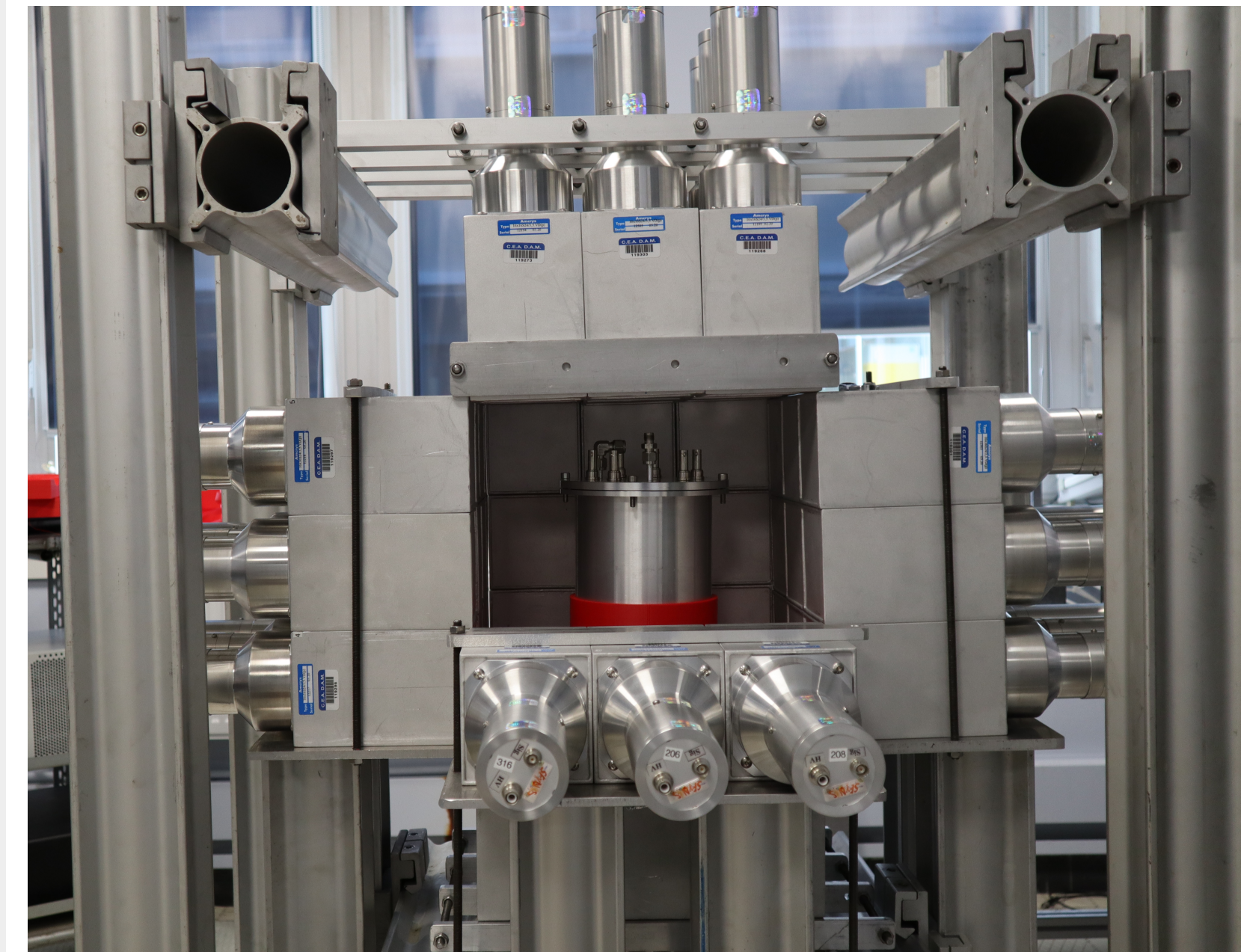
L. G. et al., NIMA **855**, 133 (2017)

... loaded with an high quality fission sample ...



1200 Bq  $^{252}\text{Cf}$  sample  
on a 25nm ultra-thin C-backing

...surrounded by a gamma array.



O.Roig et al., NIM A **1073**, 170243 (2025)

54 large Volume (10x10x15cm) NaI detectors

$$\epsilon_{Geo} = 92\%$$

$$\epsilon_{tot} = 50\% @ 300keV$$

$$\epsilon_{tot} = 30\% @ 1300keV$$

# Achievements

## Our previous similar works

### Detection system

L. G. et al., NIMA **855**, 133 (2017)

### Spectroscopy of Fission Fragments

L. G. et al., PRC **97**, 064317 (2018)

### Isomer Production

L. G. et al., EPJ Web Conf. **242**, 01003 (2020)

## From this measurement

### Fission/Fragments' Properties

A. Francheteau et al., PRL **132**, 142501 (2024)

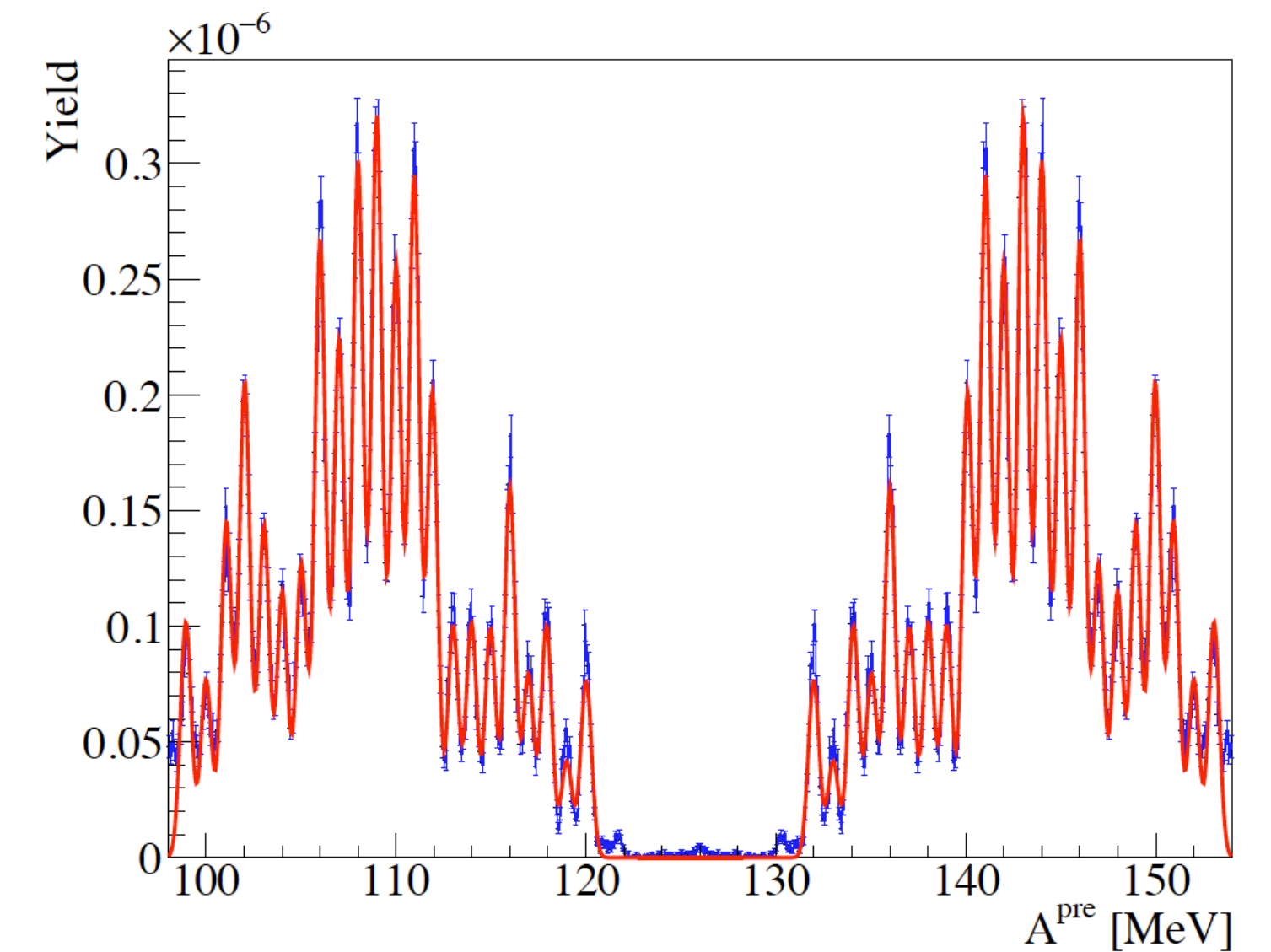
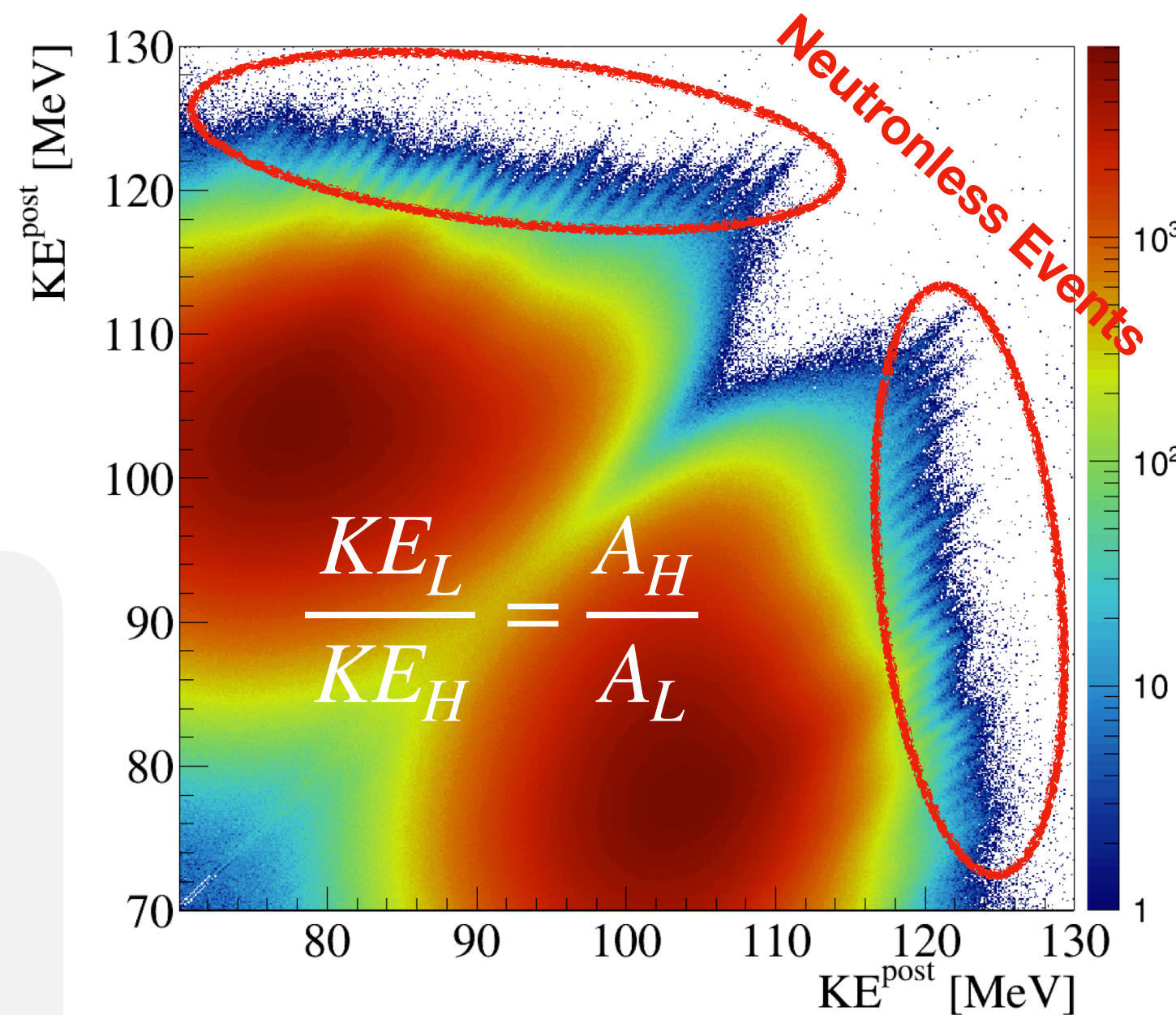
⇒ The exceptional  $^{132}\text{Sn}/^{120}\text{Cd}$  case!

A. Francheteau et al., PRC **111**, 034608 (2025)

⇒ Discussing the origin of the (4-6MeV)  $\gamma$ -bumps.

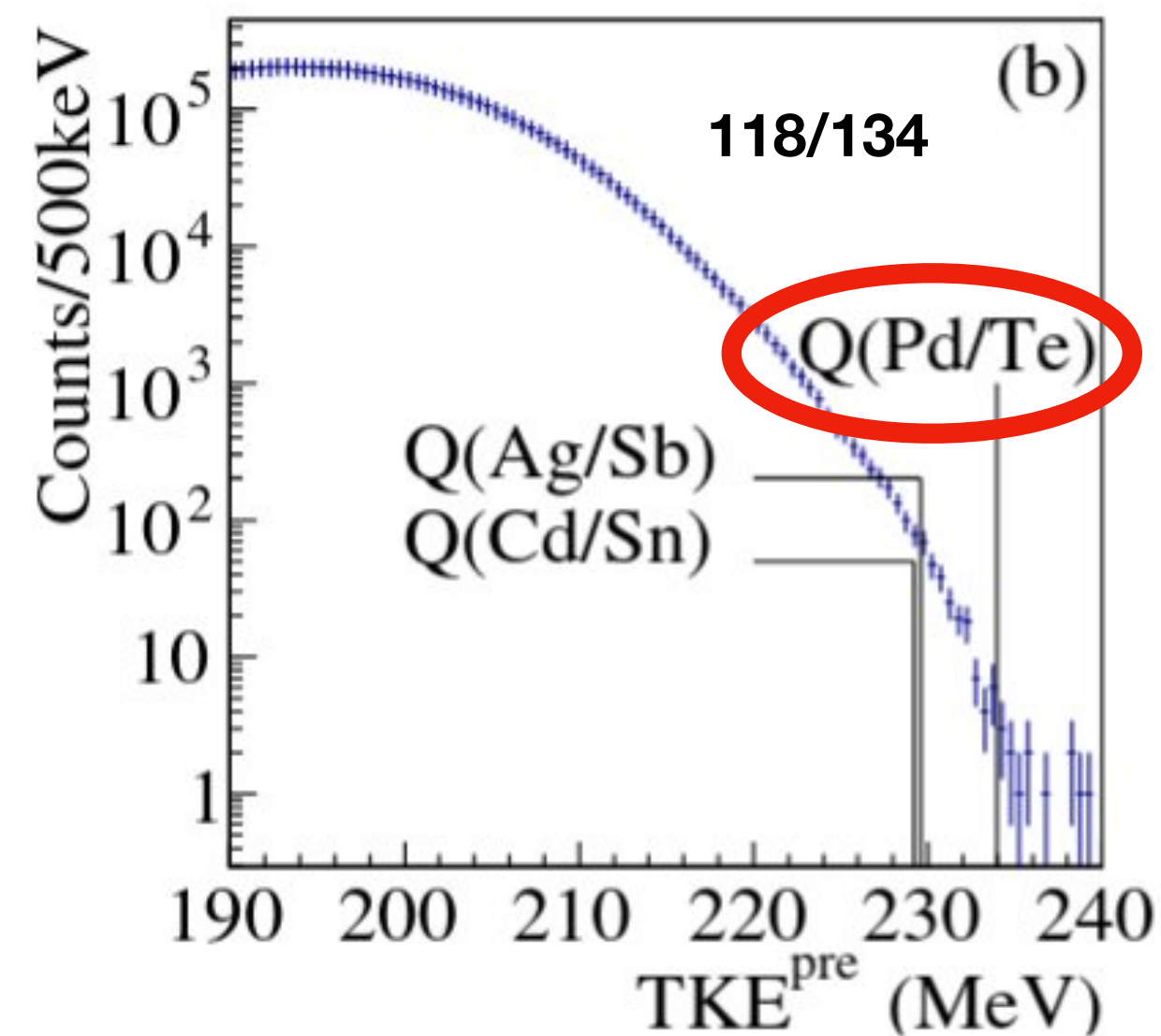
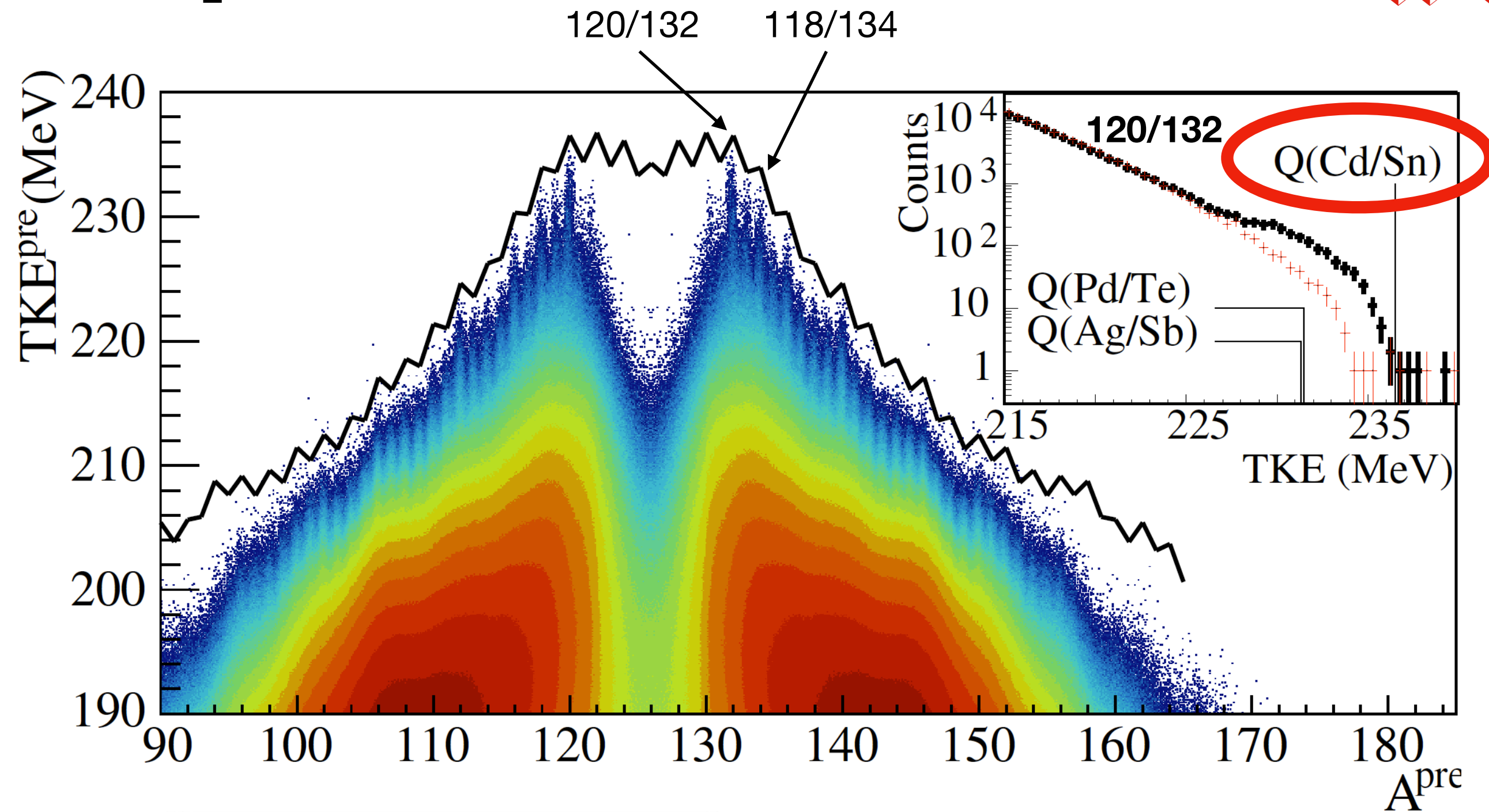
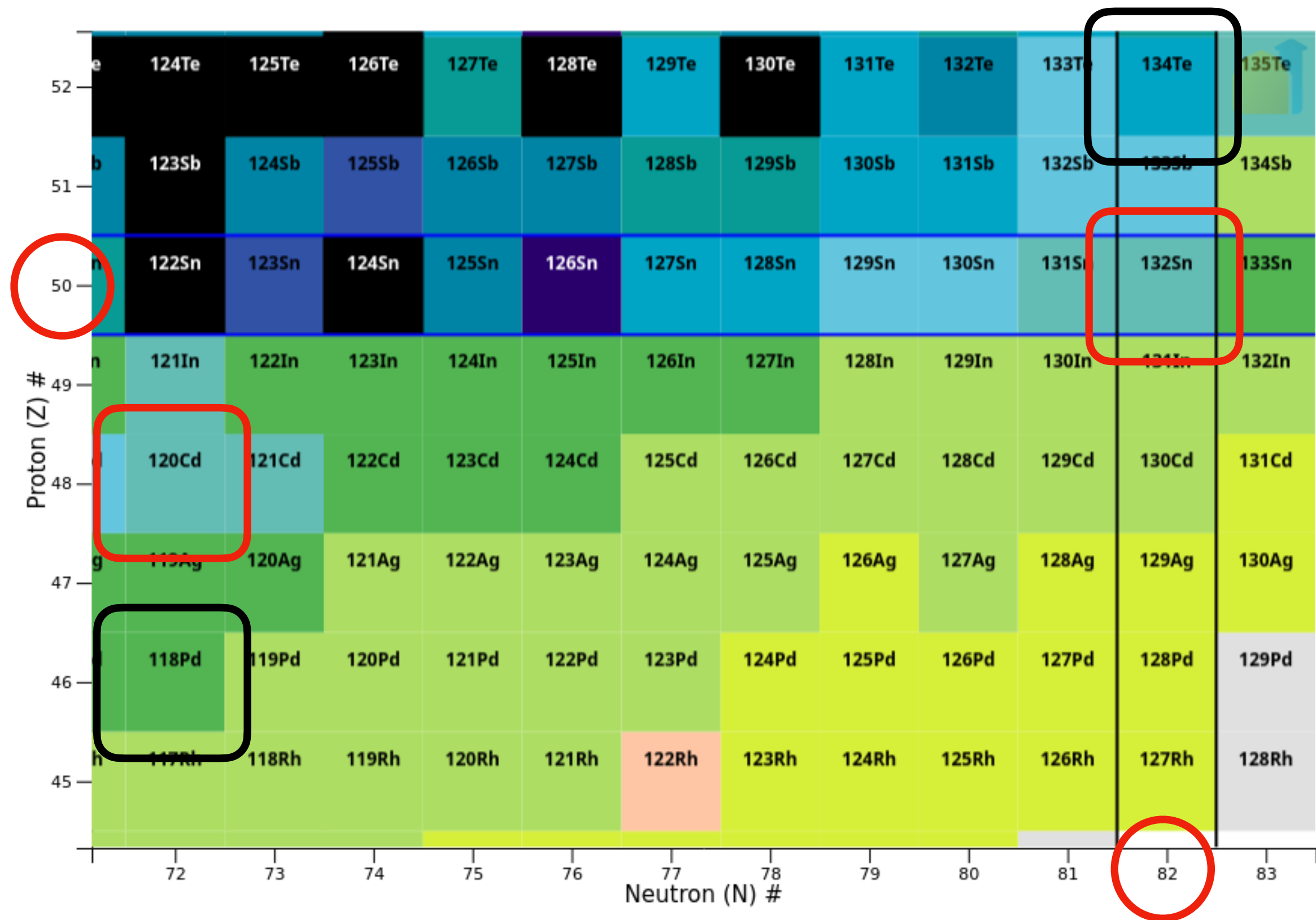
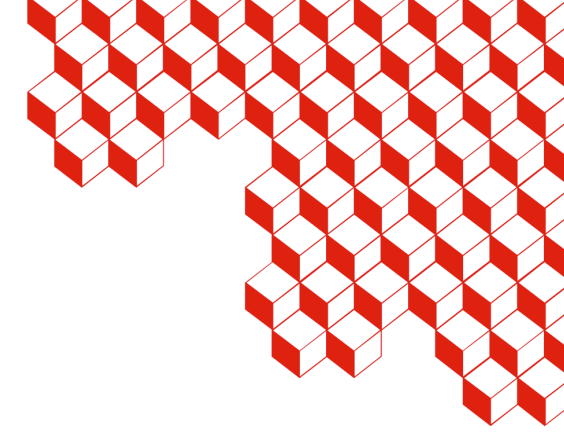
A. Francheteau et al., PRC **113**, 034610 (2026)

⇒  $^{118}\text{Pd}/^{134}\text{Te}$  : Excitation energy, Angular momentum & Deformation.



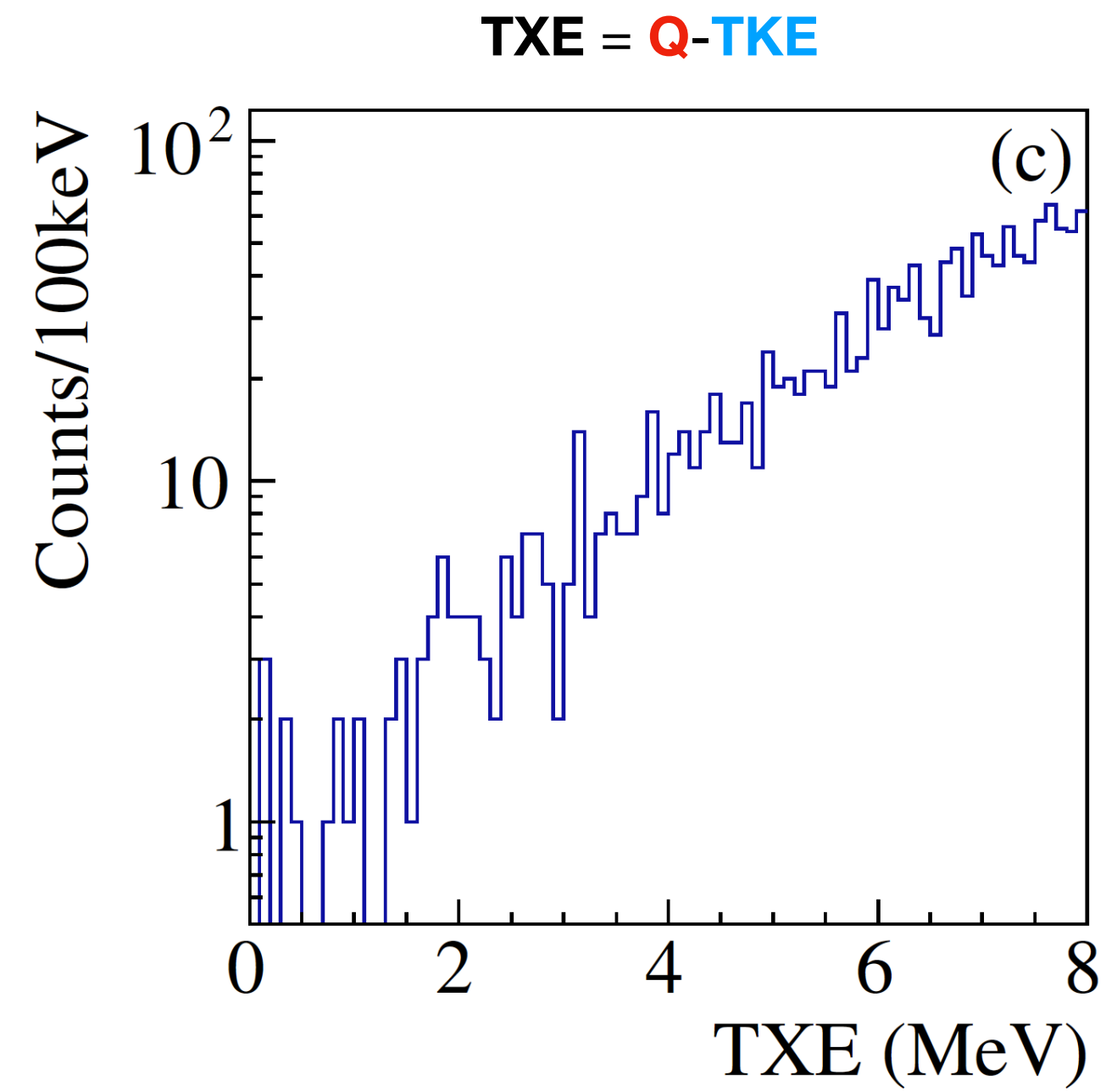
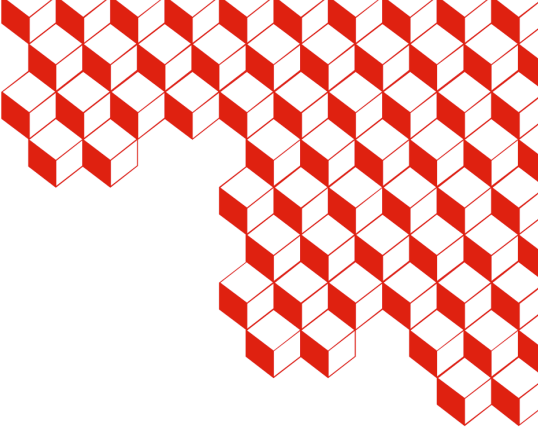
Mass Resolution : 0.6-0.7 amu FWHM!!

# When Shell Closures help us!



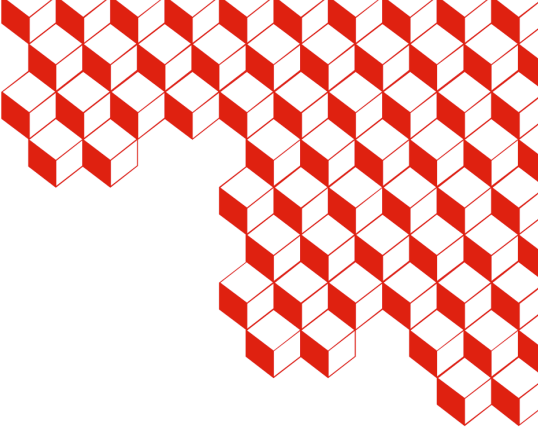
Simple TKE Selection  
 ⇒ 90% purity on fragment selection

# What did we measure? 3/3

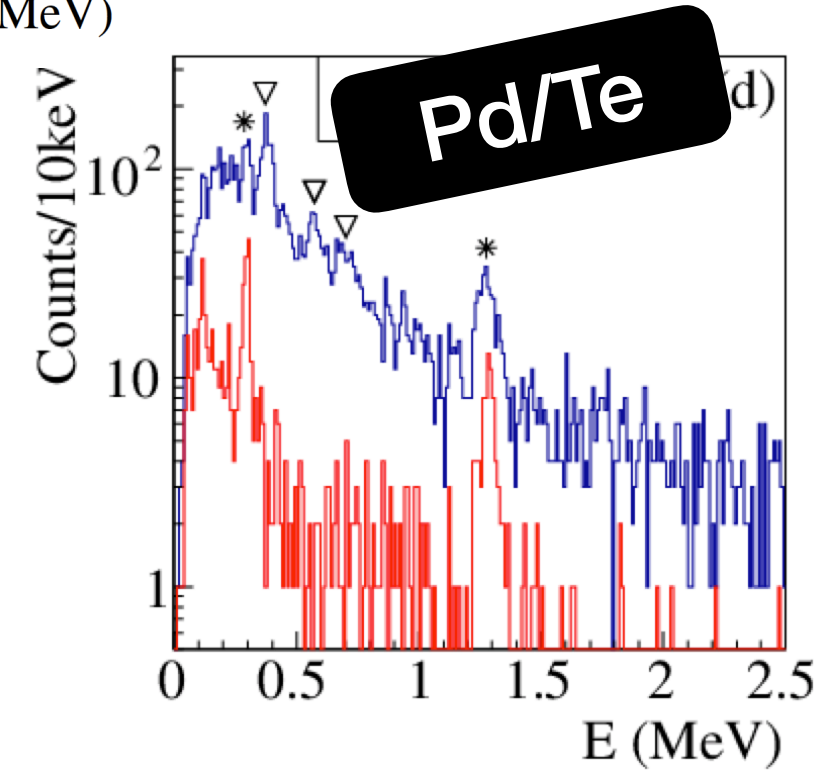
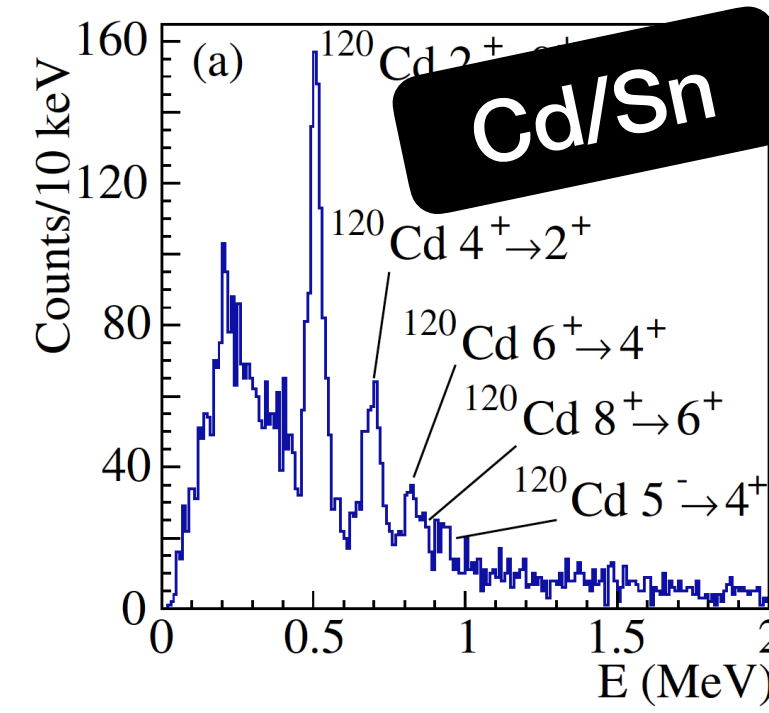
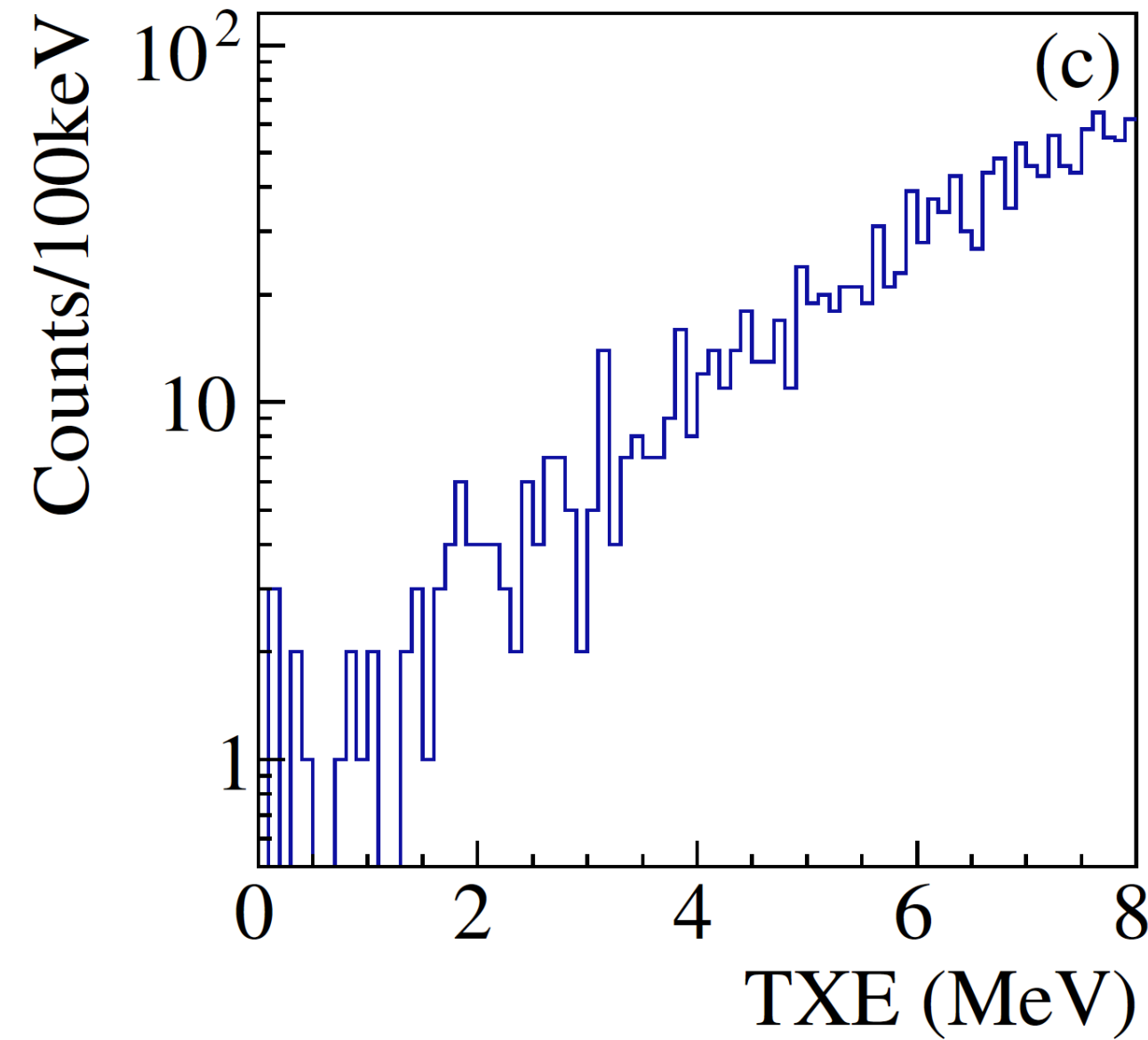


- $TXE = E_x^H + E_X^L$

# What did we measure? 3/3



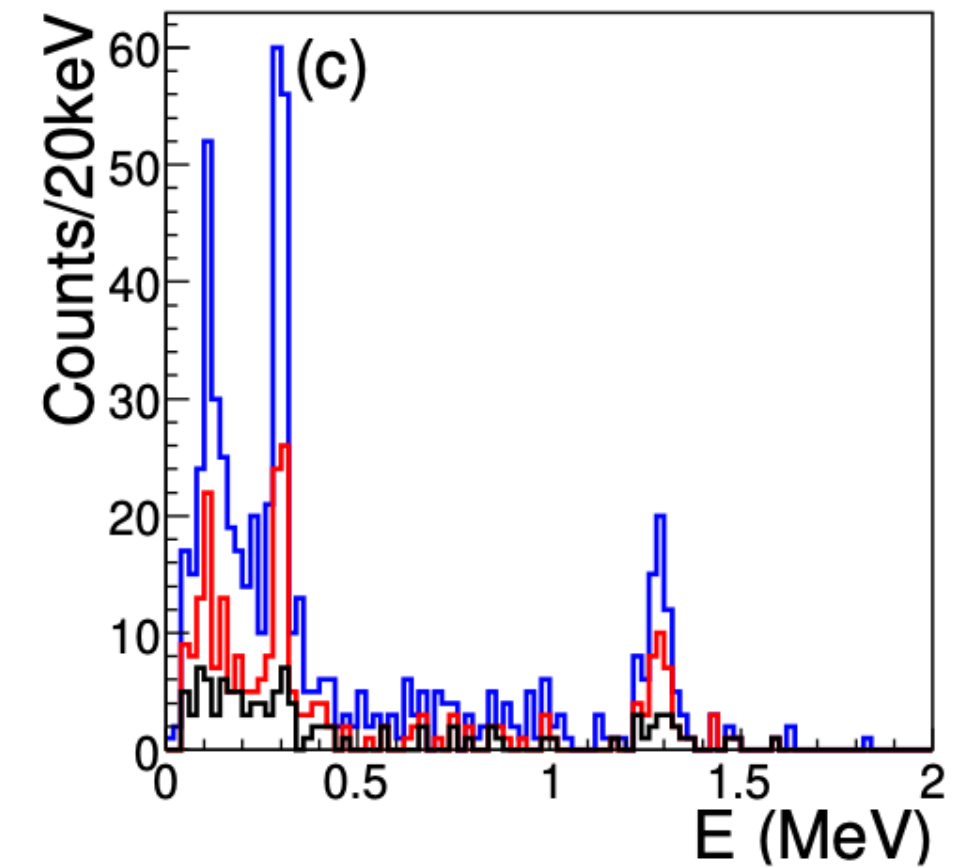
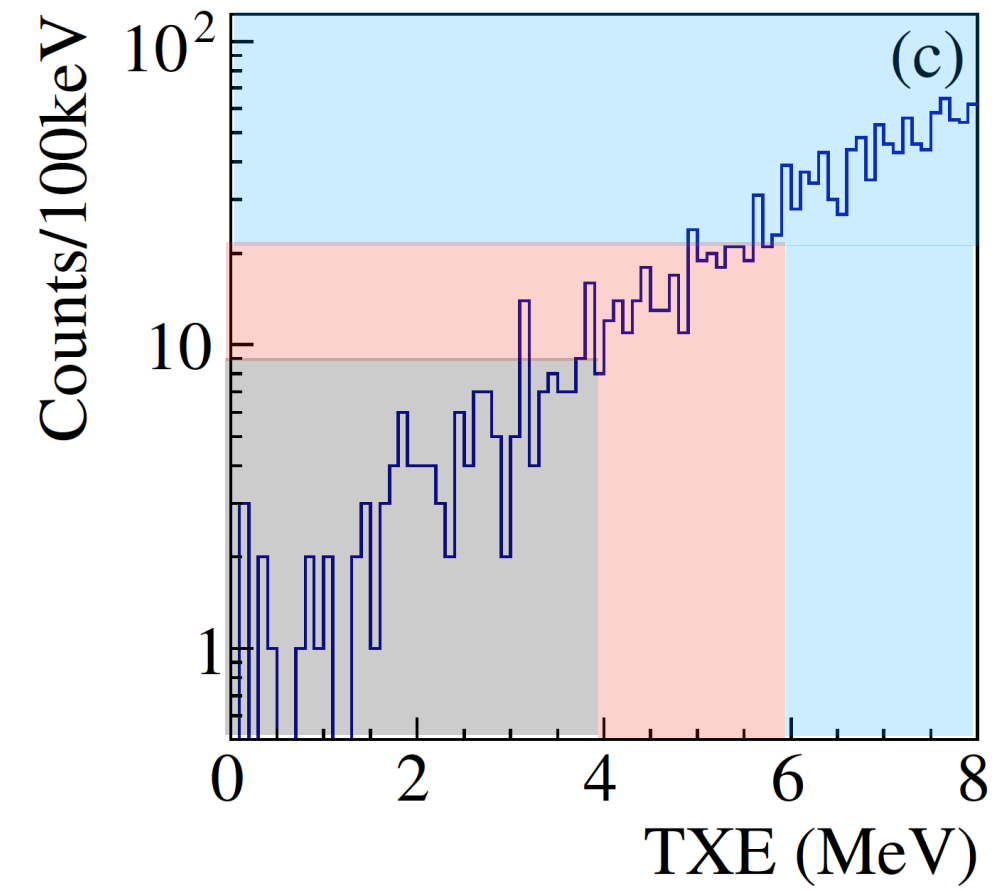
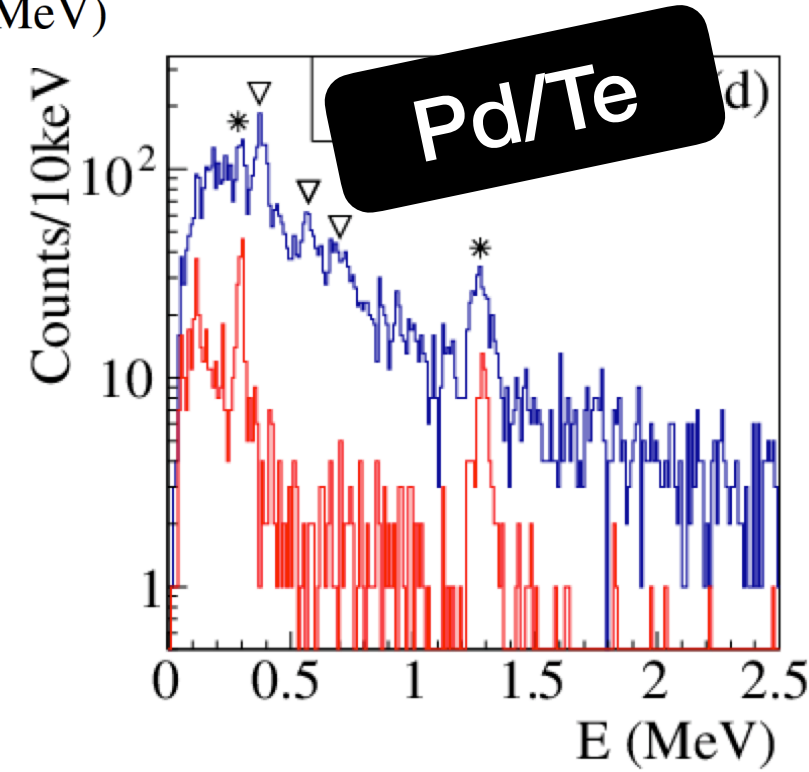
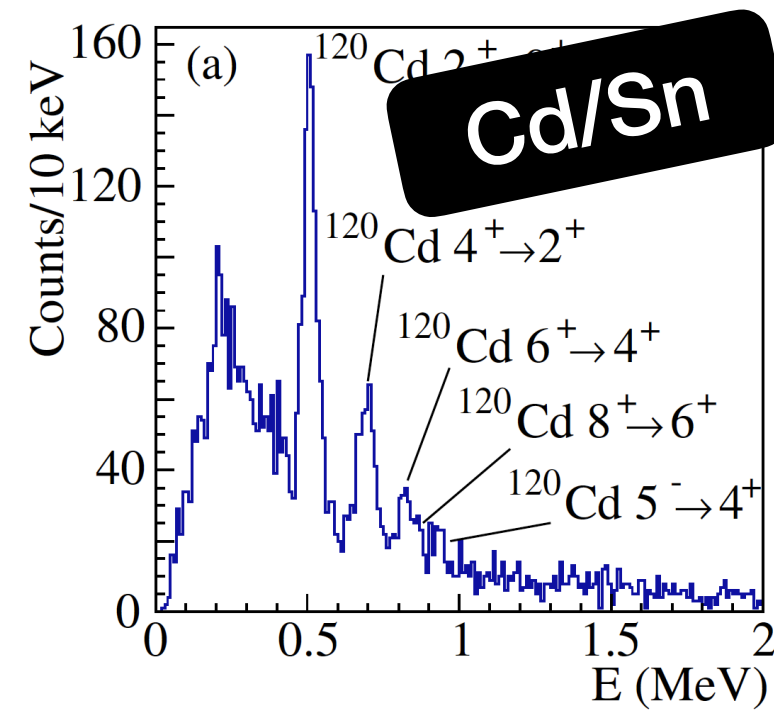
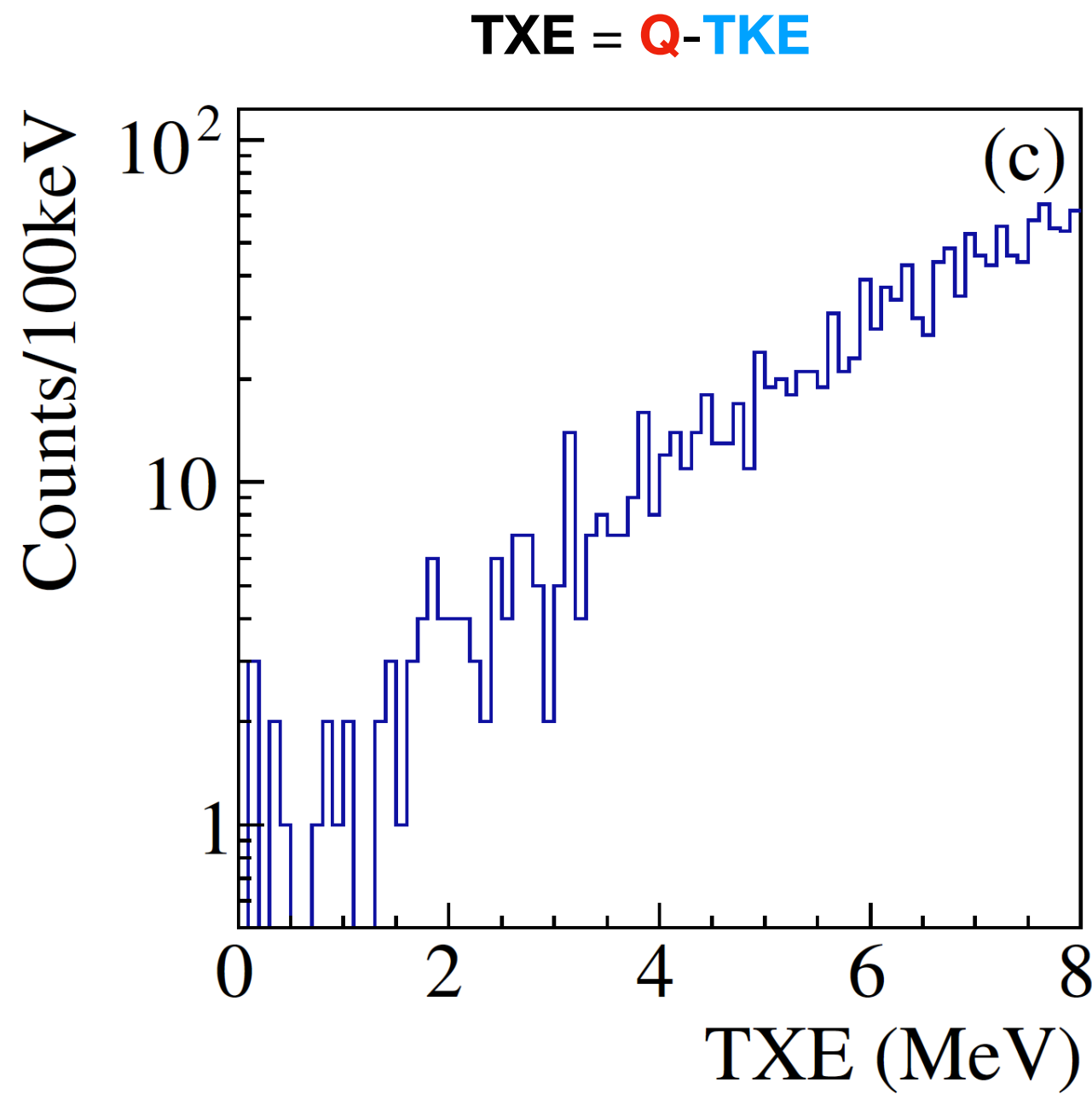
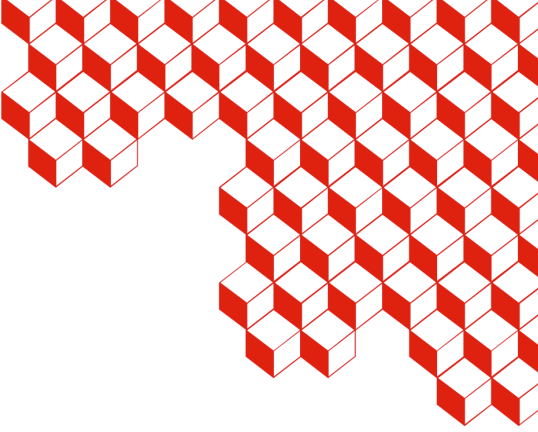
$$\text{TXE} = Q - \text{TKE}$$



- $\text{TXE} = E_x^H + E_X^L$

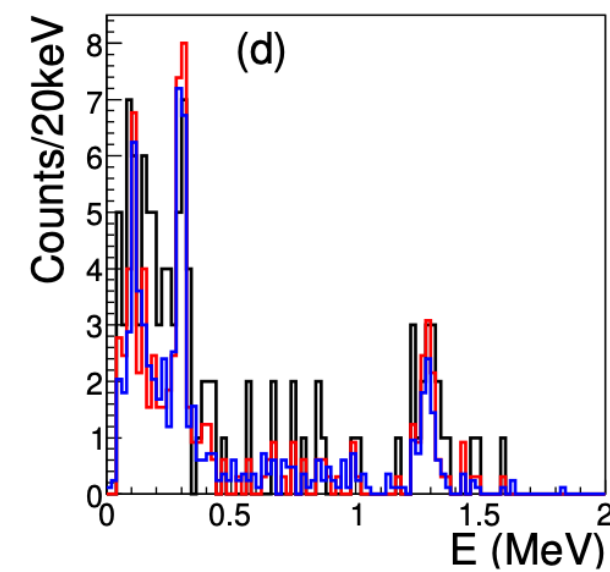
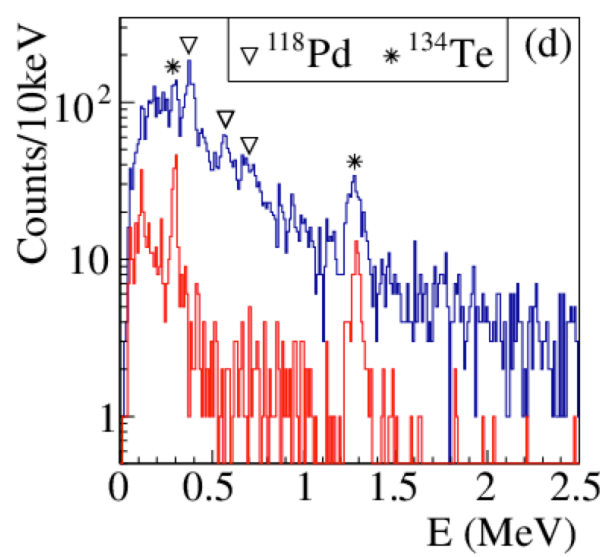
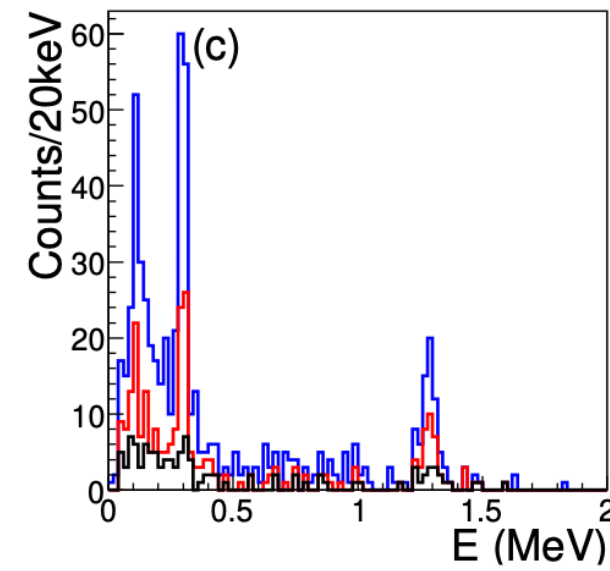
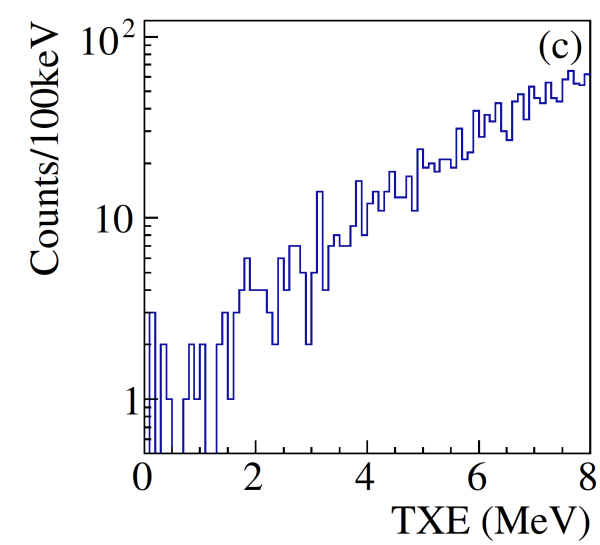
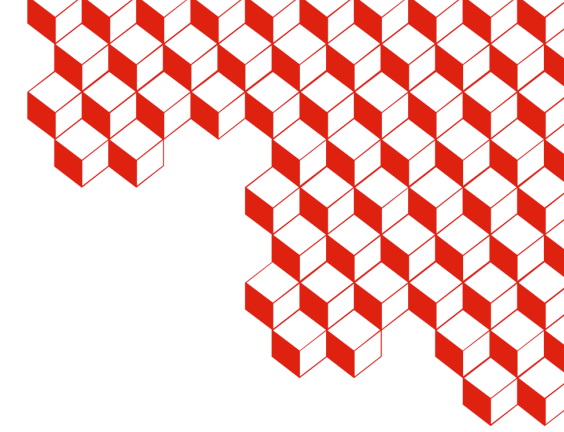
- Prompt + delayed  $\gamma$ -spectrum; intensities/normalisation  $\Rightarrow E_x$  distribution; spin distribution and multiplicity of the  $\gamma$ -cascade

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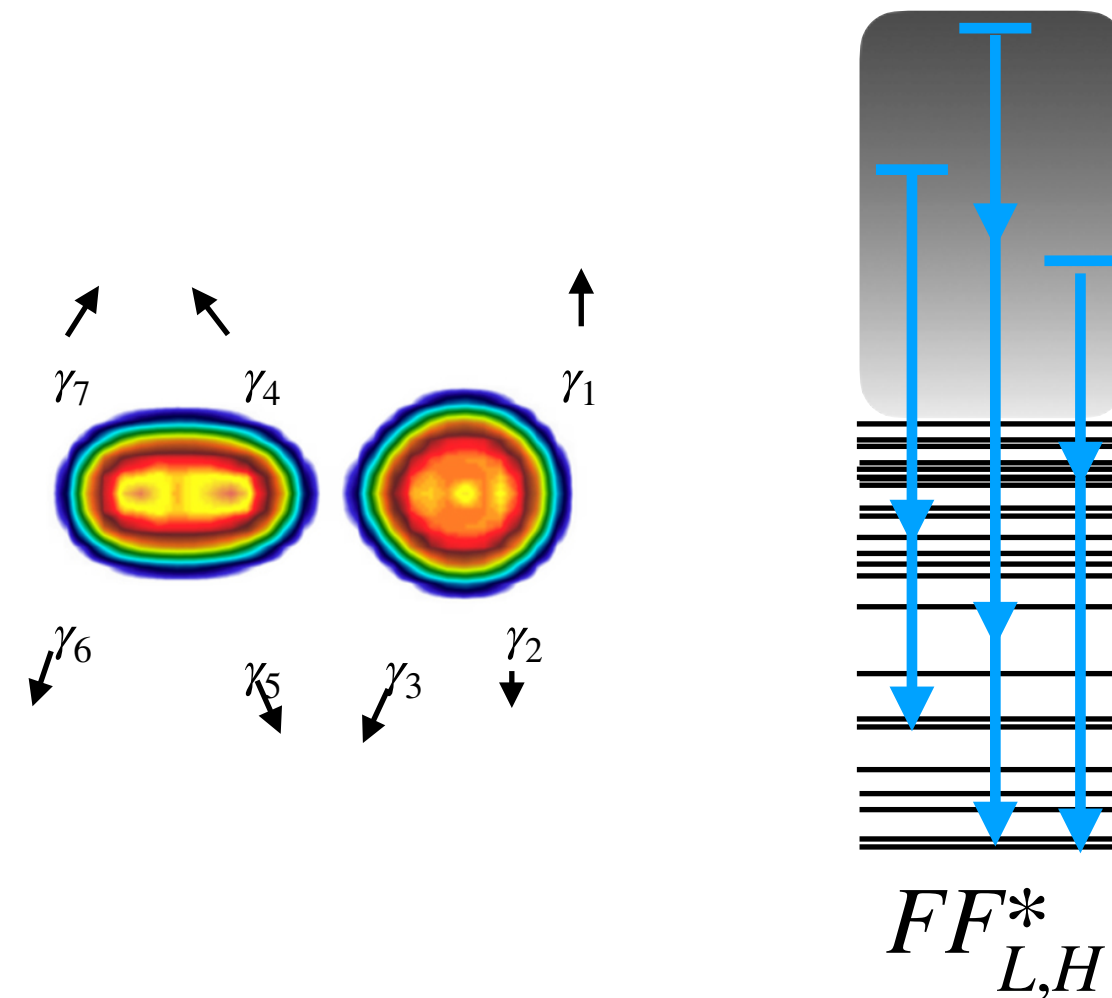


- $TXE = E_x^H + E_X^L$
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- TXE gated  $\gamma$ -spectra

# Reproducing what we measured



Simulation of  $\gamma$ -ray spectrum



Statistical inputs for Hauser-Feschbach cascades:

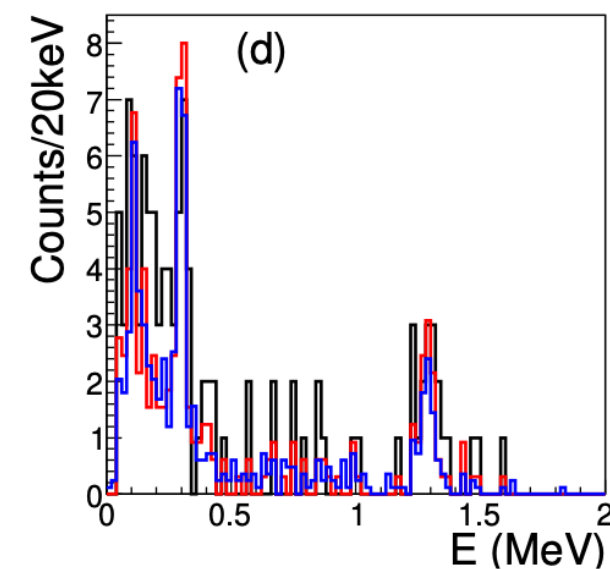
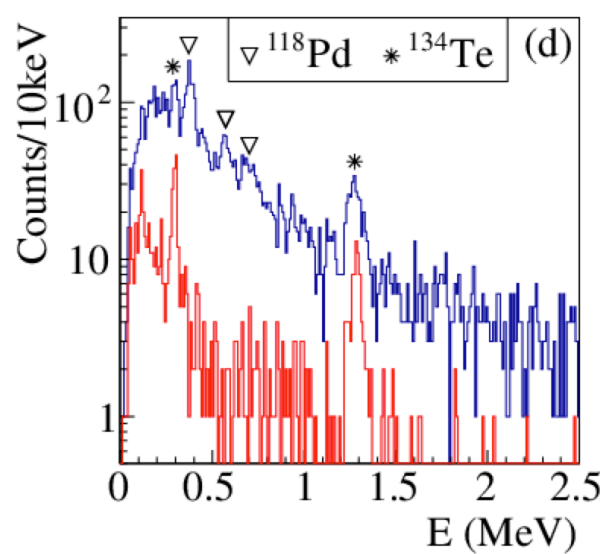
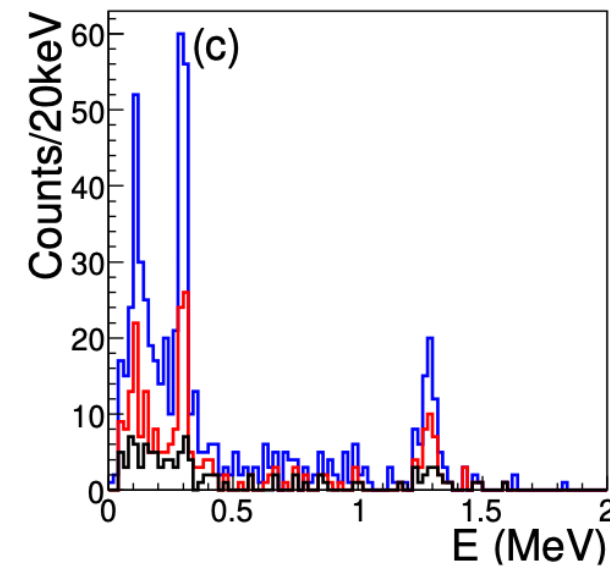
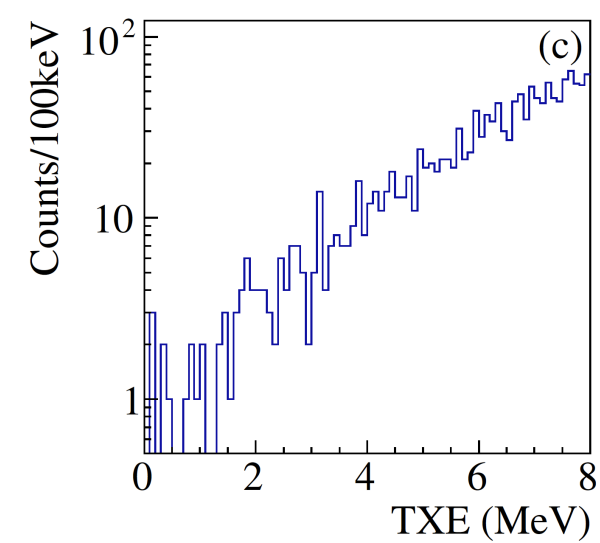
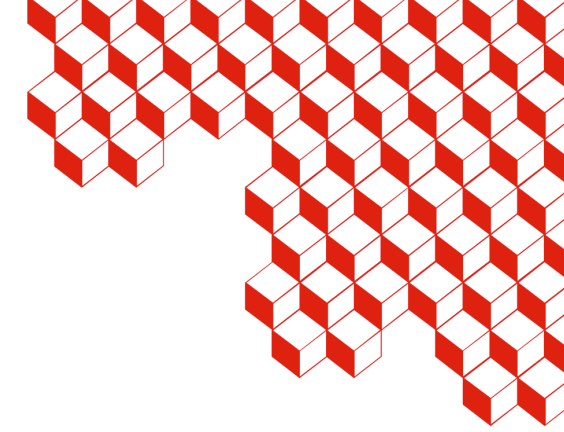
⇒ HFB+combinatorial with Gogny force NLD  
S. Hilaire, M. Girod, S. Goriely and A. J. König, Phys. Rev. C 86, 064317 (2012)

⇒ E1 & M1 BSk27 gSF  
Y. Xu, S. Goriely and E. Khan, Phys. Rev. C 104, 044301 (2021)

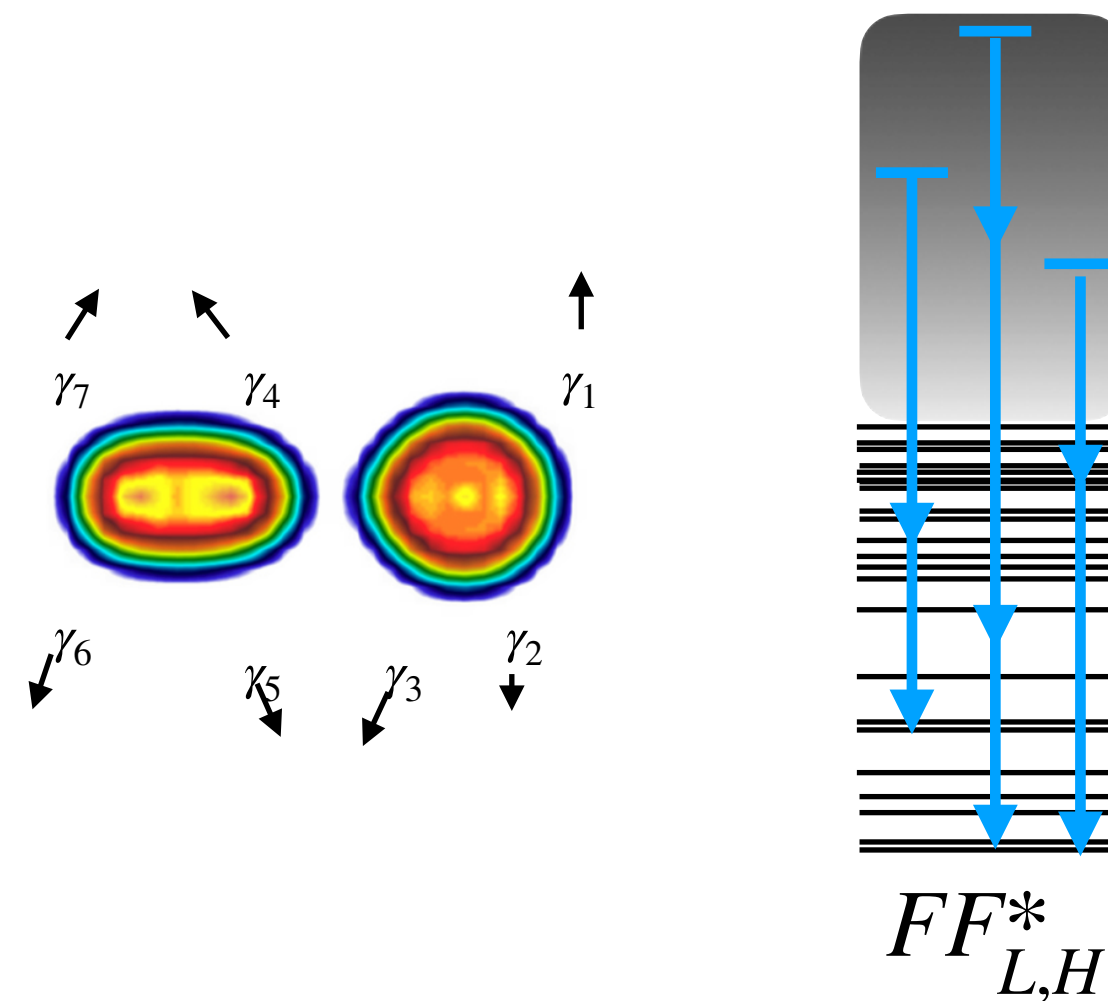
⇒ Or extrapolated experimental data for (Cd, Pd, Sn)  
Oslo group : PRC 87, 014319 (2013);  
PRC 90, 044311 (2014);  
PRC 108, 014315 (2023)

Use DEcay GAMMA (DEGA) code to simulate the cascade.  
LG and V. Méot, Proceeding of the ND2025 Conference (2026).

# Reproducing what we measured



## Simulation of $\gamma$ -ray spectrum



Statistical inputs for Hauser-Feschbach cascades:

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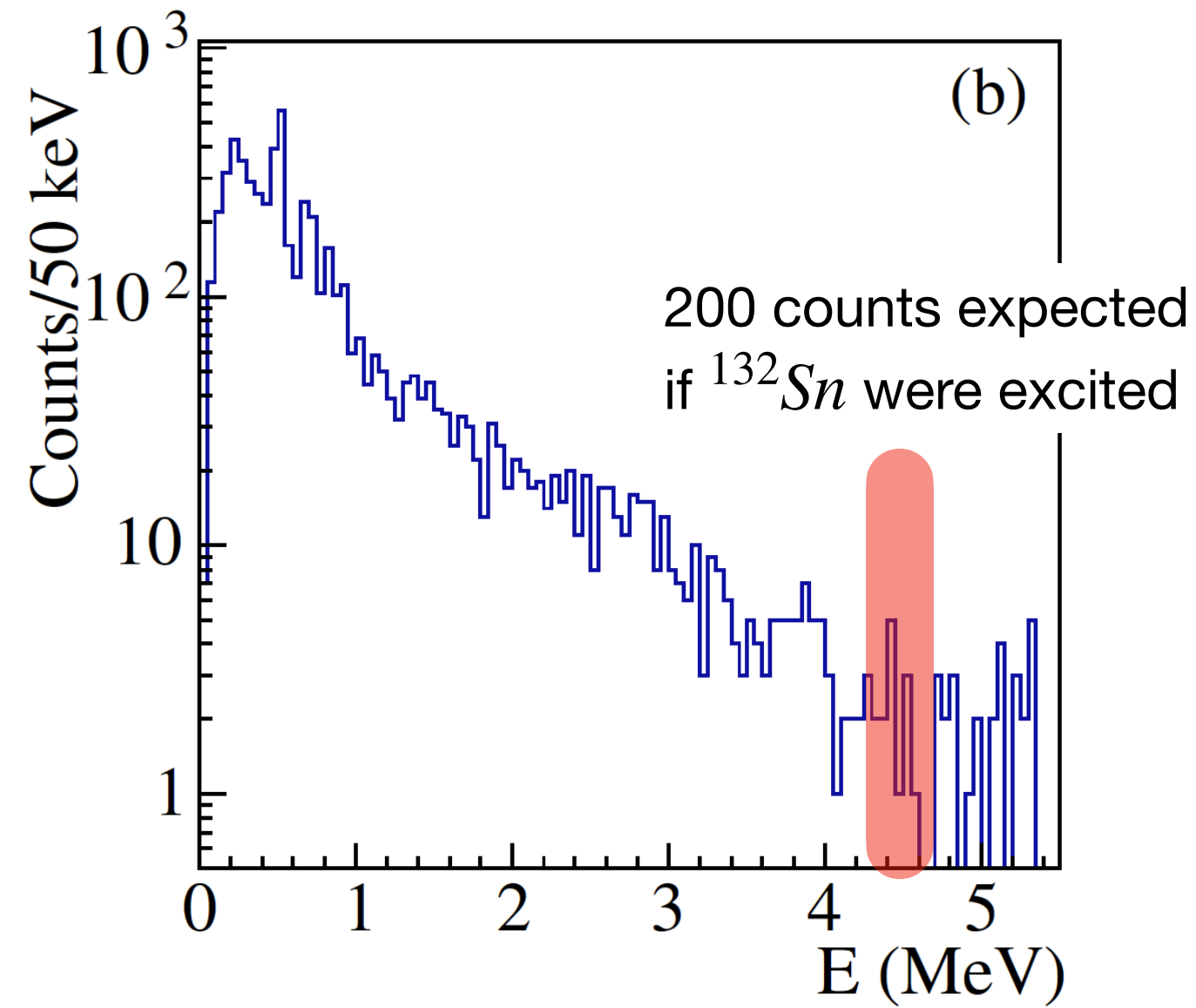
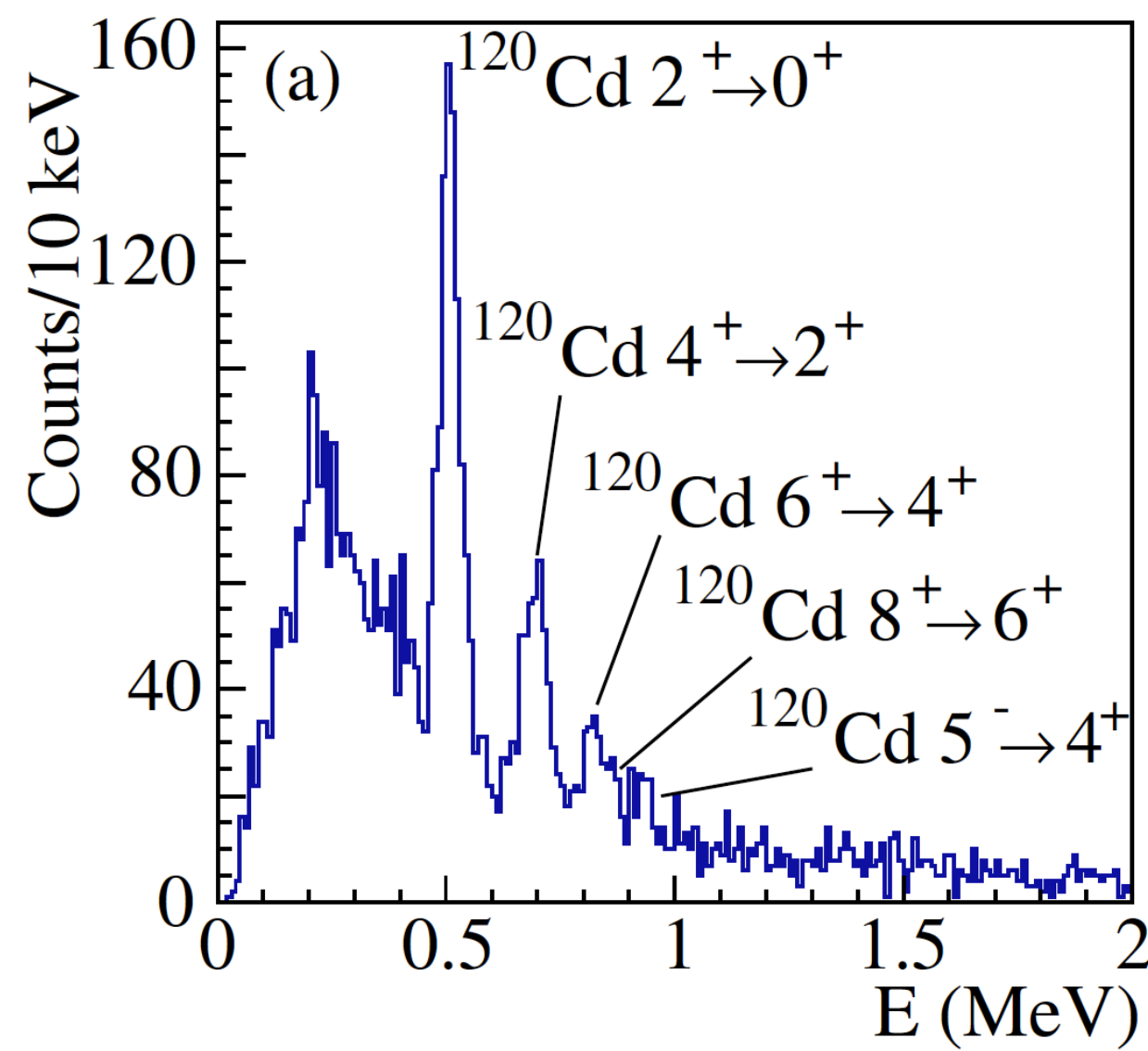
LG and V. Méot, Proceeding of the ND2025 Conference (2026).

Needed/Tested inputs :

◆ TXE and its sharing

◆ Angular momentum distribution

# The exceptional $^{120}\text{Cd}/^{132}\text{Sn}$ fragmentation



Only  $\gamma$ -rays from the light fragment.  
 $\Rightarrow$   $^{132}\text{Sn}$  in its GS for at least 95% of selected events.

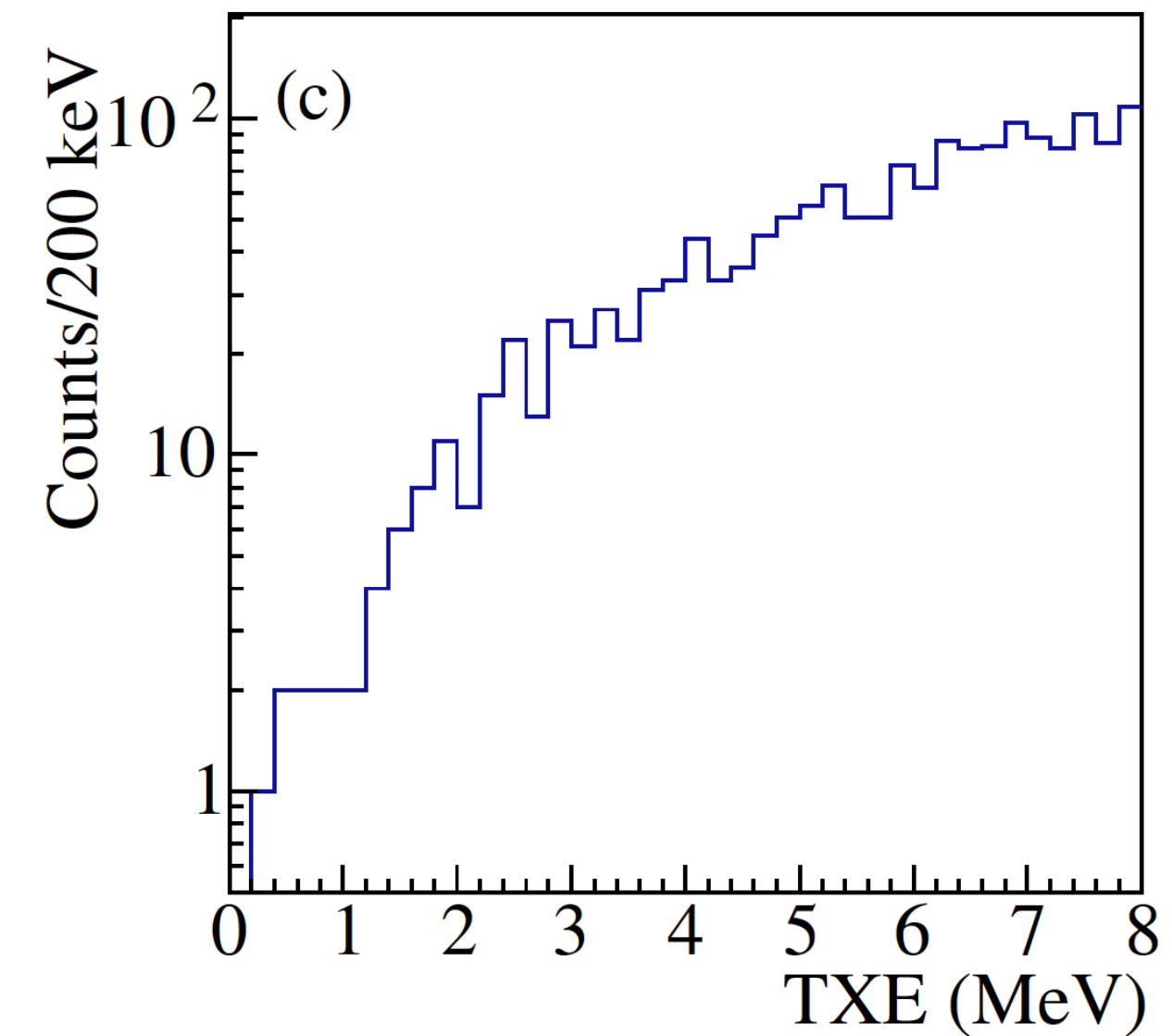
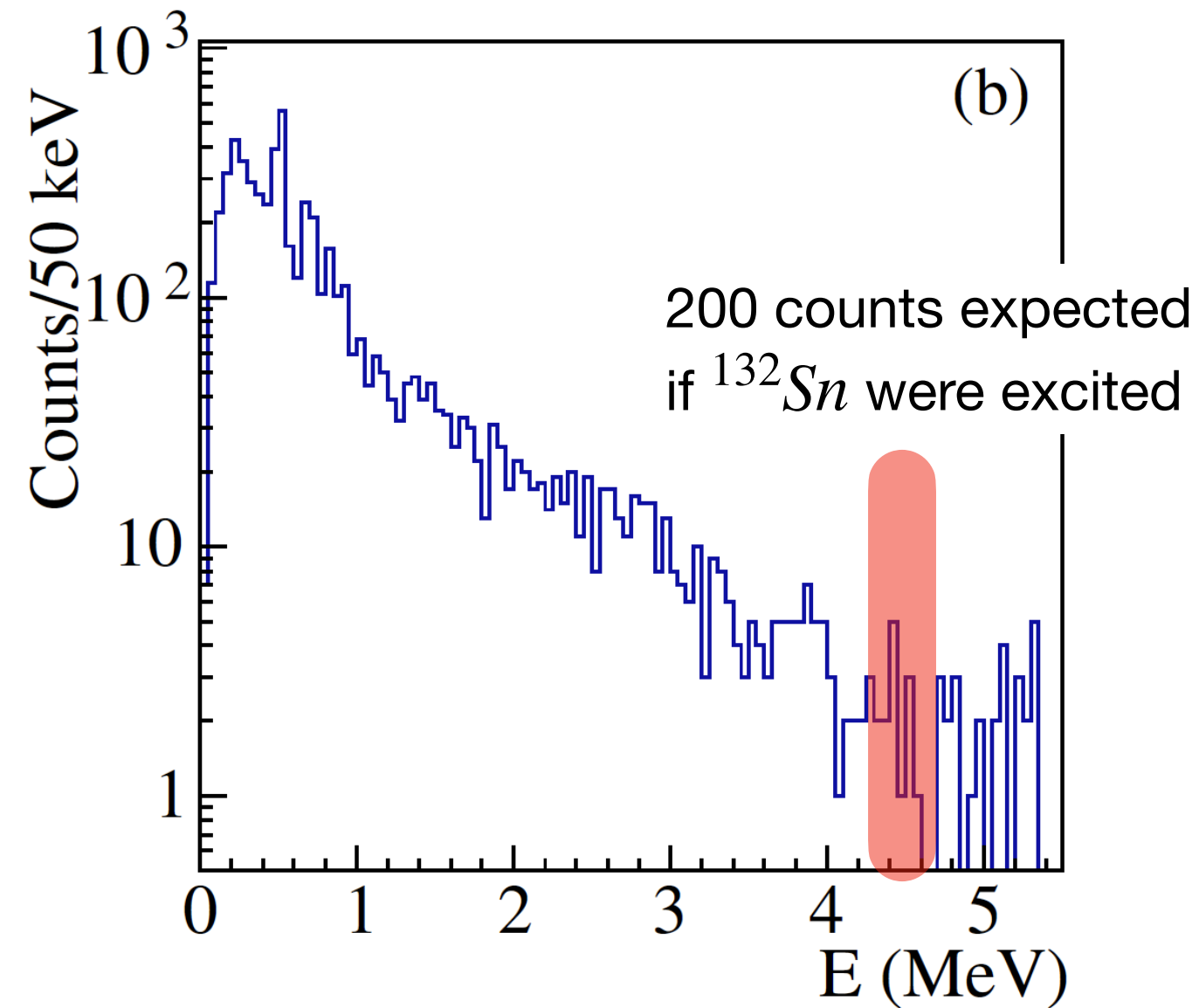
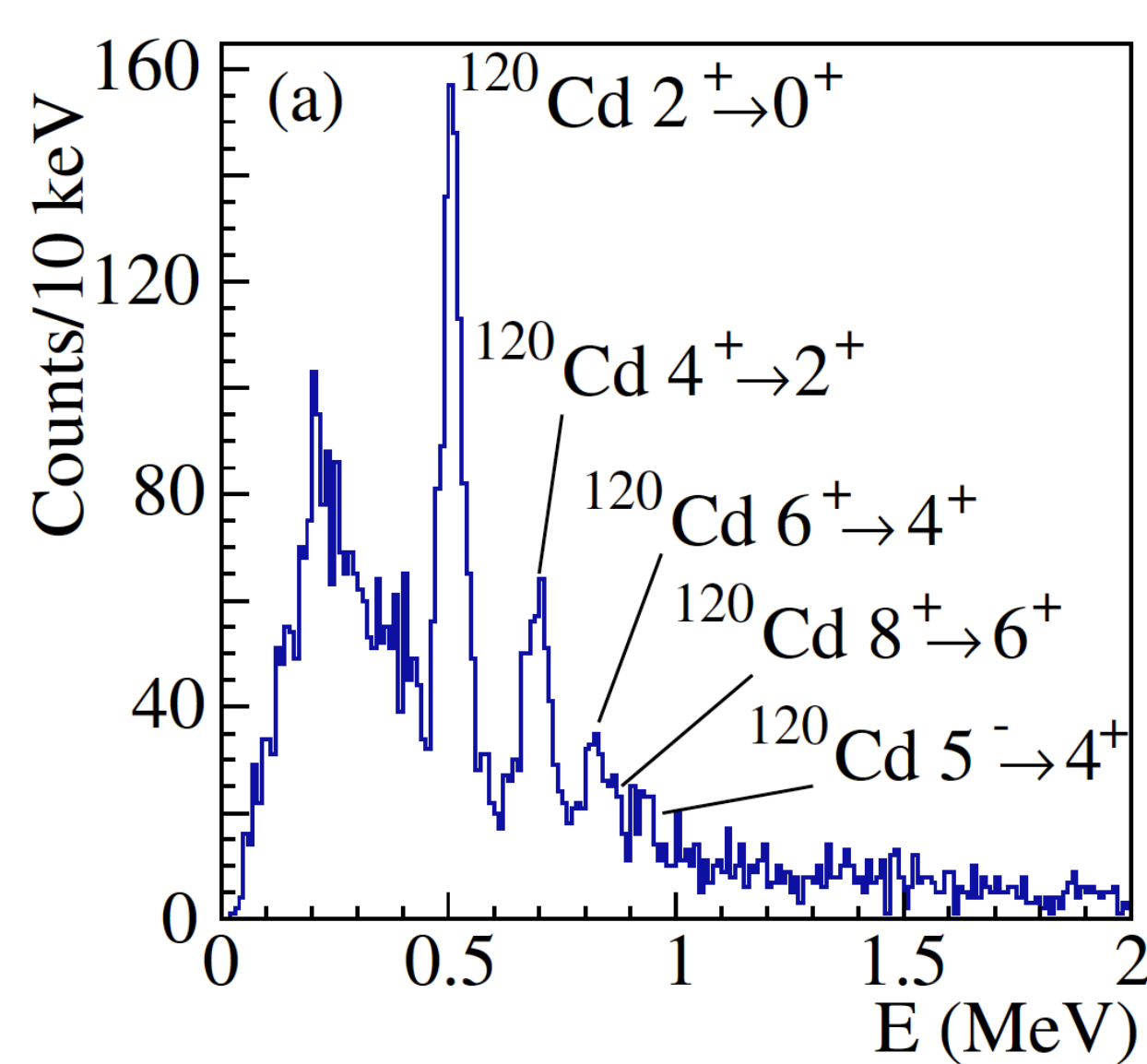
## By-product

$$\mathbf{J}(^{252}\text{Cf}) = \mathbf{J}(^{120}\text{Cd}) + \mathbf{J}(^{132}\text{Sn}) + \mathbf{\Lambda}$$

$$\mathbf{0} = \mathbf{J}(^{120}\text{Cd}) + \mathbf{\Lambda}$$

The fragment angular momentum is perpendicular to the fission axis.

# The exceptional $^{120}\text{Cd}/^{132}\text{Sn}$ fragmentation



Only  $\gamma$ -rays from the light fragment.  
 $\Rightarrow$   $^{132}\text{Sn}$  in its GS for at least 95% of selected events.

$$\text{TXE} = E^*(\text{Cd}) + E^*(\text{Sn}) = E^*(\text{Cd})$$

Angular momentum distribution needed to reproduce the measured spectrum.

# Angular momentum and deformation

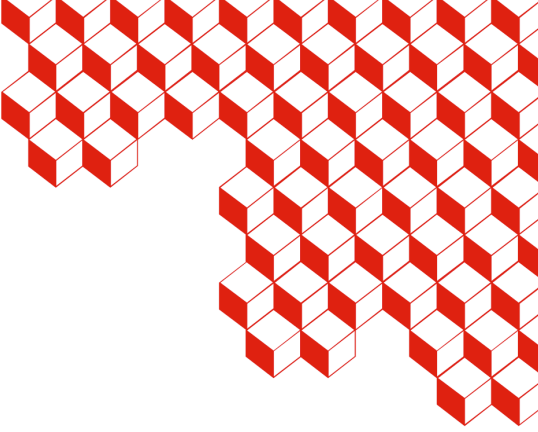
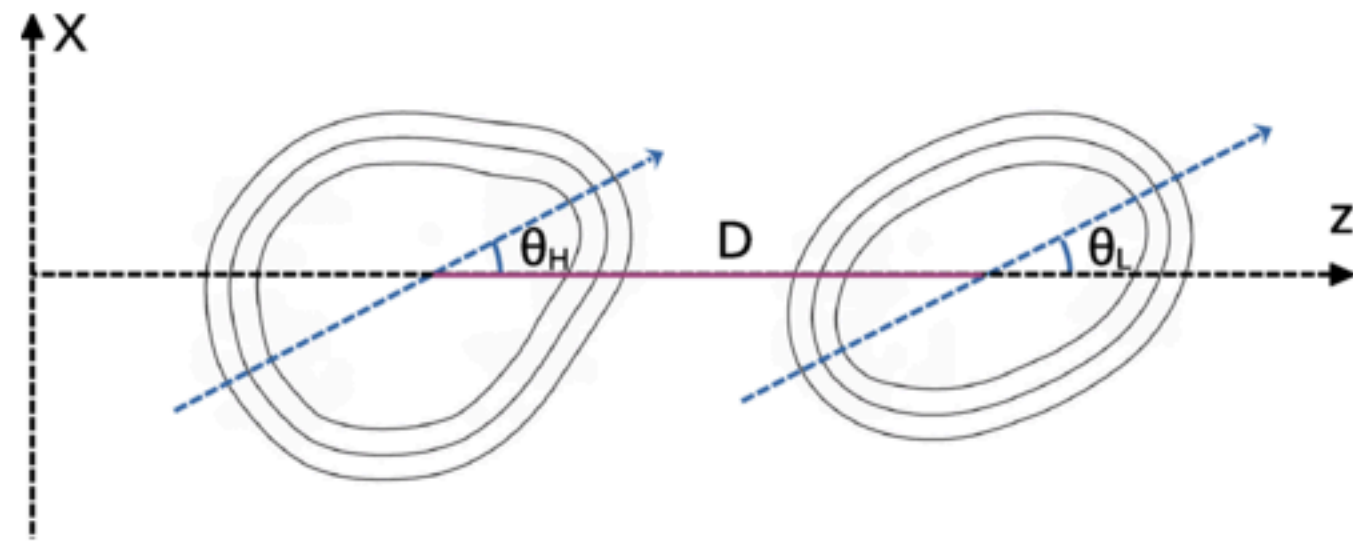
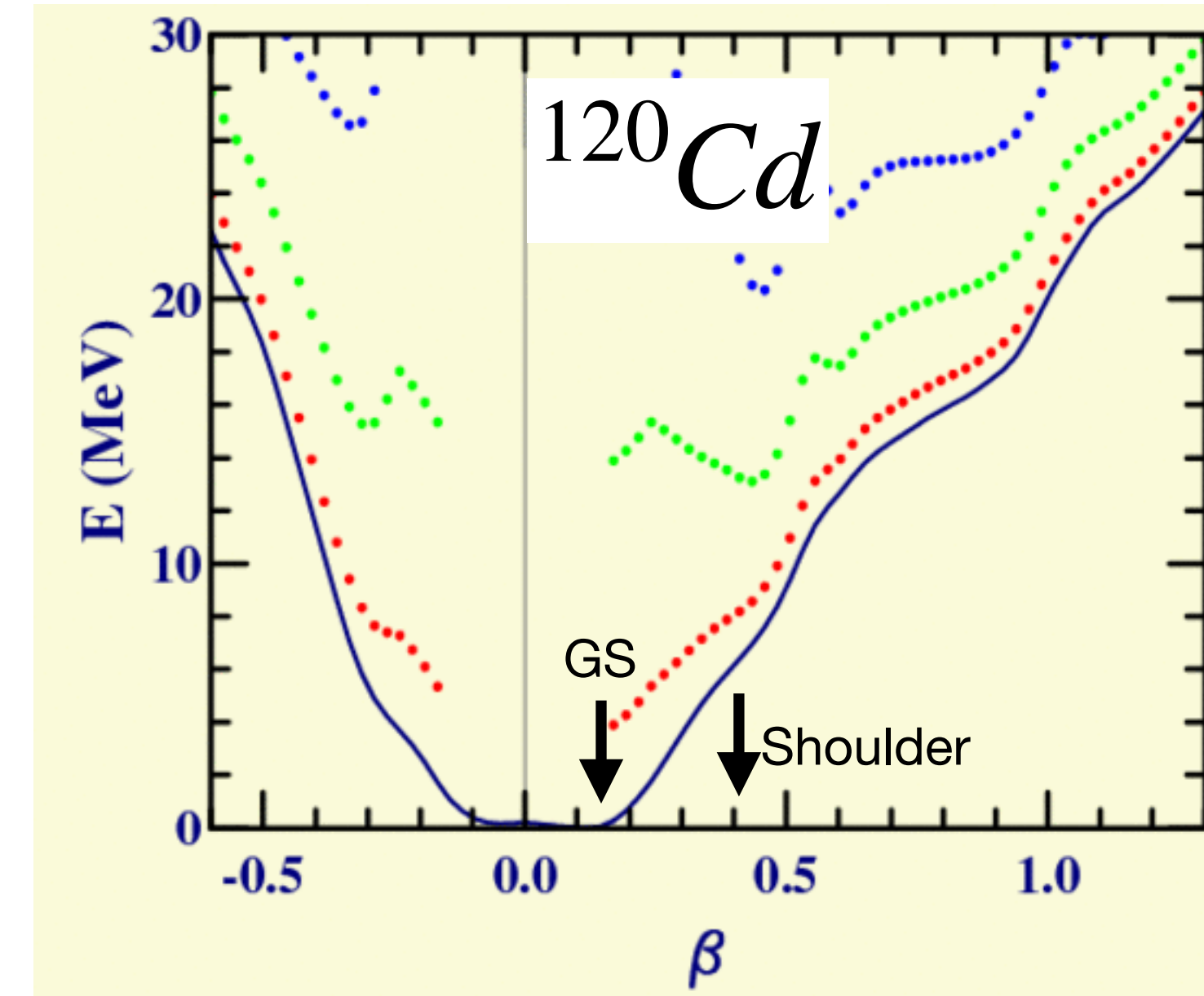


FIG. 1.

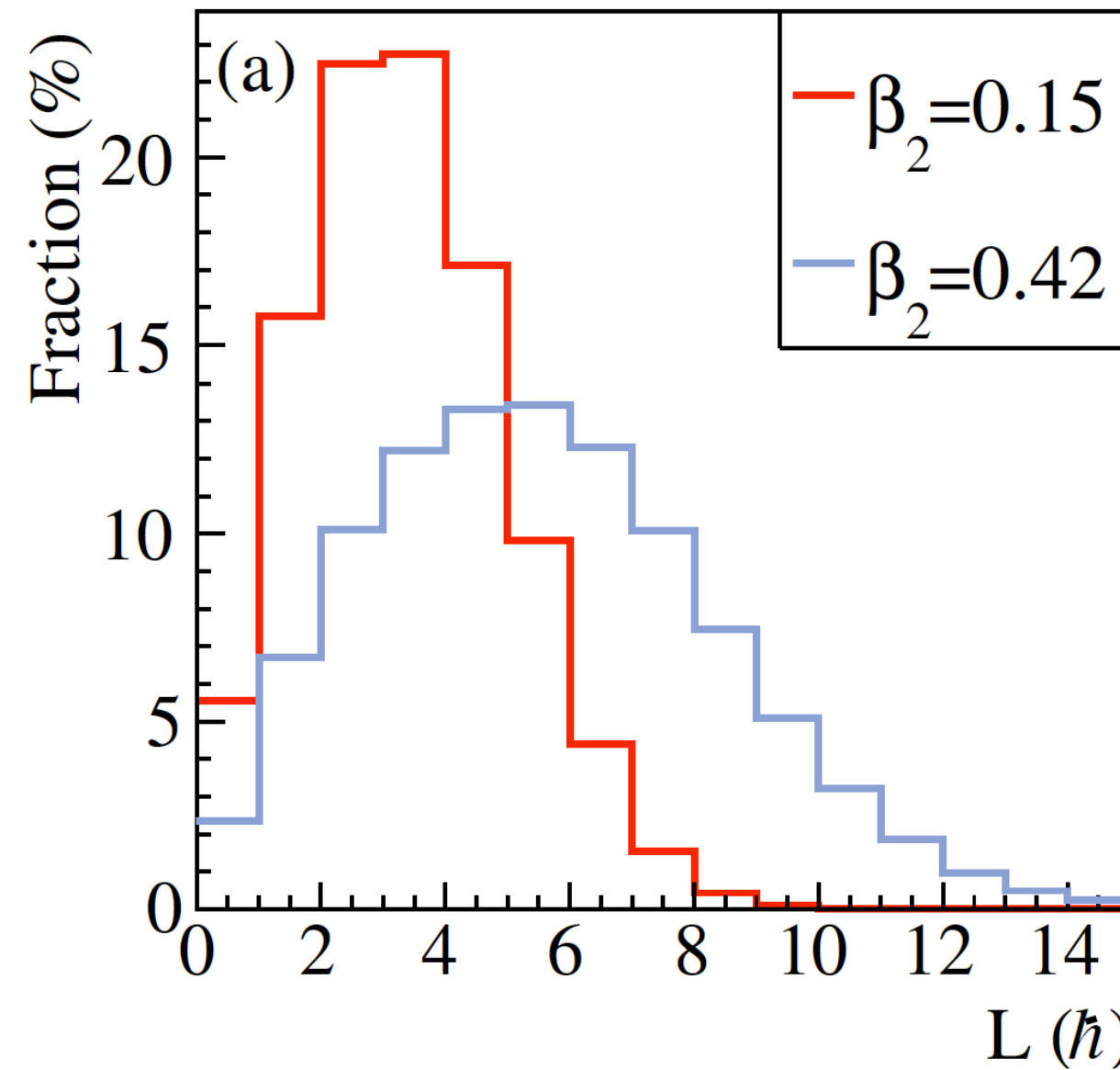
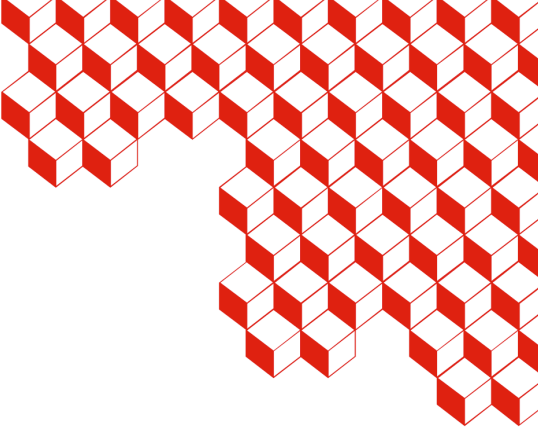


Schematic view of the model in the  $x$ - $z$  plane in the case of  $\varphi_H = 0$  and  $\varphi_L = 0$ . The blue dashed line shows the principal axis of deformation of each fragment.

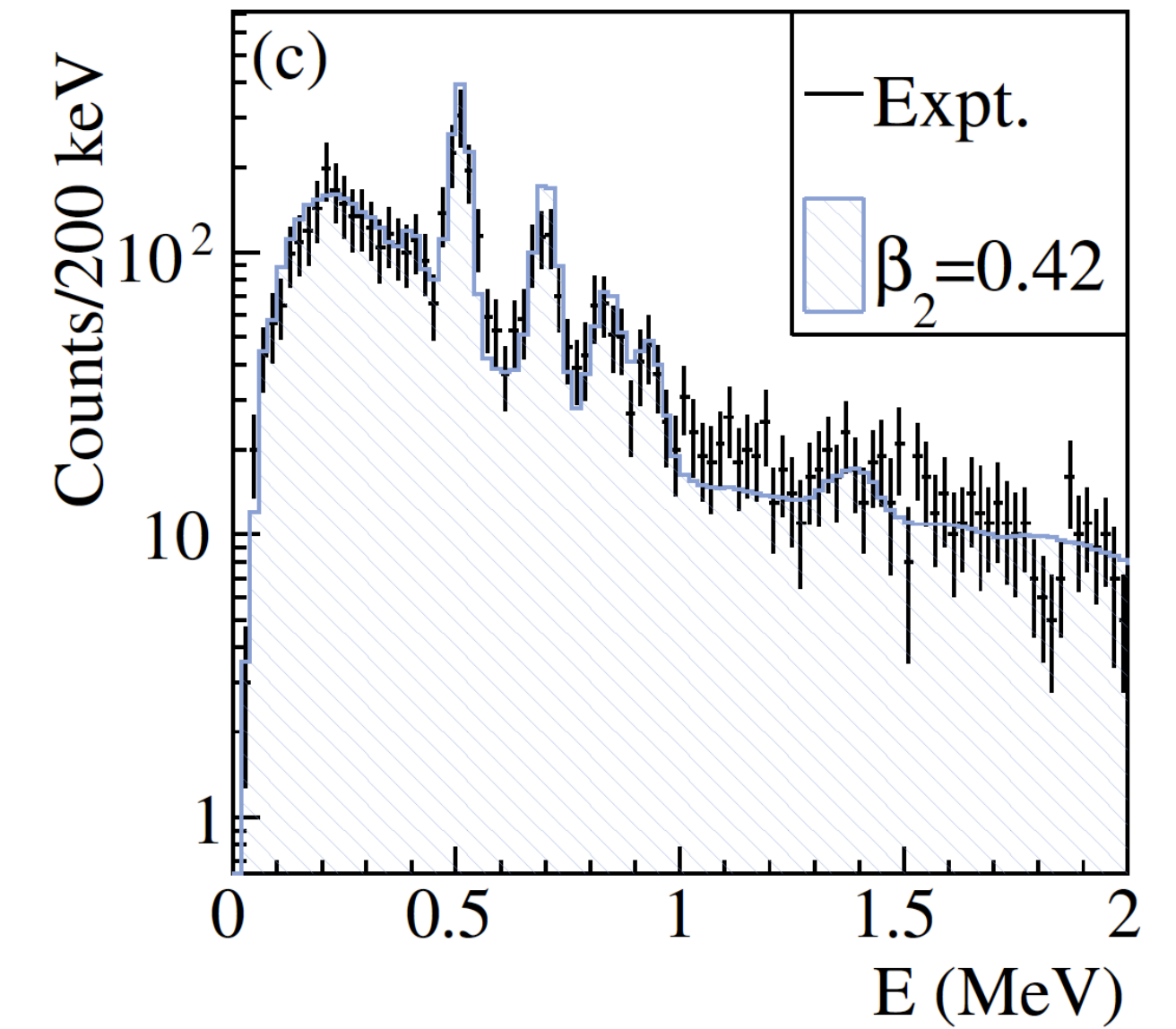
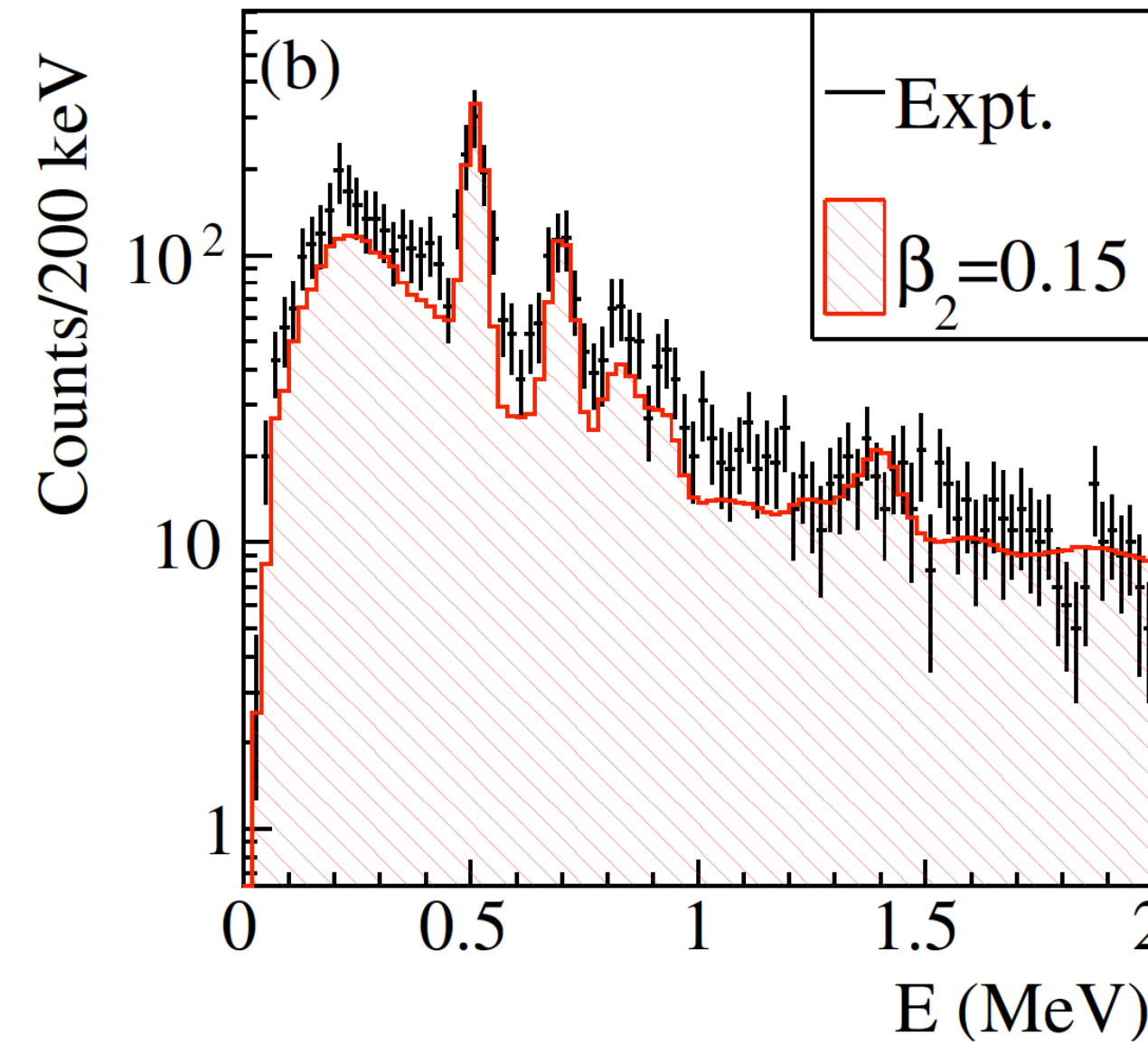
Orientation/pumping mechanism for AM generation.  
G. Scamps and G. Bertsch, Phys. Rev. C 108, 034616 (2023).  
See next Talk.



# Angular momentum and deformation



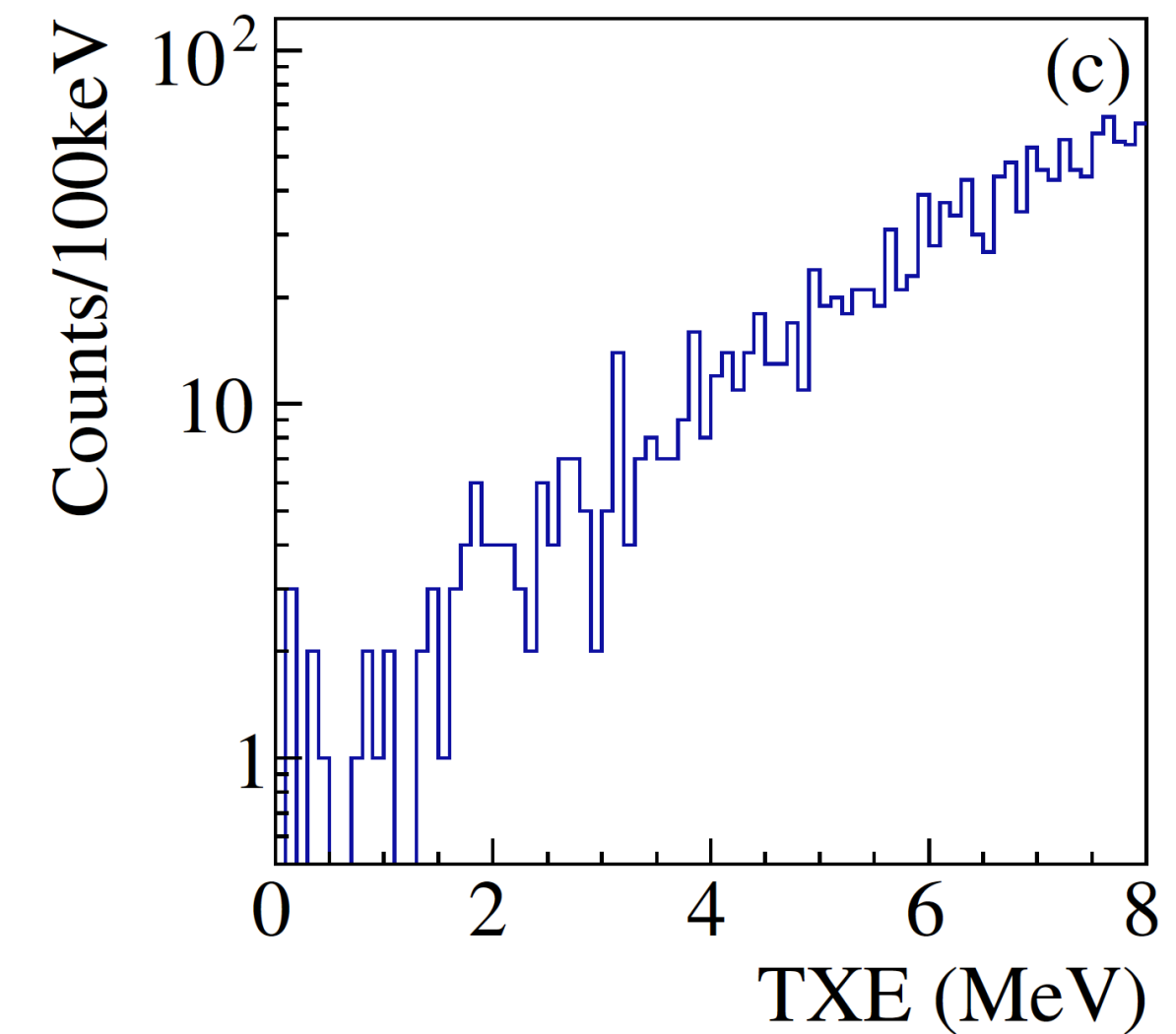
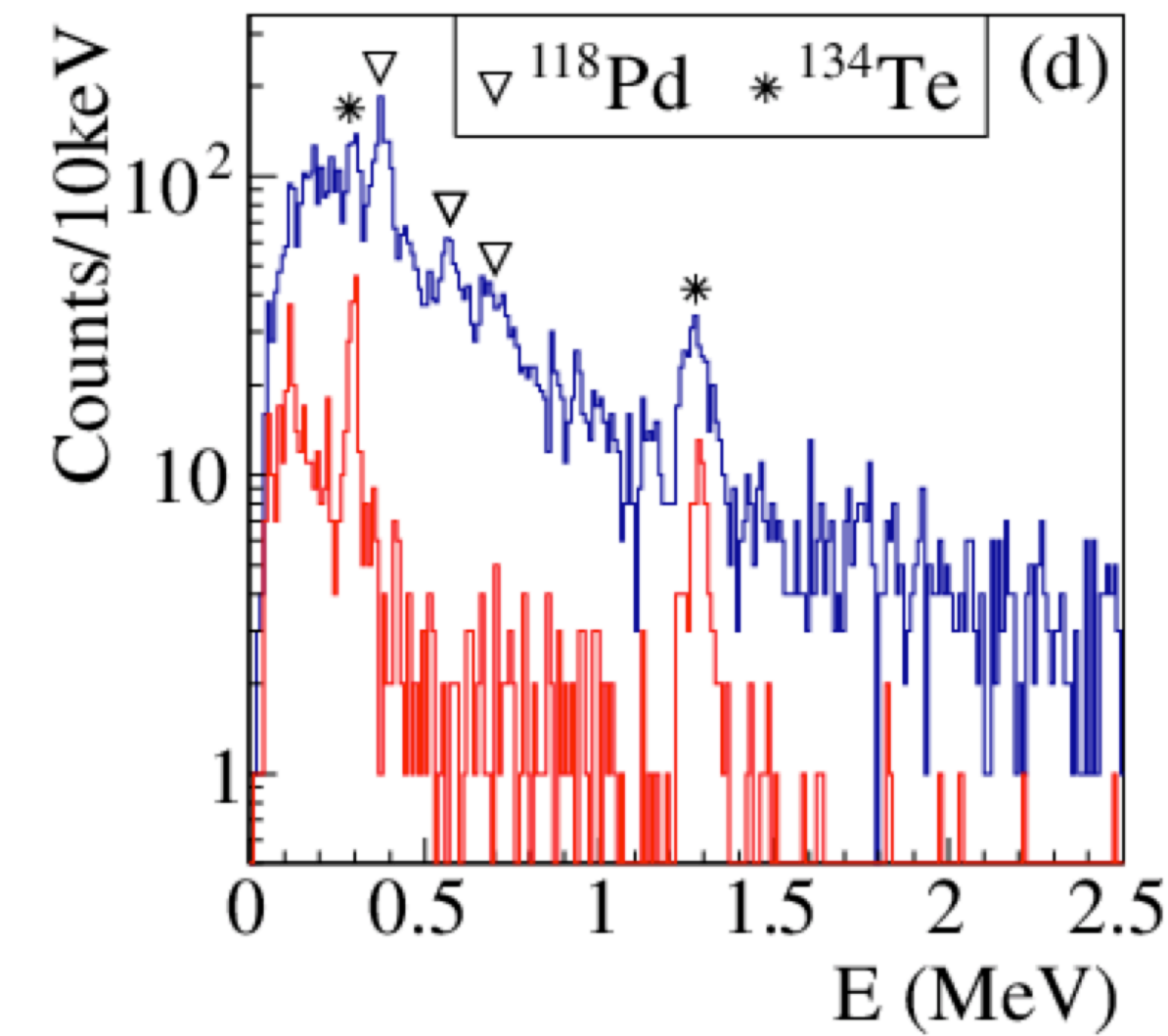
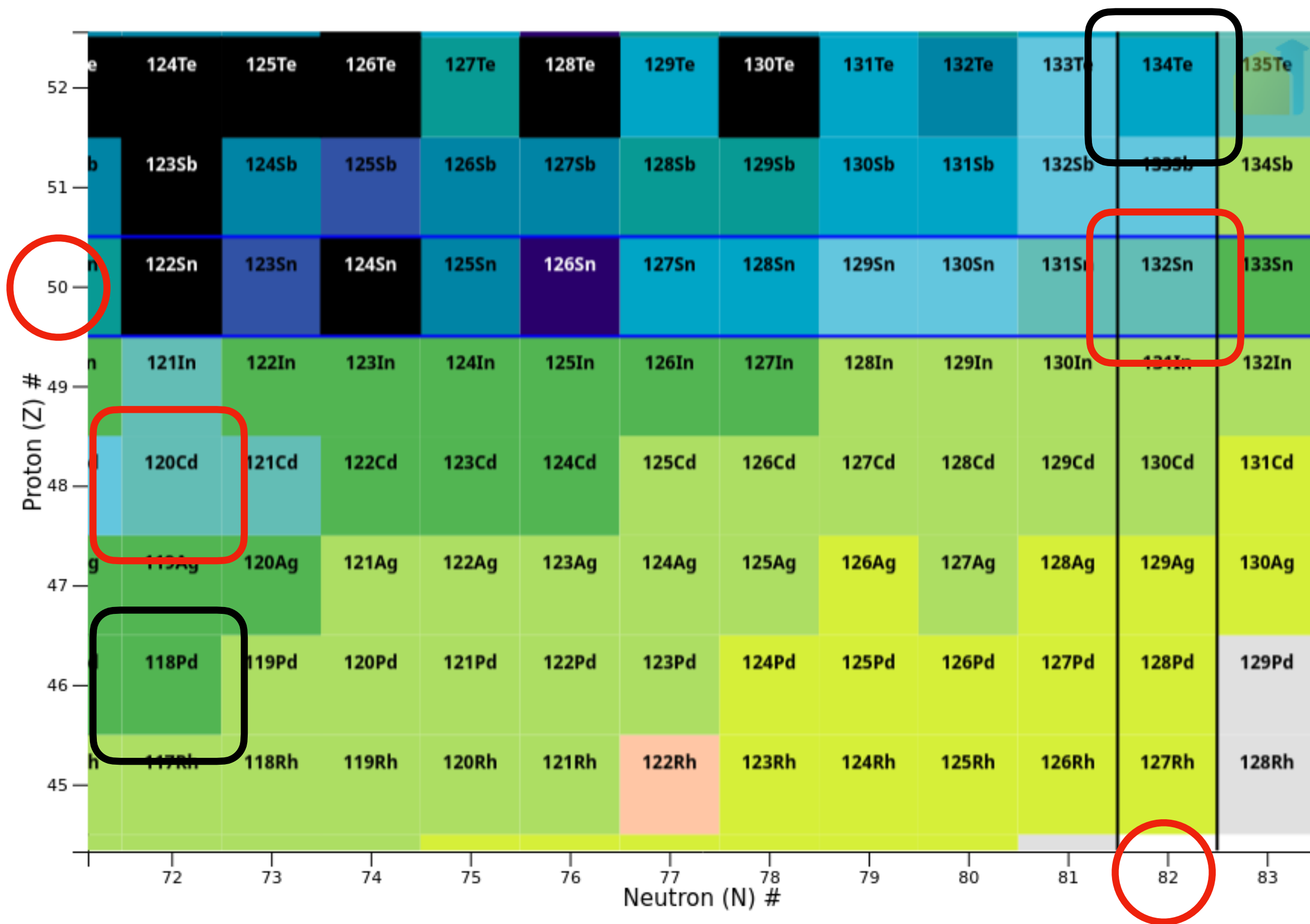
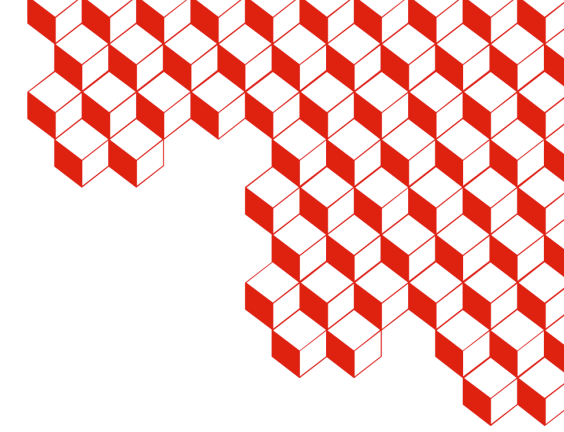
Orientation/pumping mechanism for AM generation.  
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Good agreement for  $\beta = 0.42$   
Reproduces :  
⇒  $\gamma$ -ray intensities  
⇒ Global normalization =  $\gamma$  Multiplicity

A. Francheteau *et al.*, Phys. Rev. Lett. **132**, 142501 (2024)

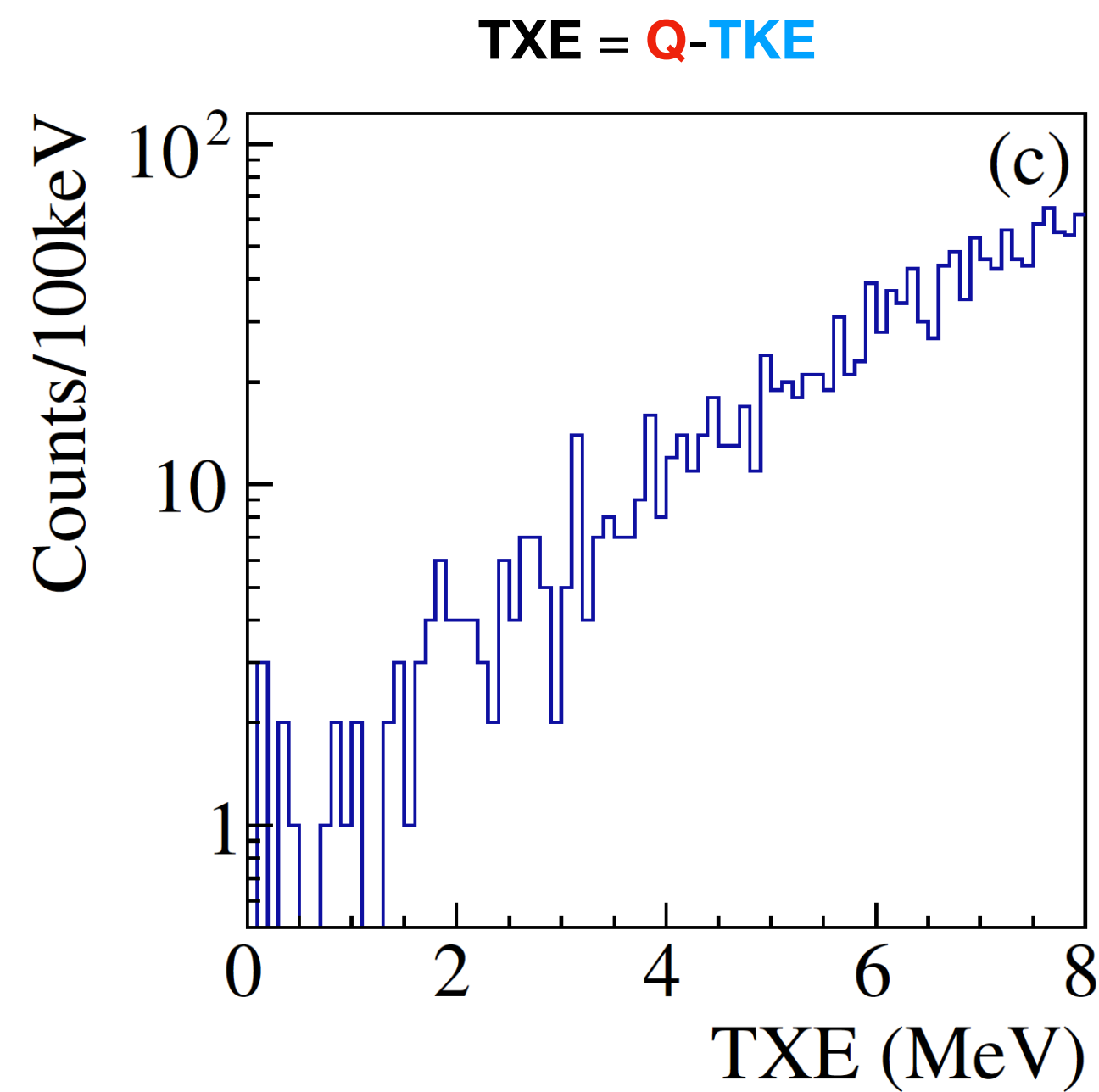
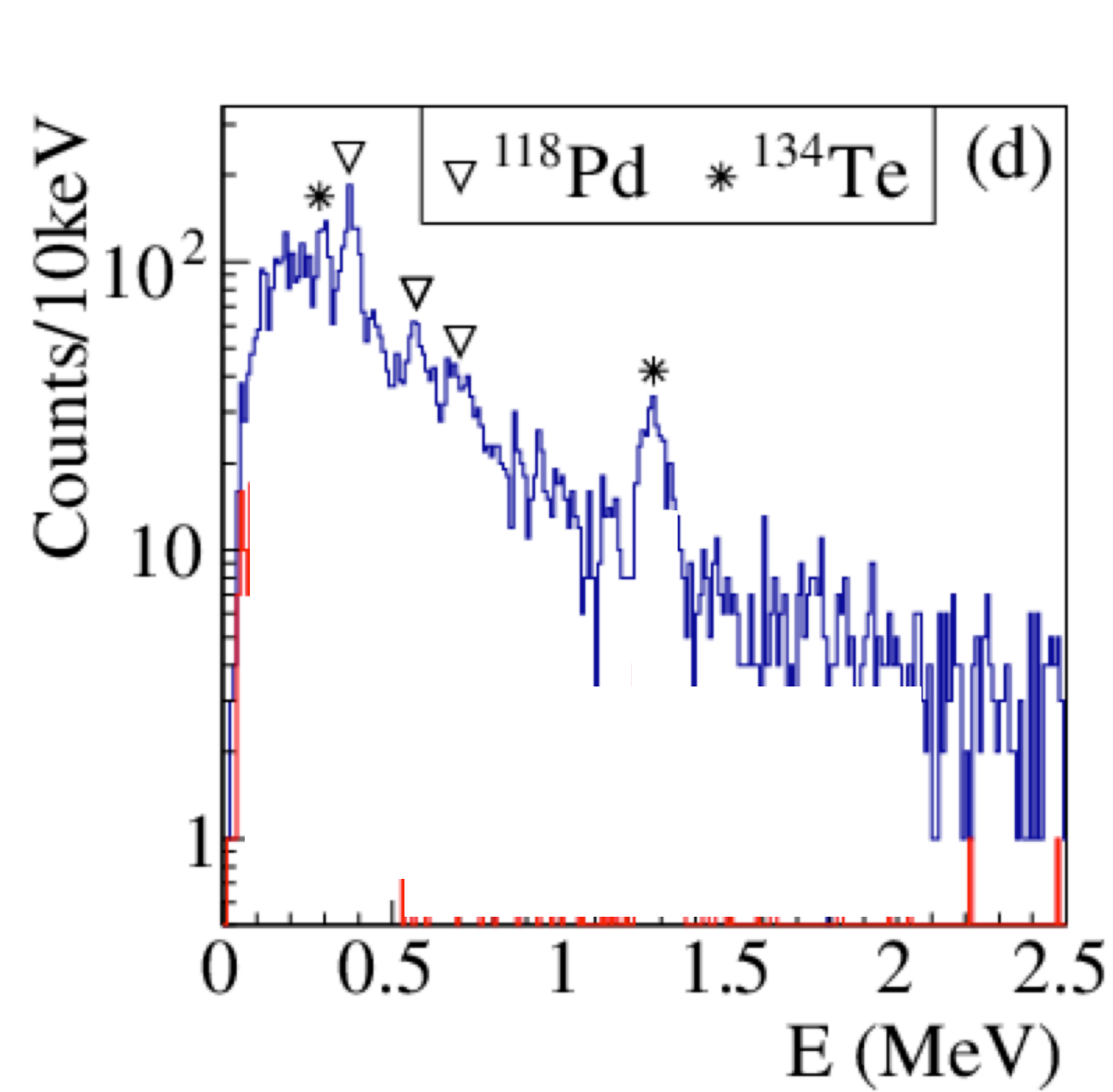
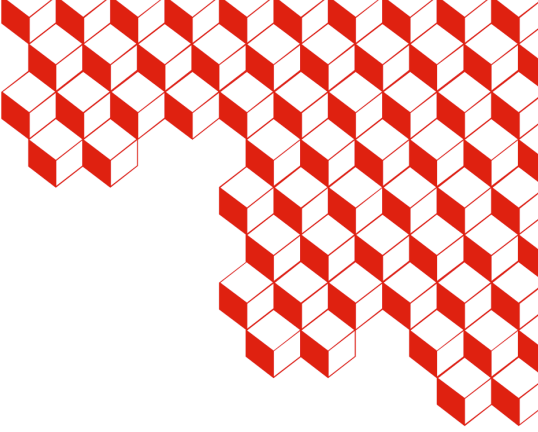
# Excitation Energy Sharing : Pd/Te



Which sharing of TXE allows to reproduce the properties of the  $\gamma$ -ray spectrum?

Neighboring fragmentation : expected similar behavior  
 But :  
 -both fragments are excited.

# Measured properties to reproduce



- $TXE = E_x^H + E_X^L$

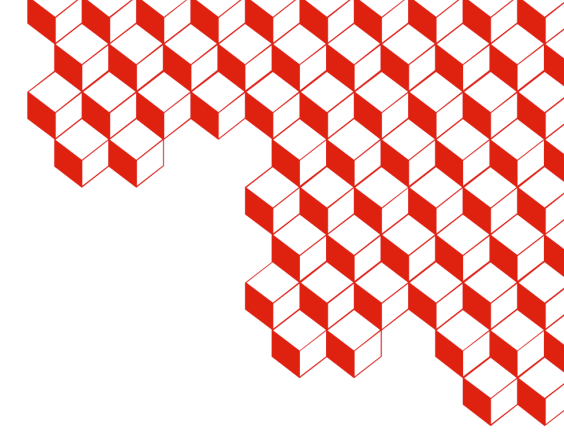
- $^{118}Pd \Rightarrow I(2_1^+) = 75(7)\%$  and  $I(4_1^+) = 22(8)\%$

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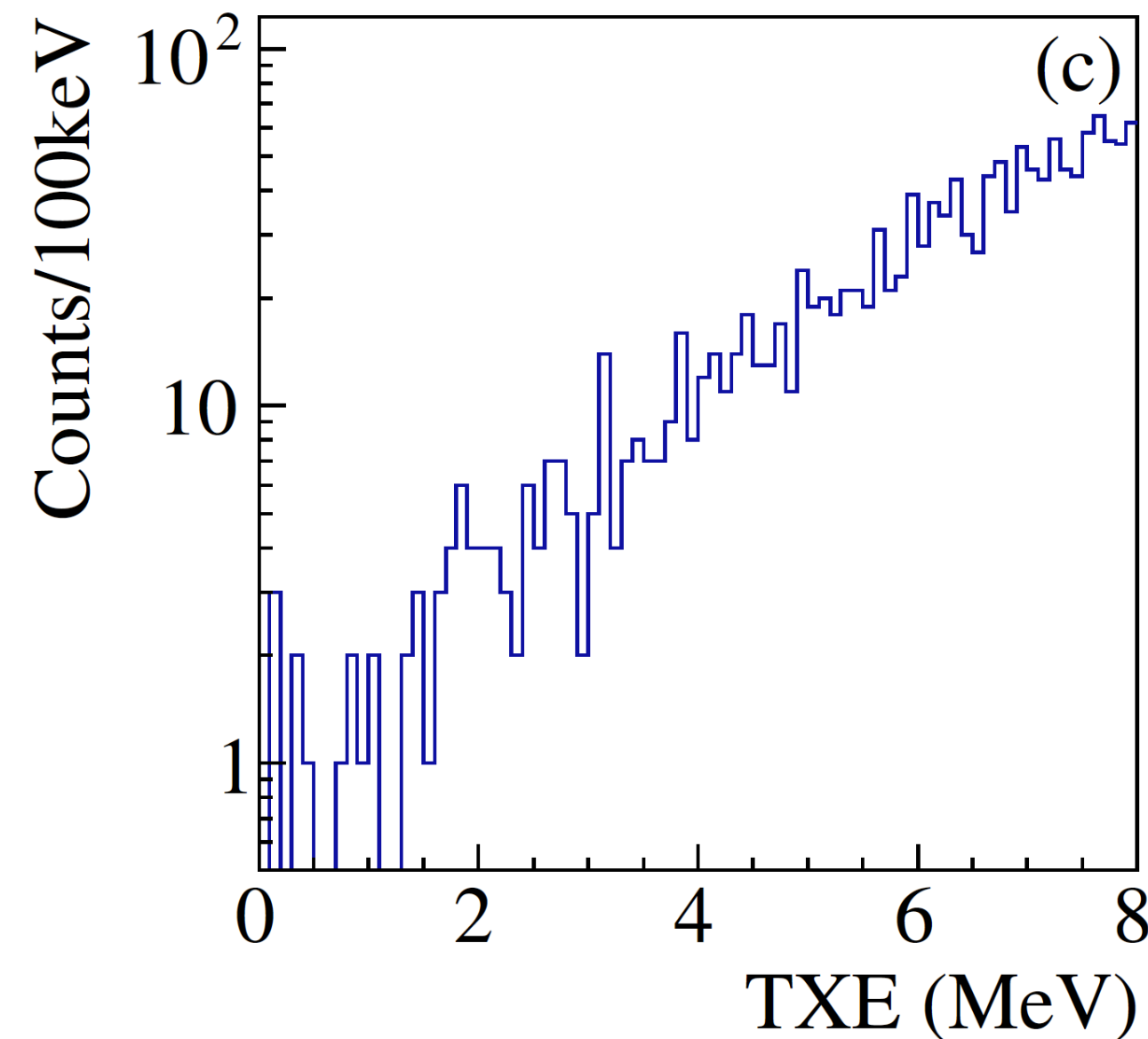
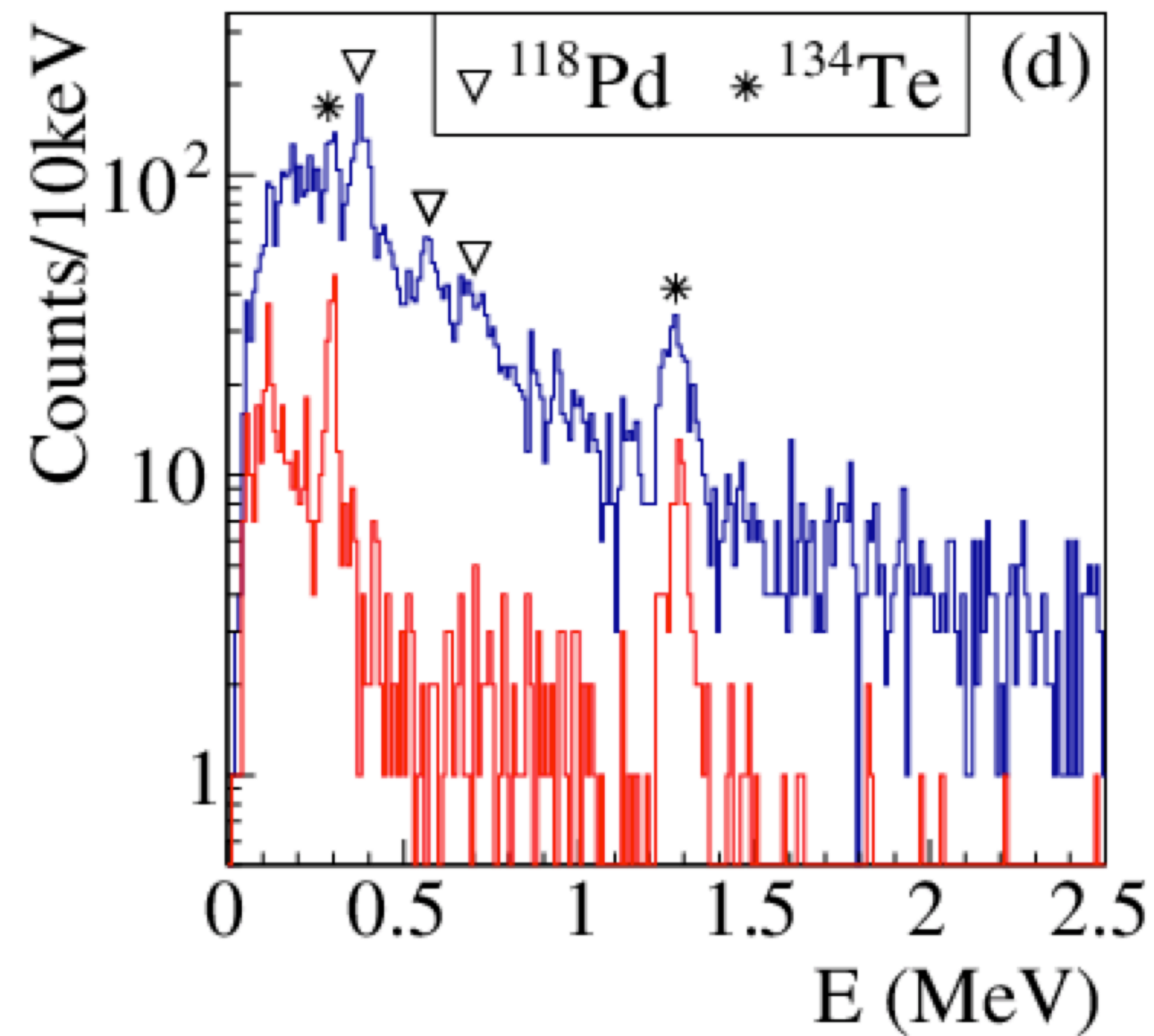
Where is the missing  $2^+$  intensity?

$\Rightarrow$  Similar to Cd/Sn? Large GS direct population?

# Measured properties to reproduce



$$\text{TXE} = Q - \text{TKE}$$



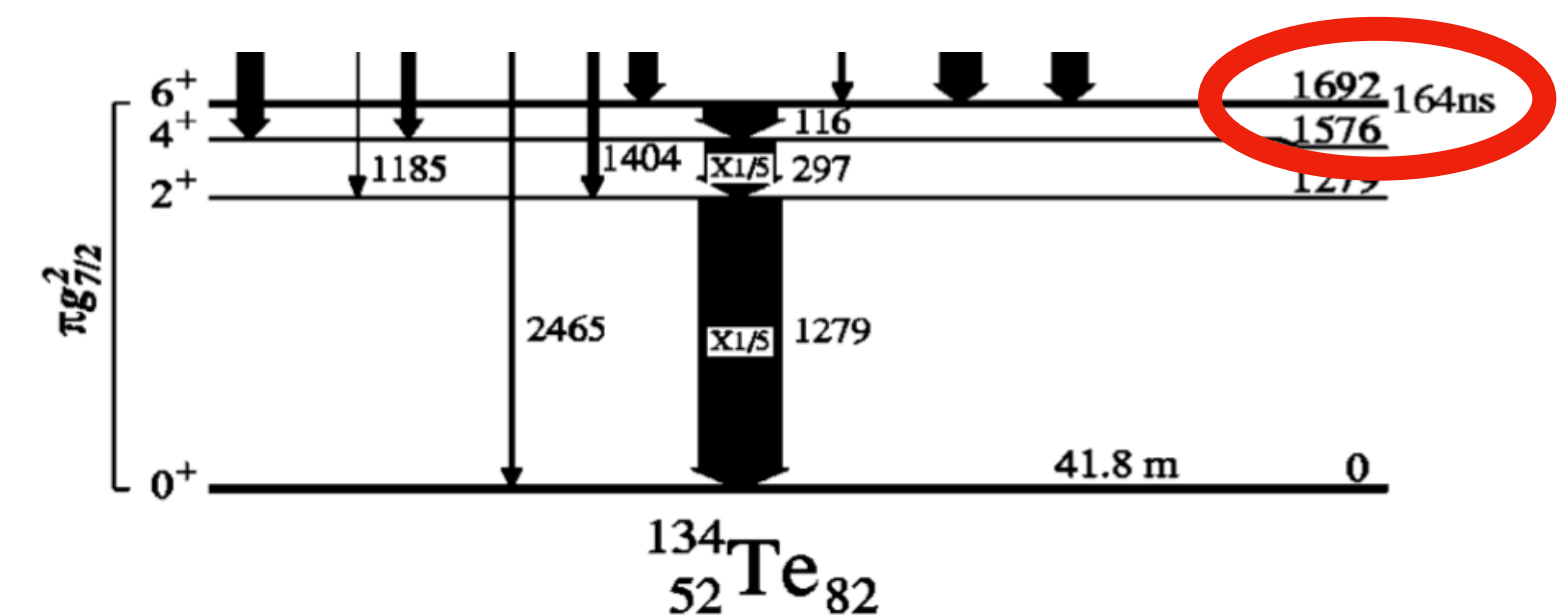
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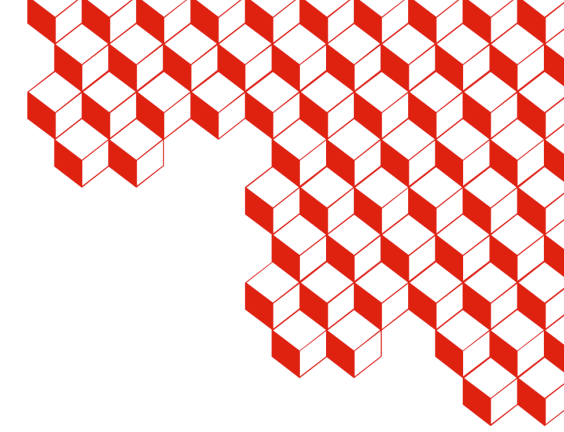
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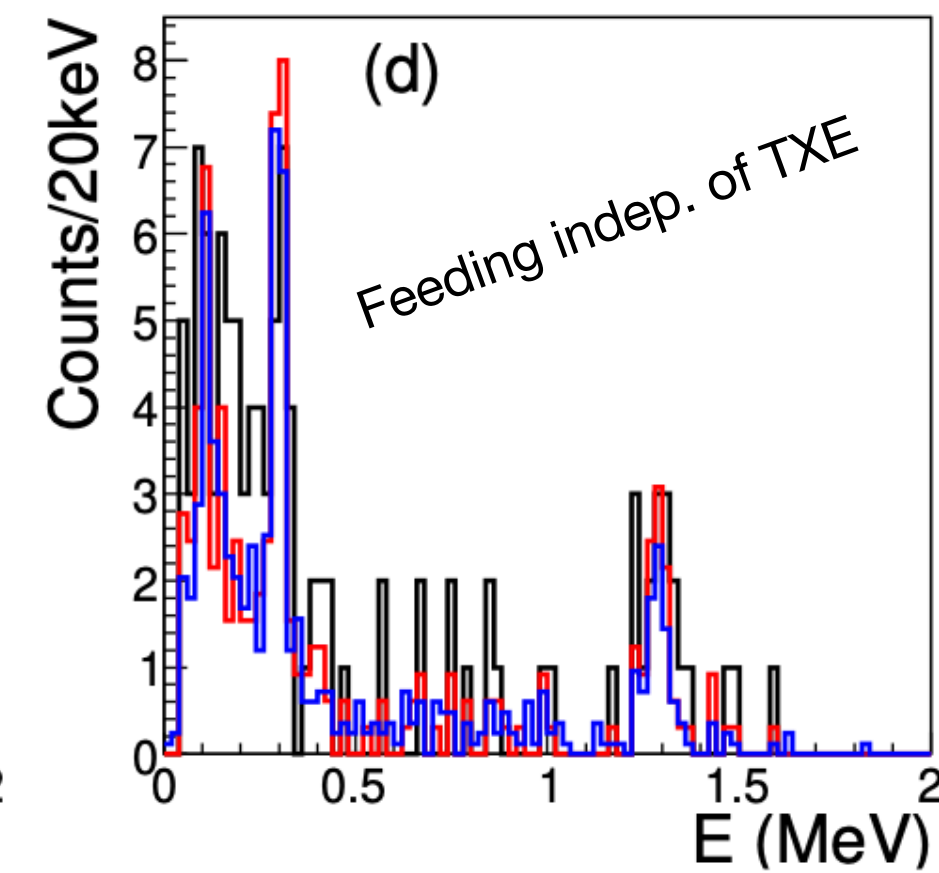
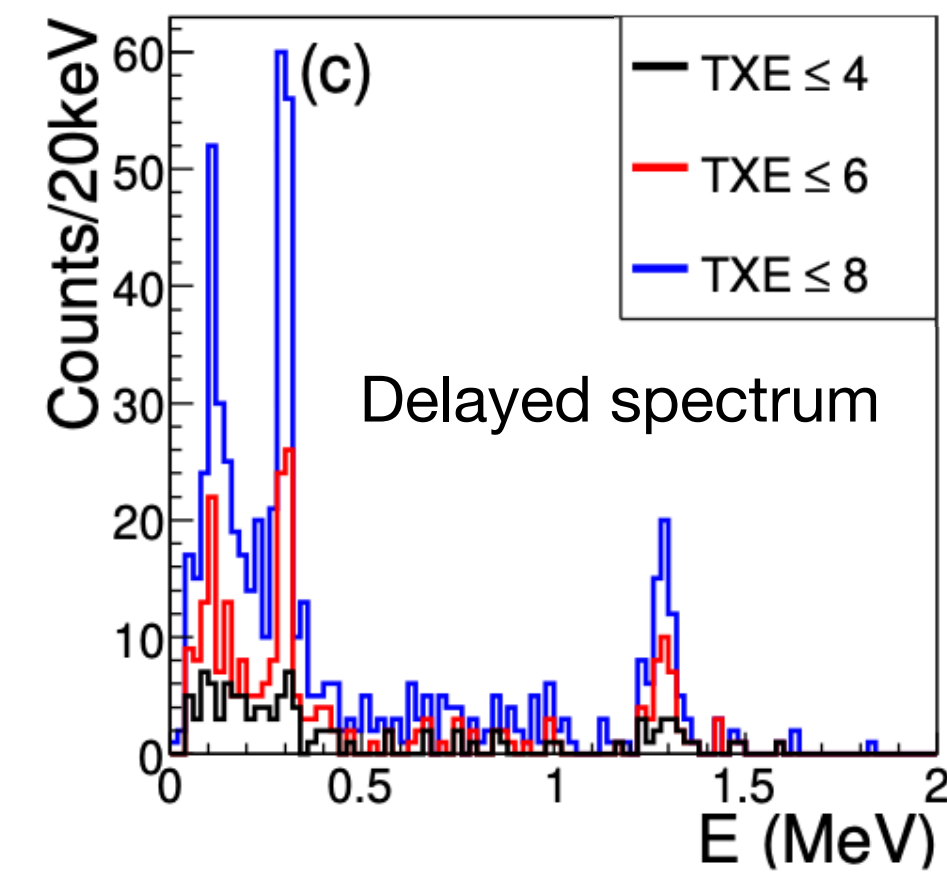
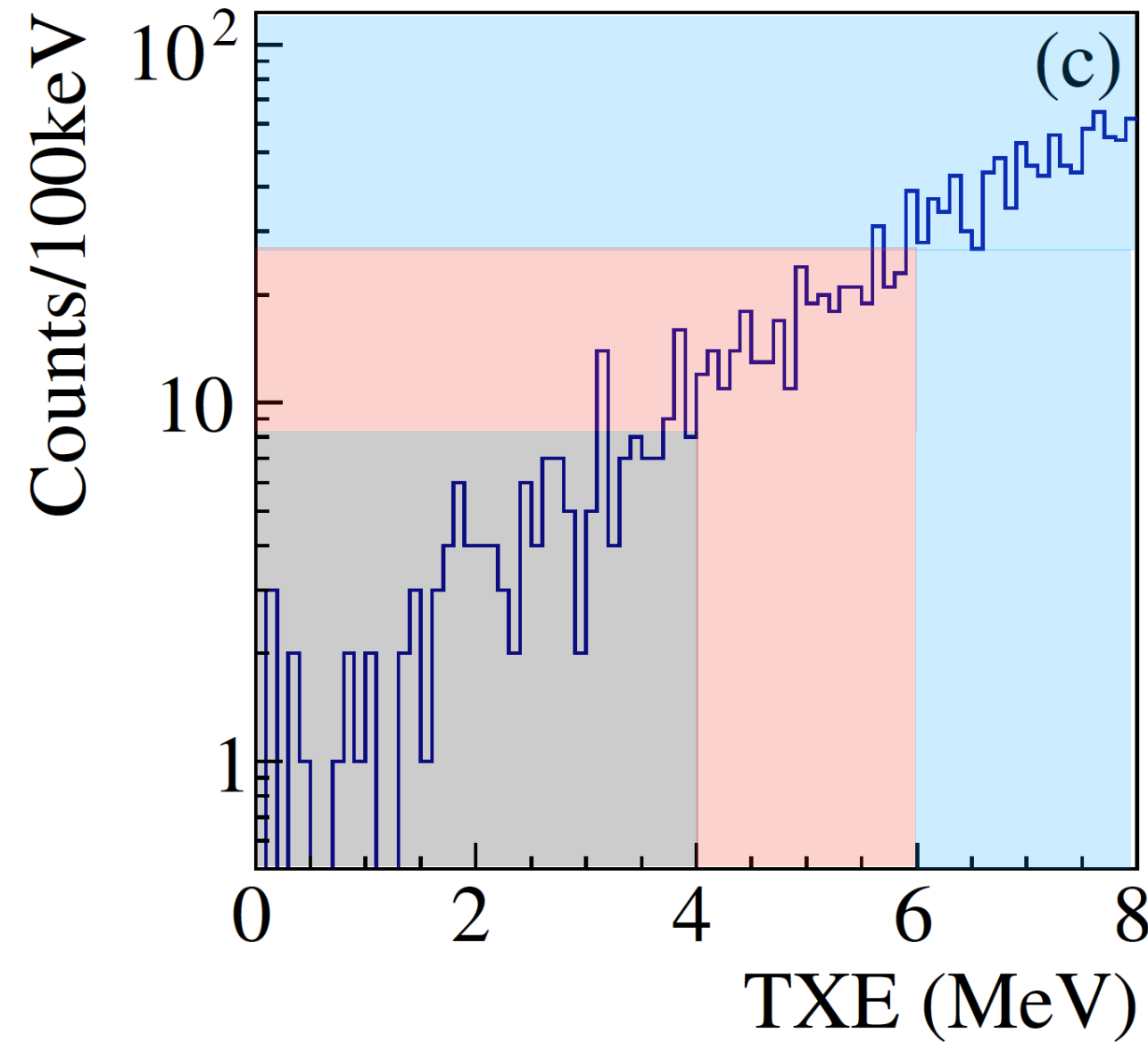
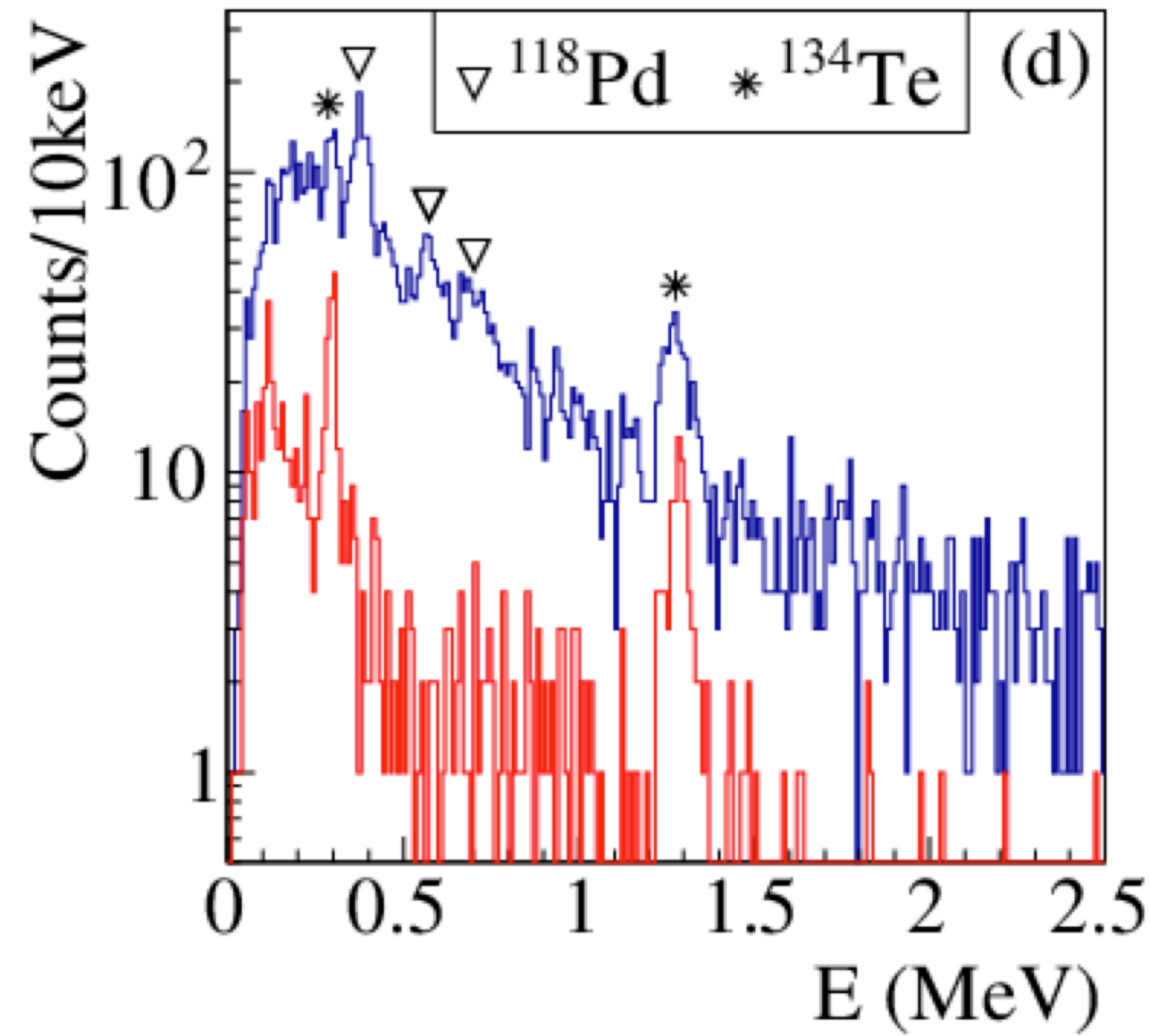
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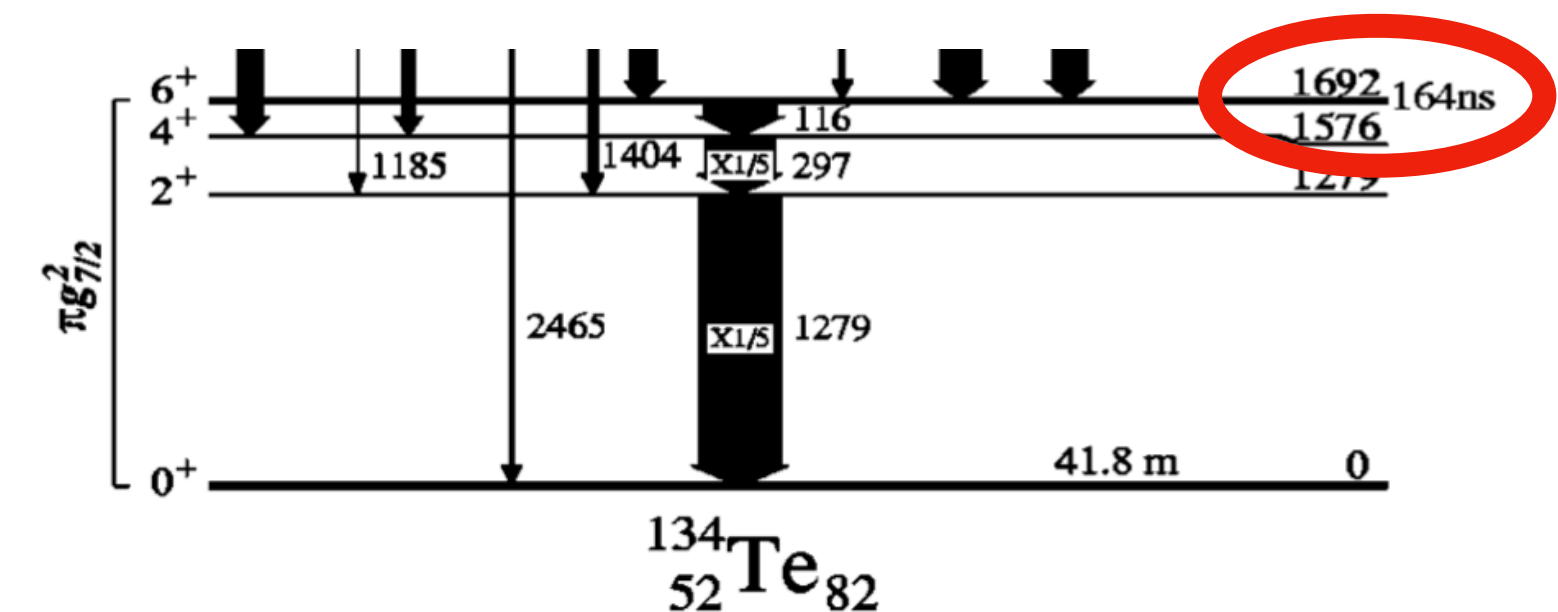
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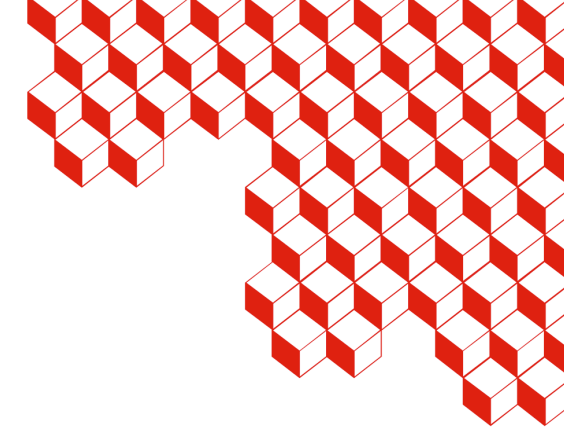
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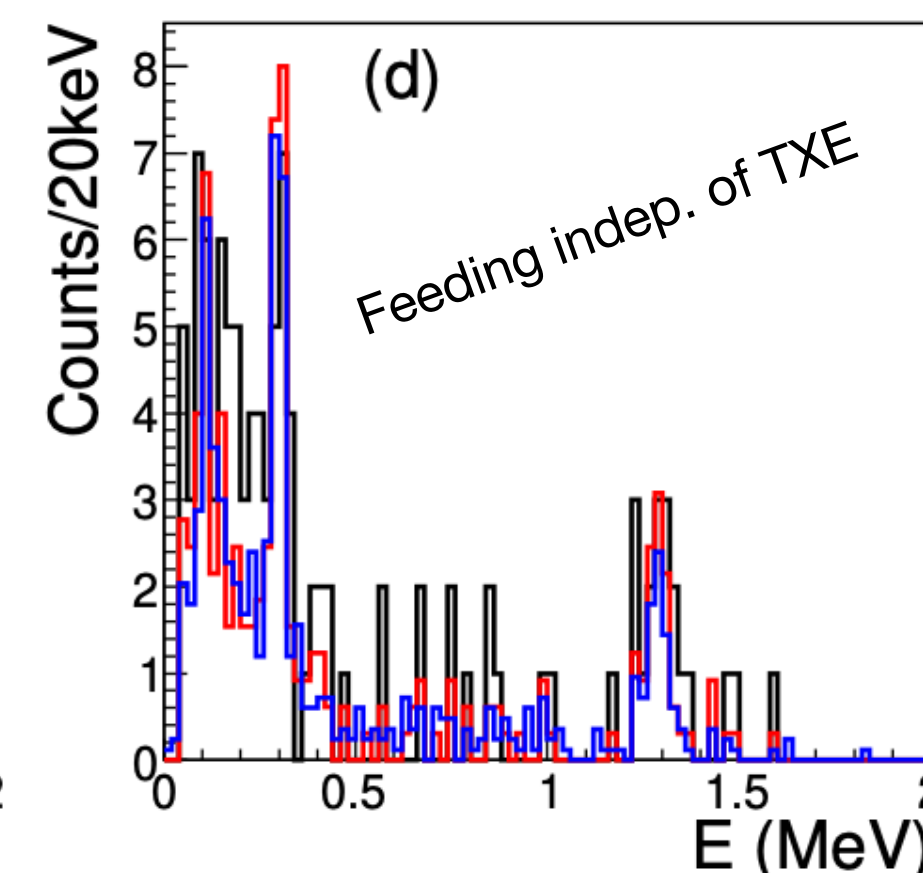
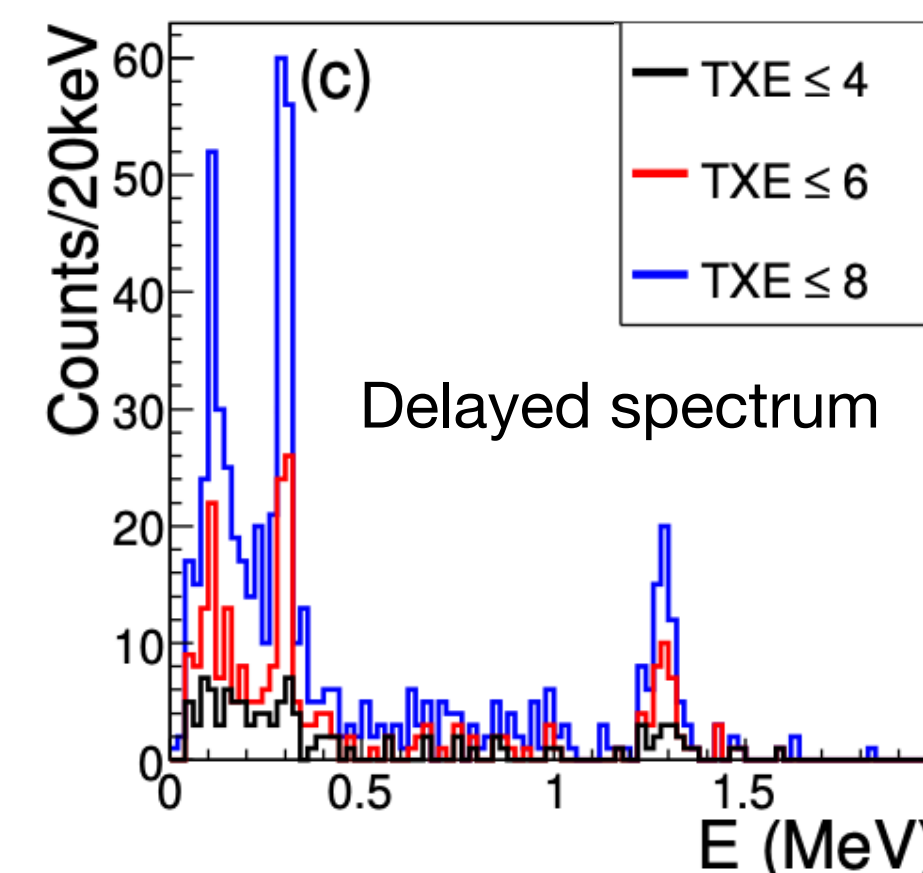
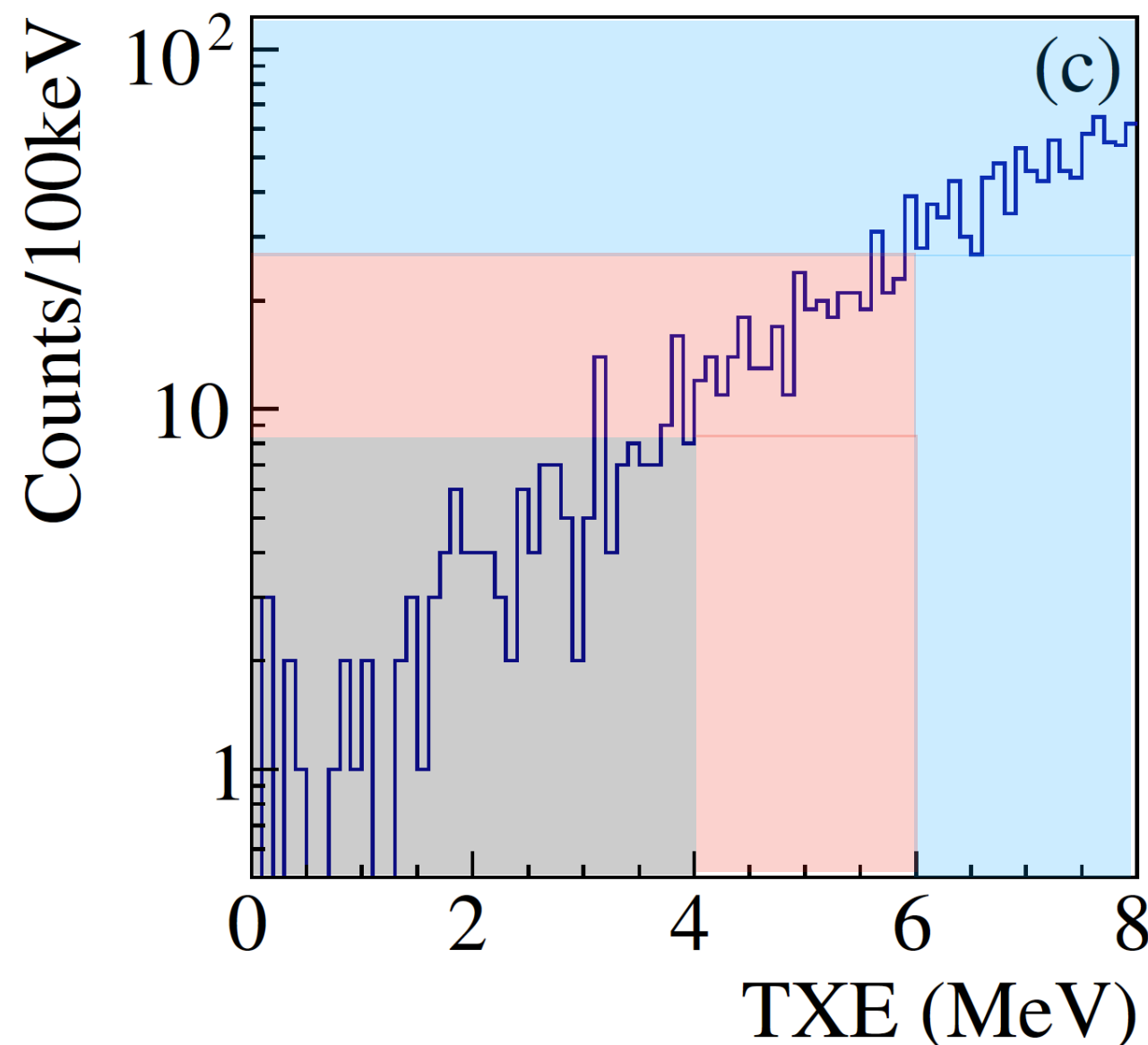
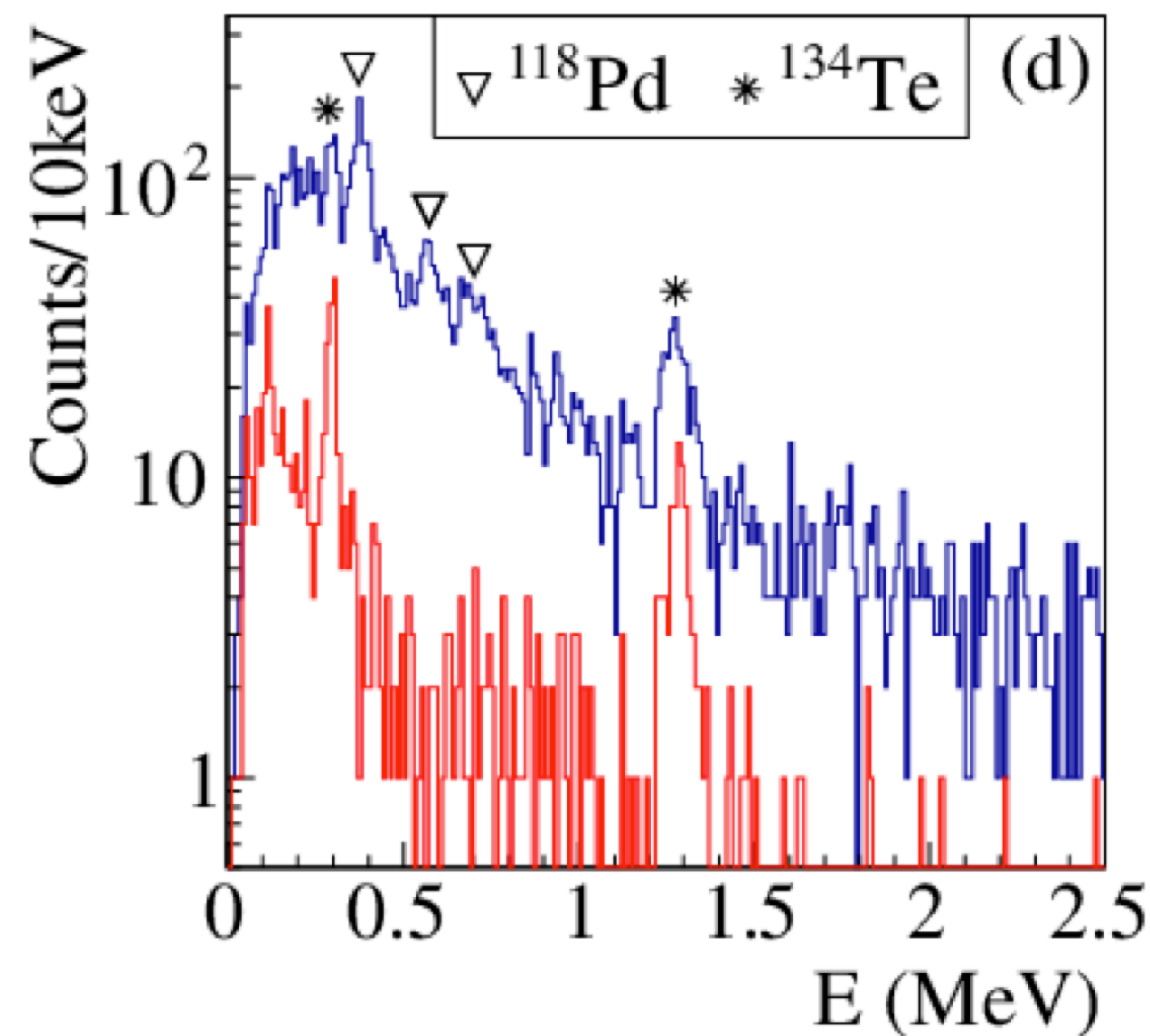
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# Measured properties to reproduce



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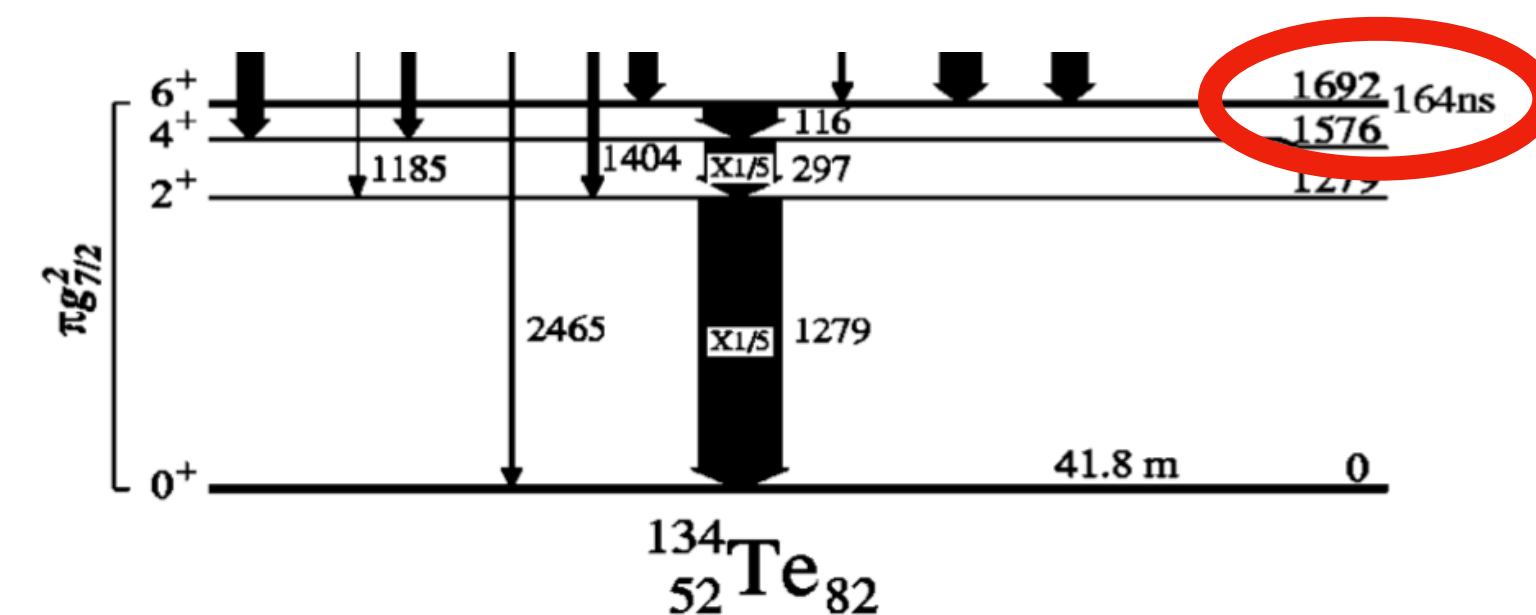
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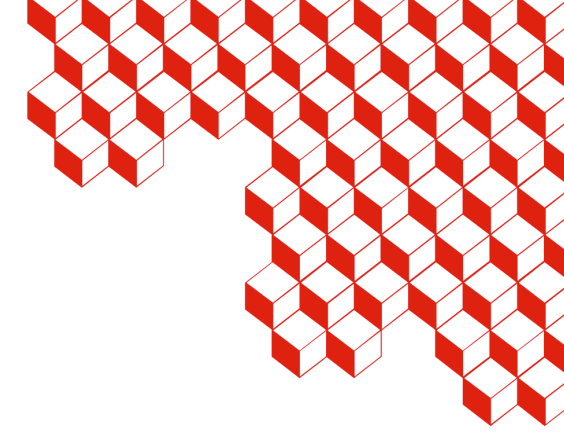
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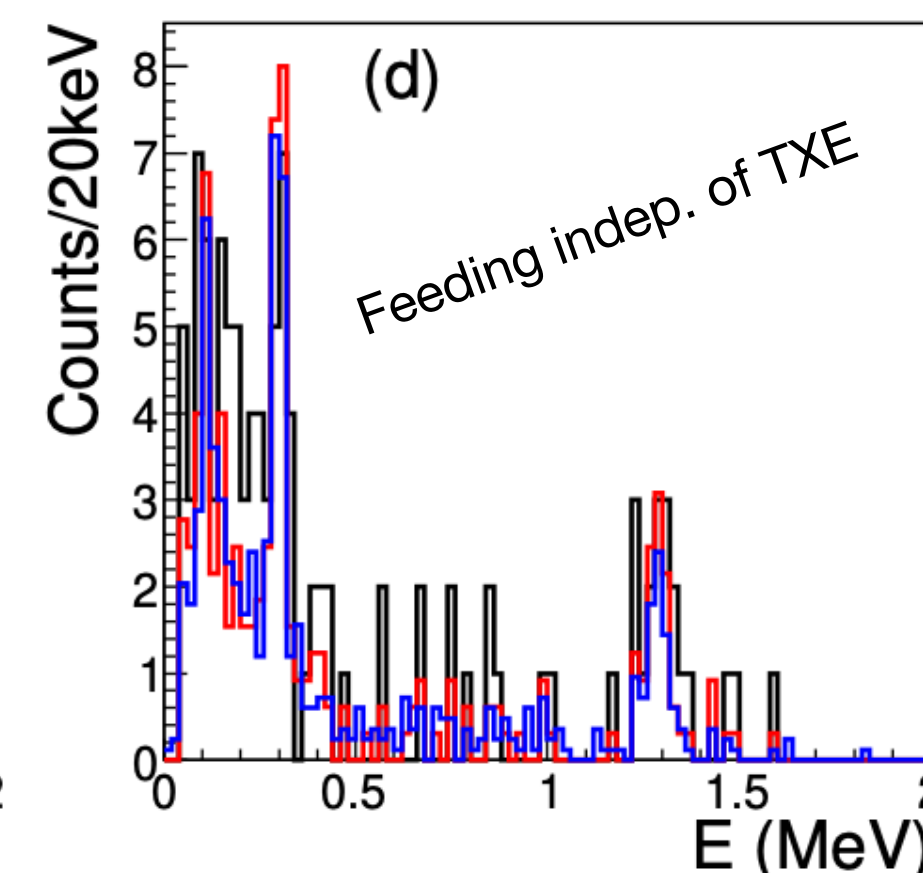
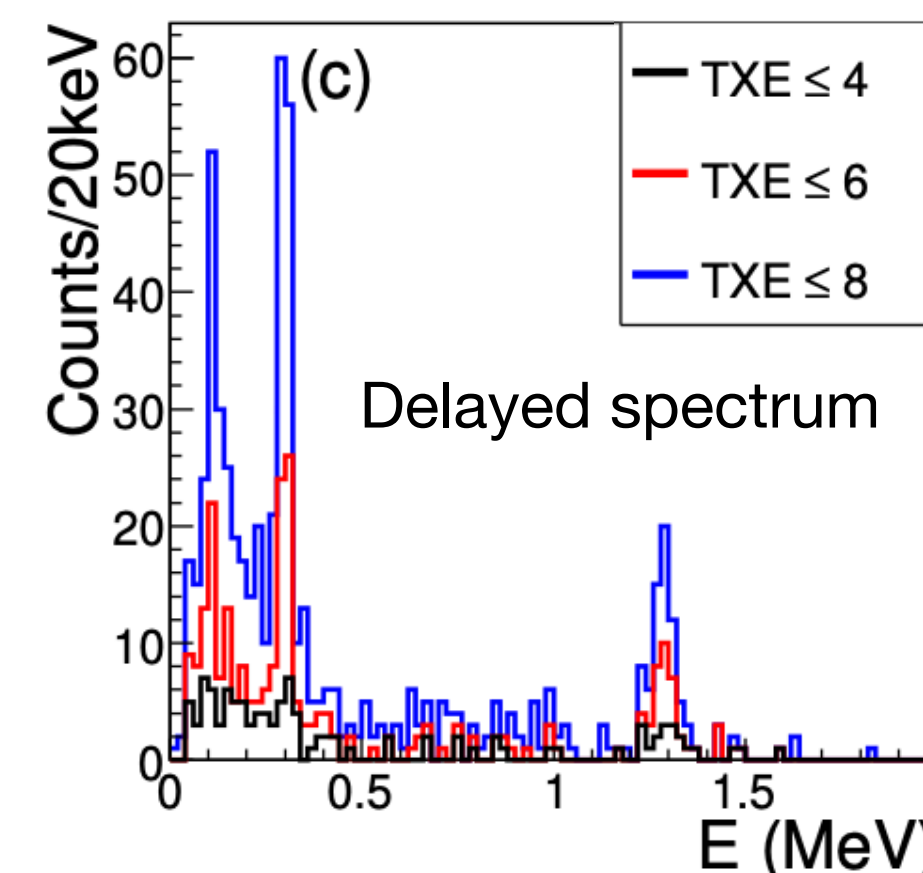
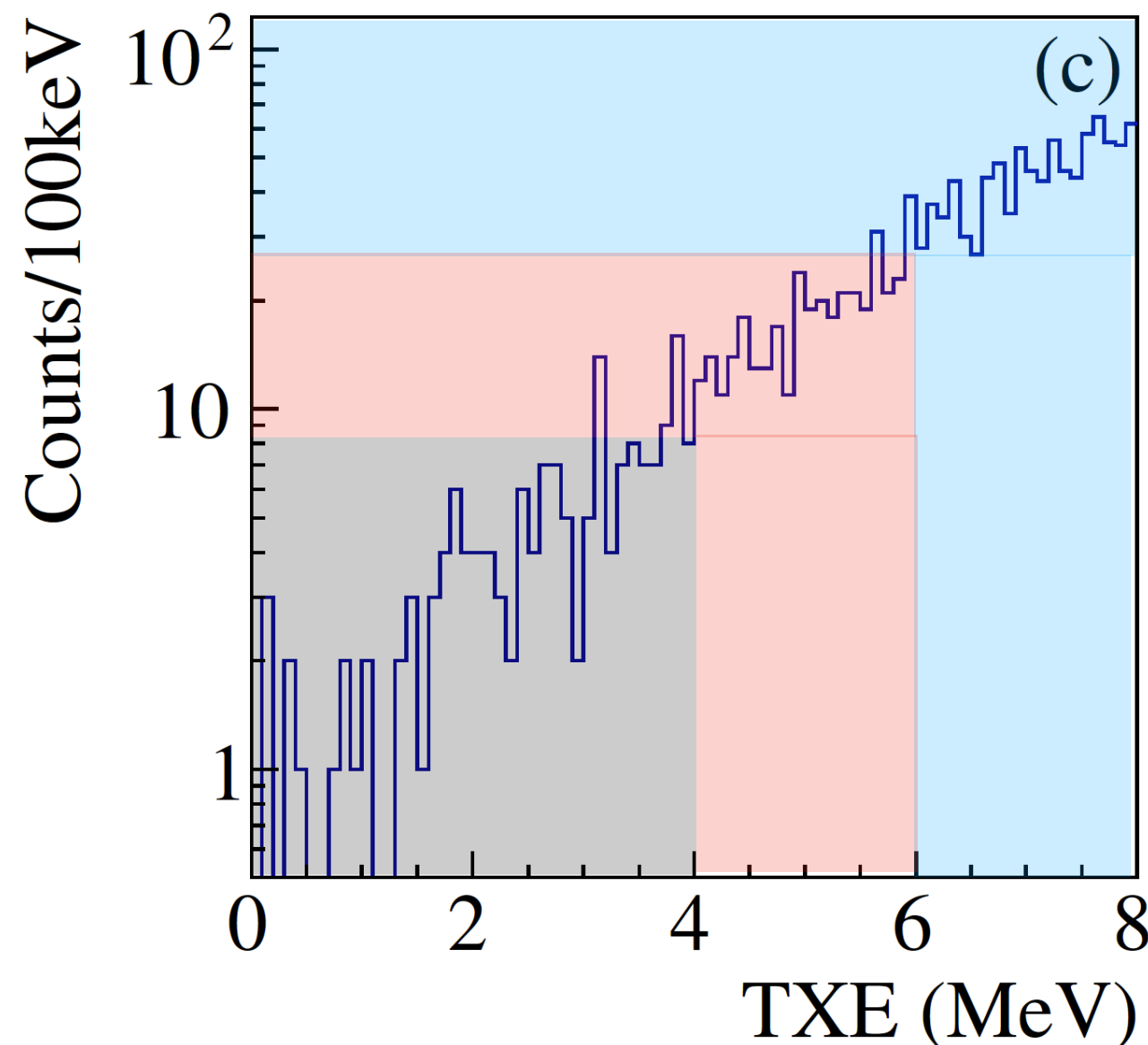
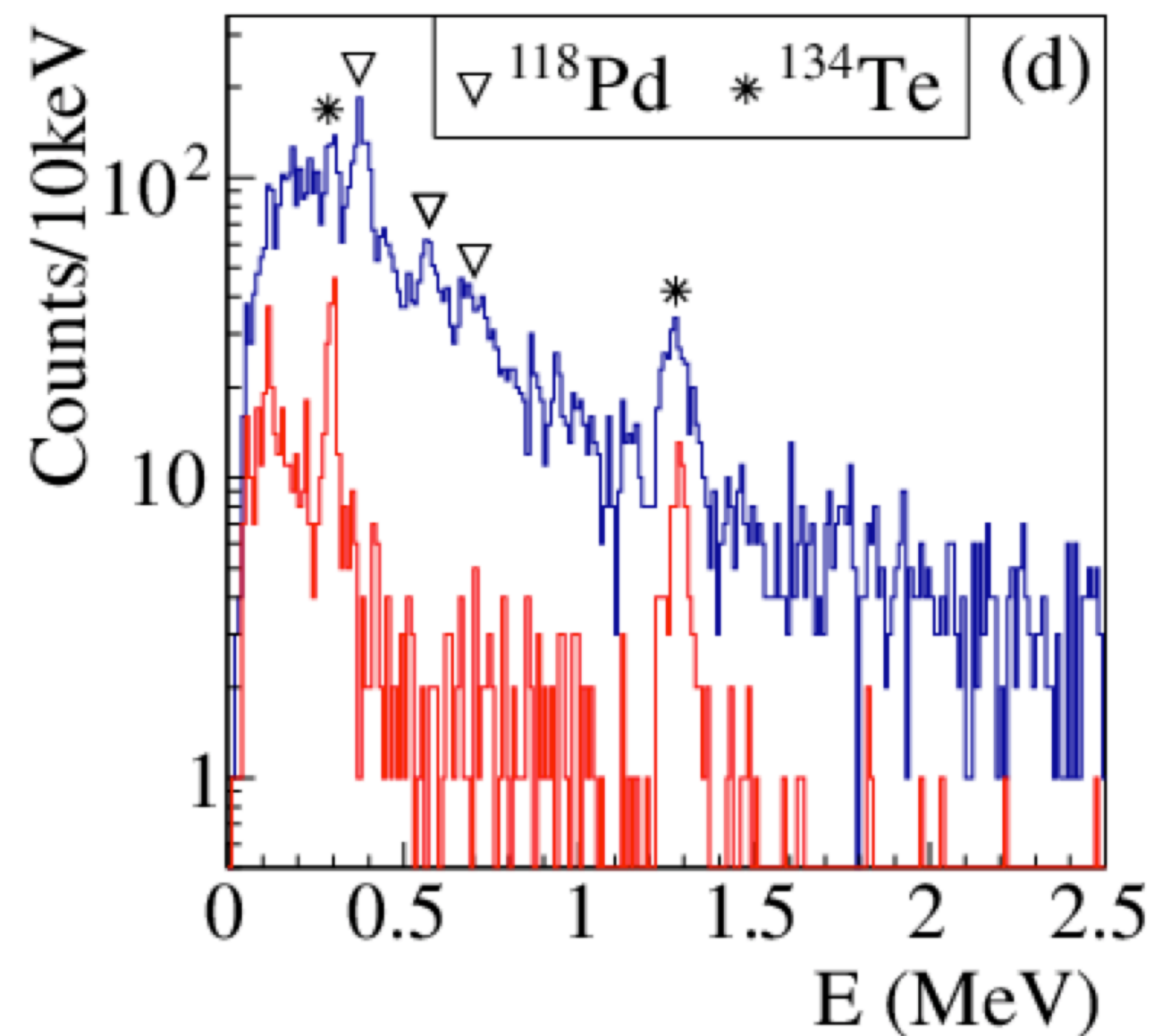
Which TXE sharing between the fragments and which AM distributions provide the best description of these properties?



# Measured properties to reproduce



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- $\text{TXE} = E_x^H + E_X^L$

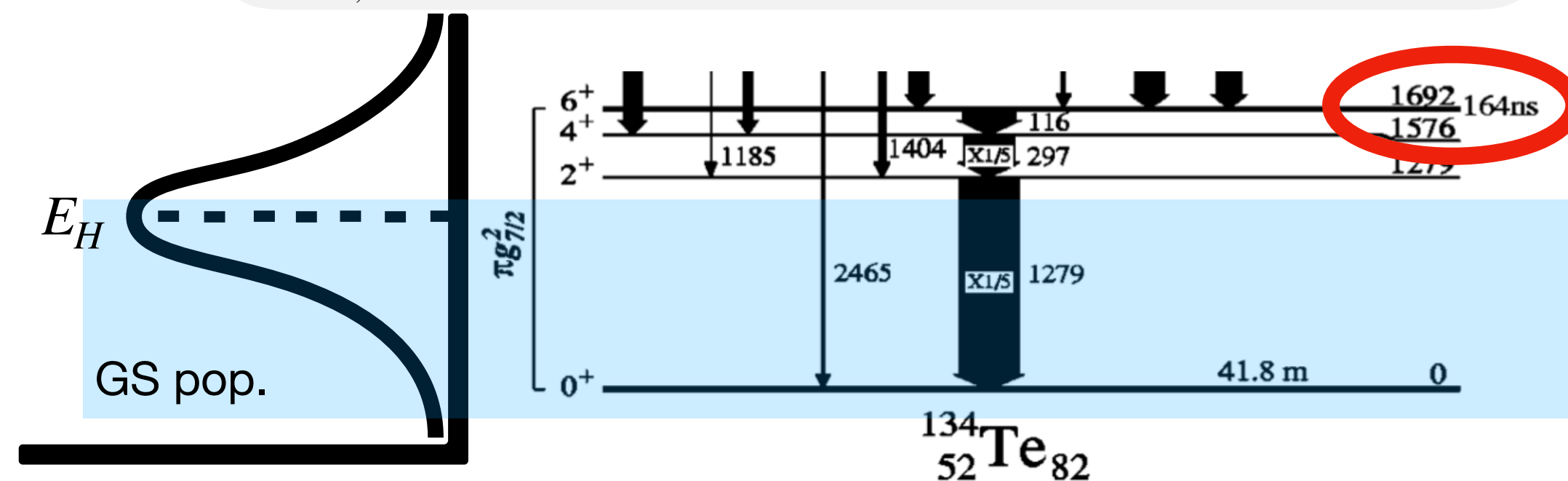
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Assumption :

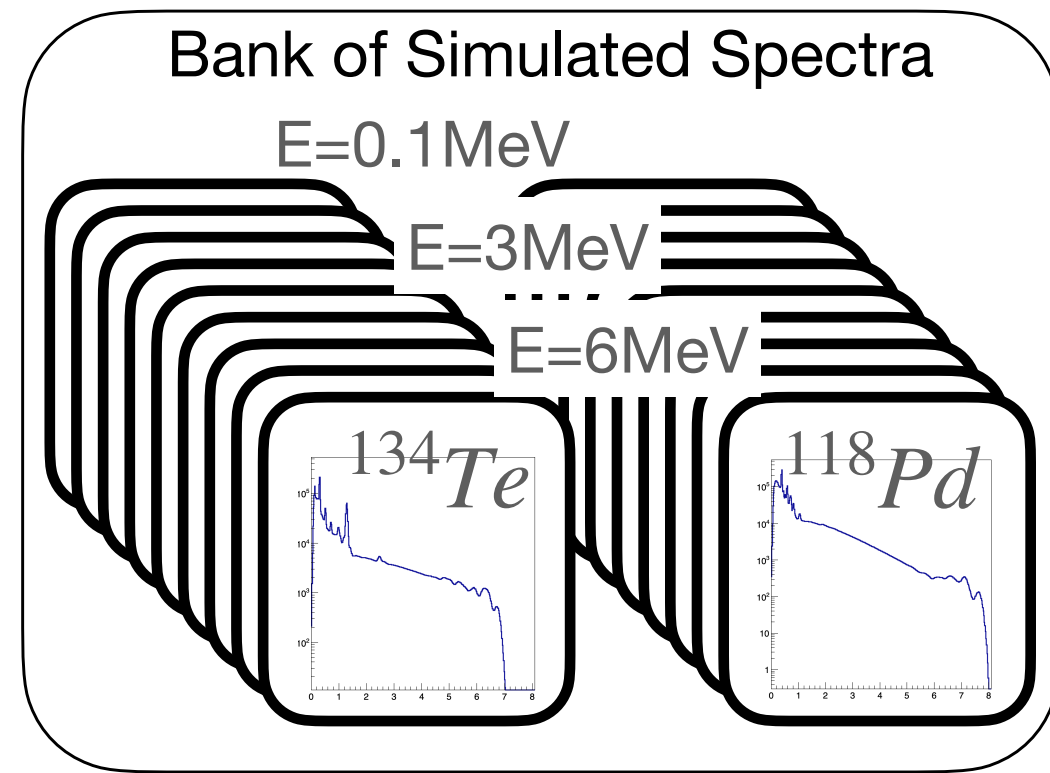
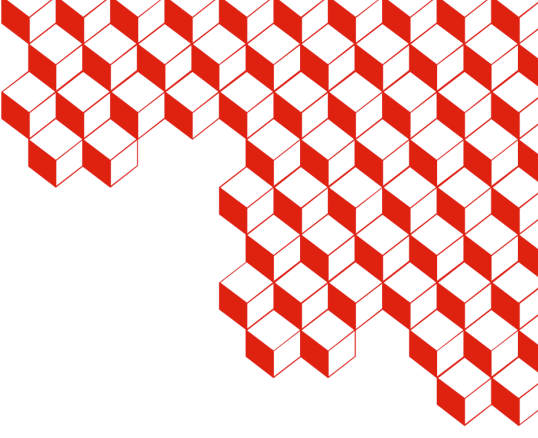
$$E_{L,H}^* \propto e^{-\left(\frac{[x - E_{L,H}(TXE)]^2}{2\sigma^2}\right)} \text{ with } E_{L,H} = f(TXE) \text{ and } \sigma = cst$$



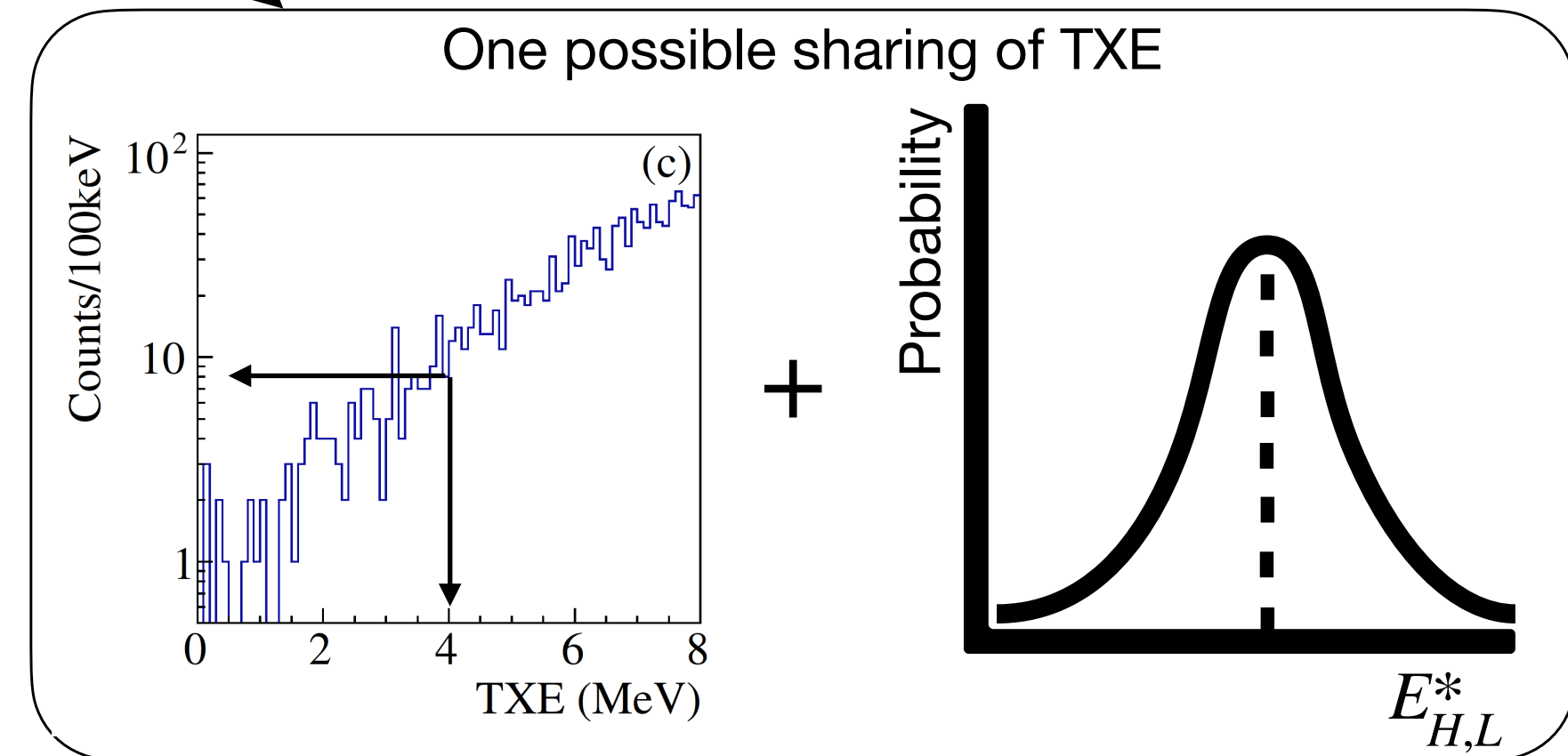
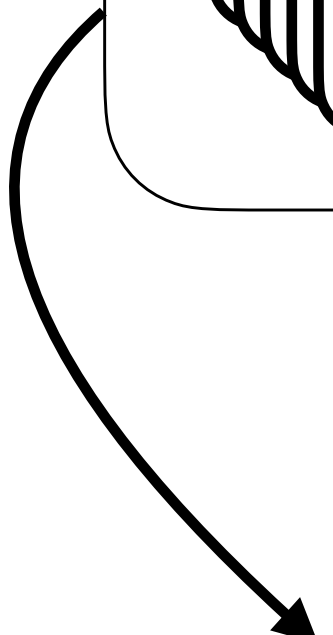
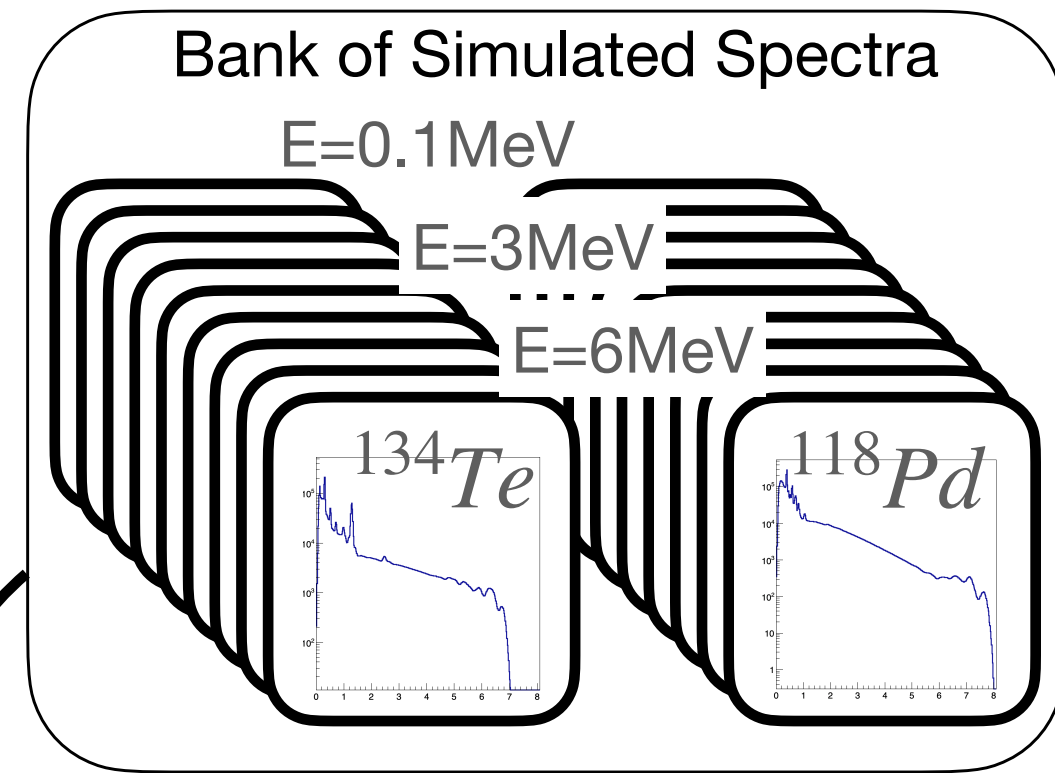
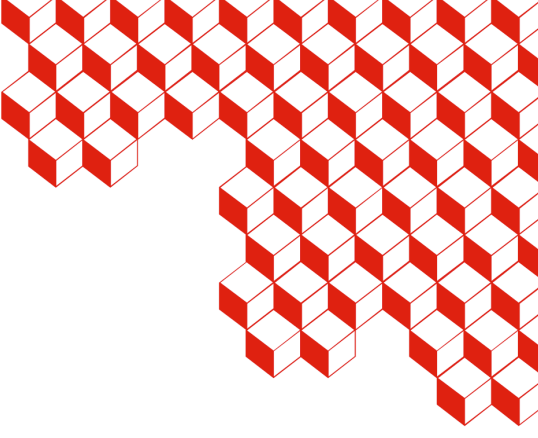
Which TXE sharing between the fragments and which AM distributions provide the best description of these properties?

$\Rightarrow$  Natural explanation for experimental observations if  $E_H \approx 0$  MeV and  $\sigma \approx E(6_1^+)$

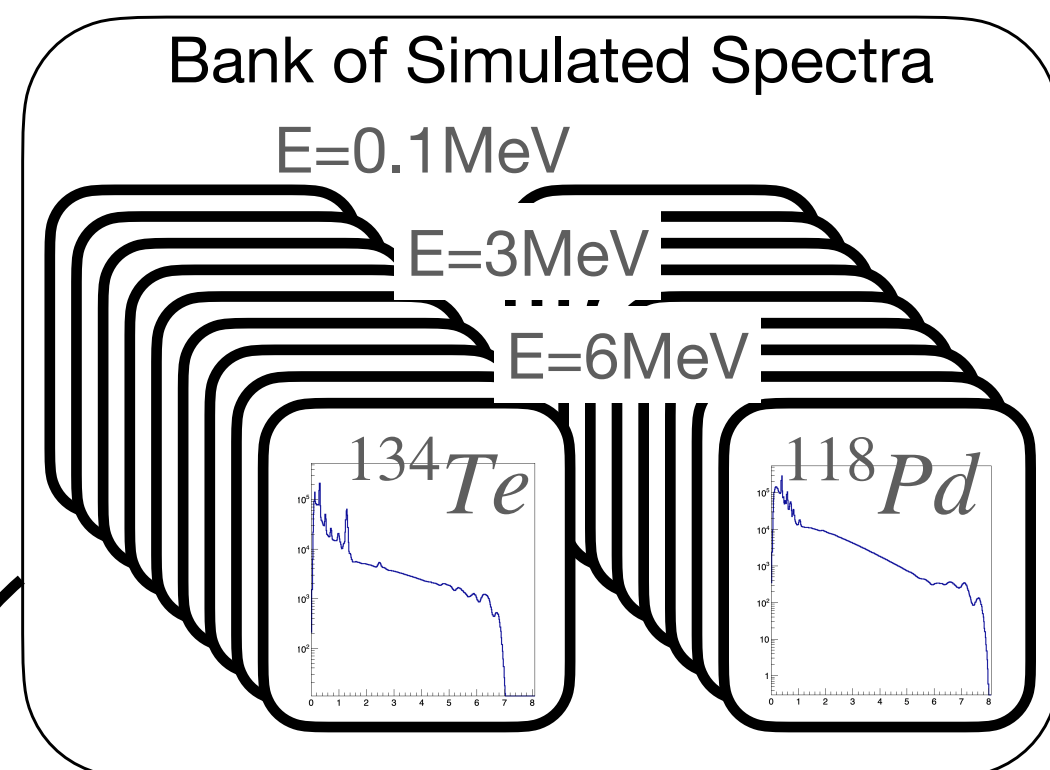
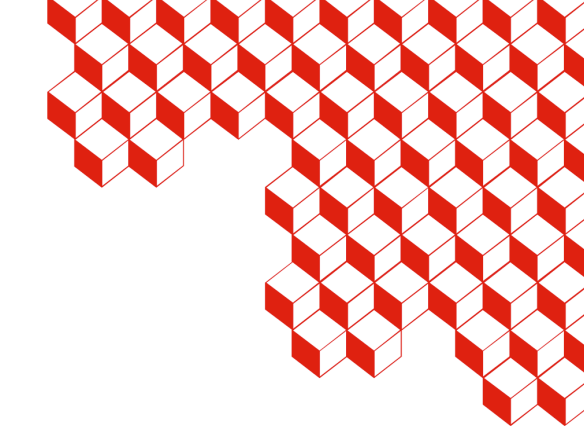
# Optimization Strategy



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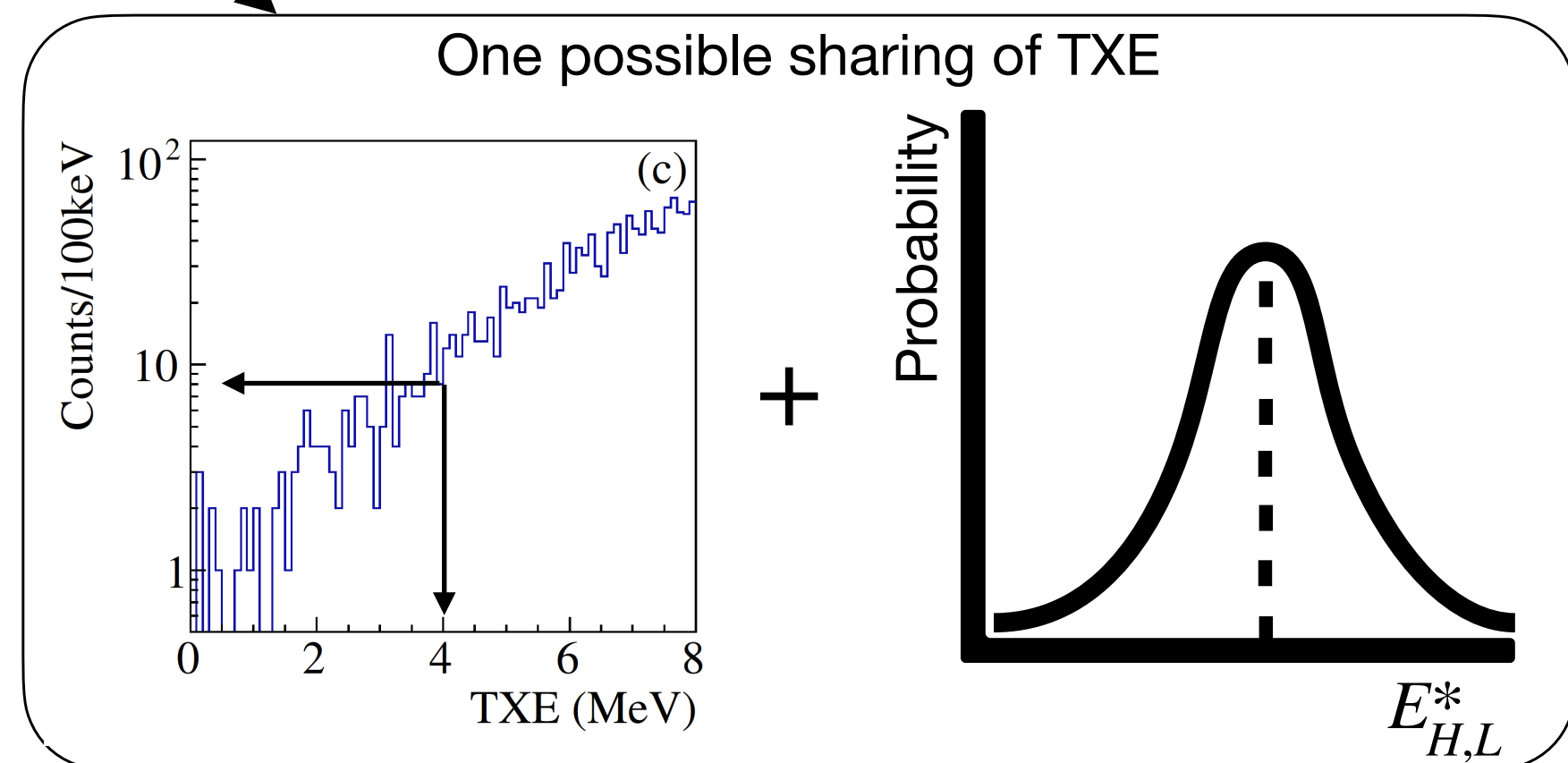
Genetic Evolution of Population of Solutions

Genetic Code :  
TXE sharing

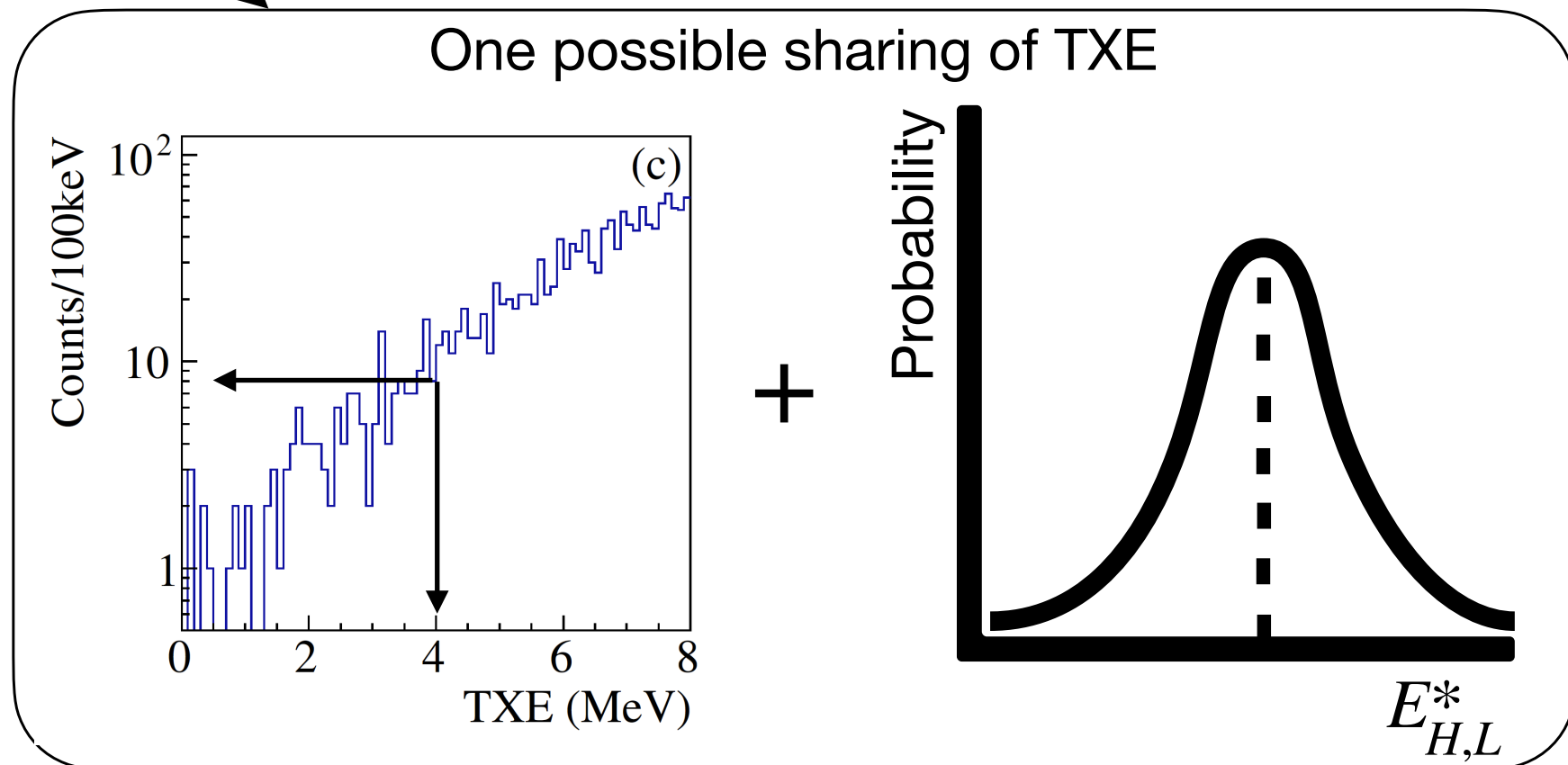
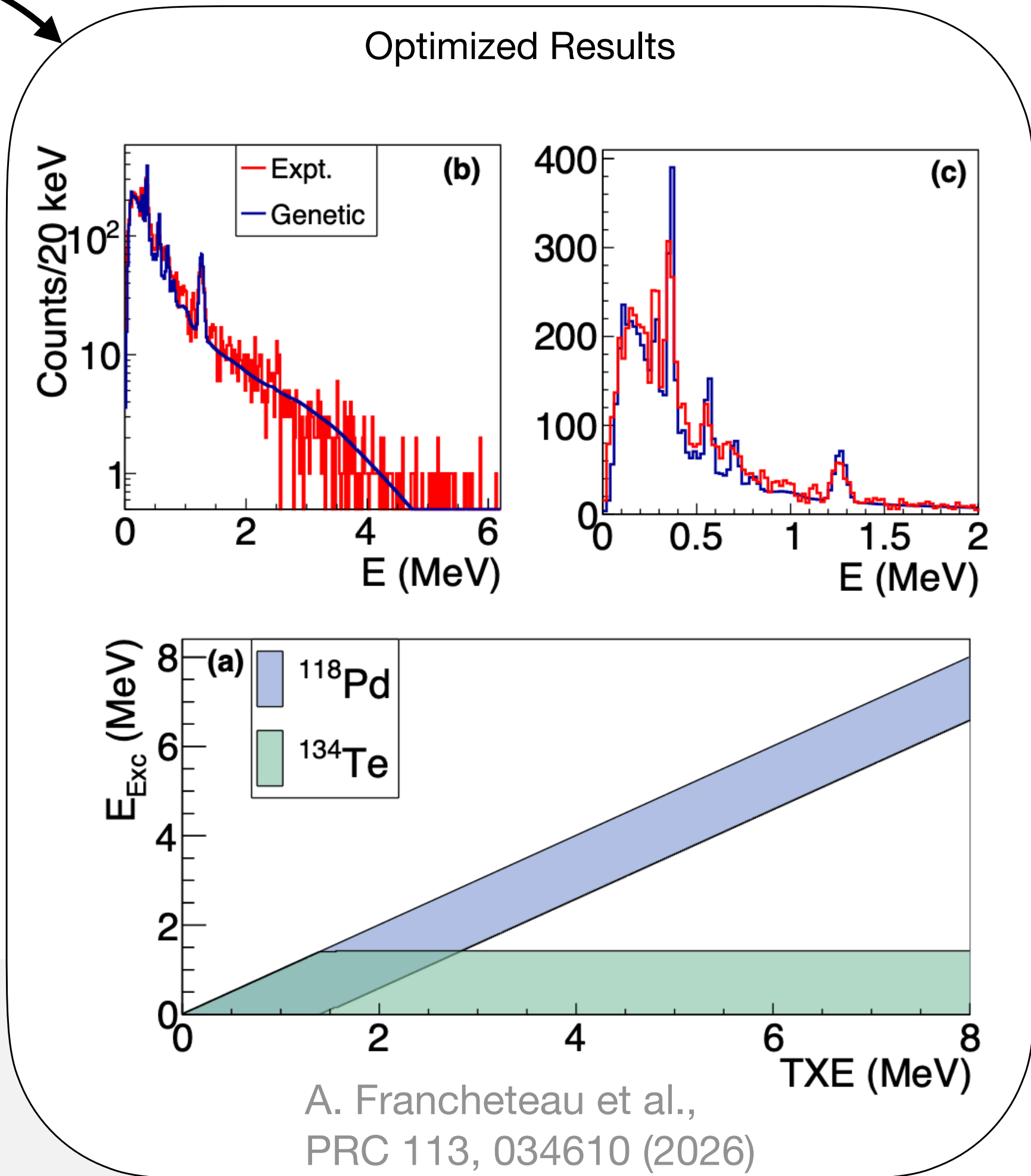
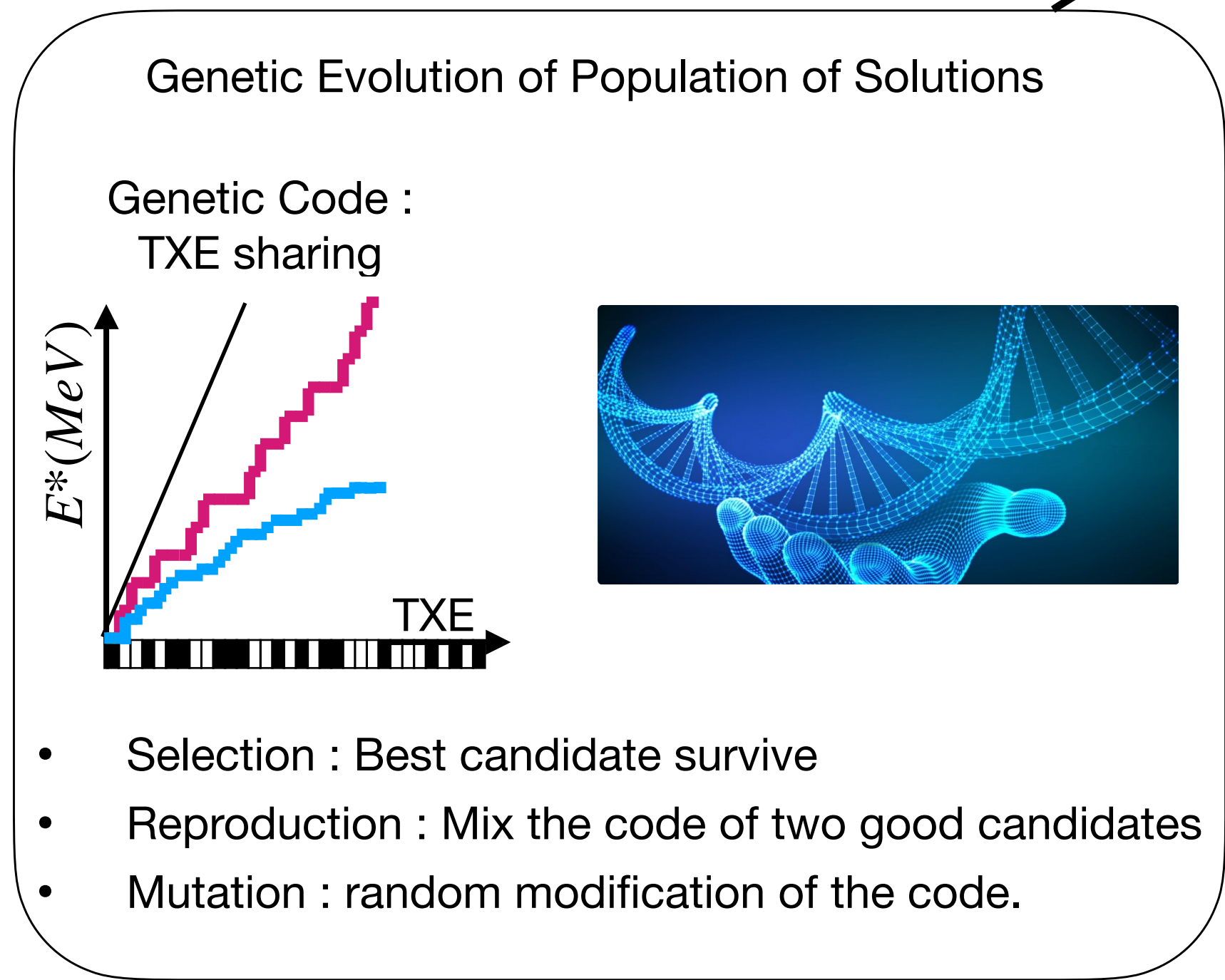
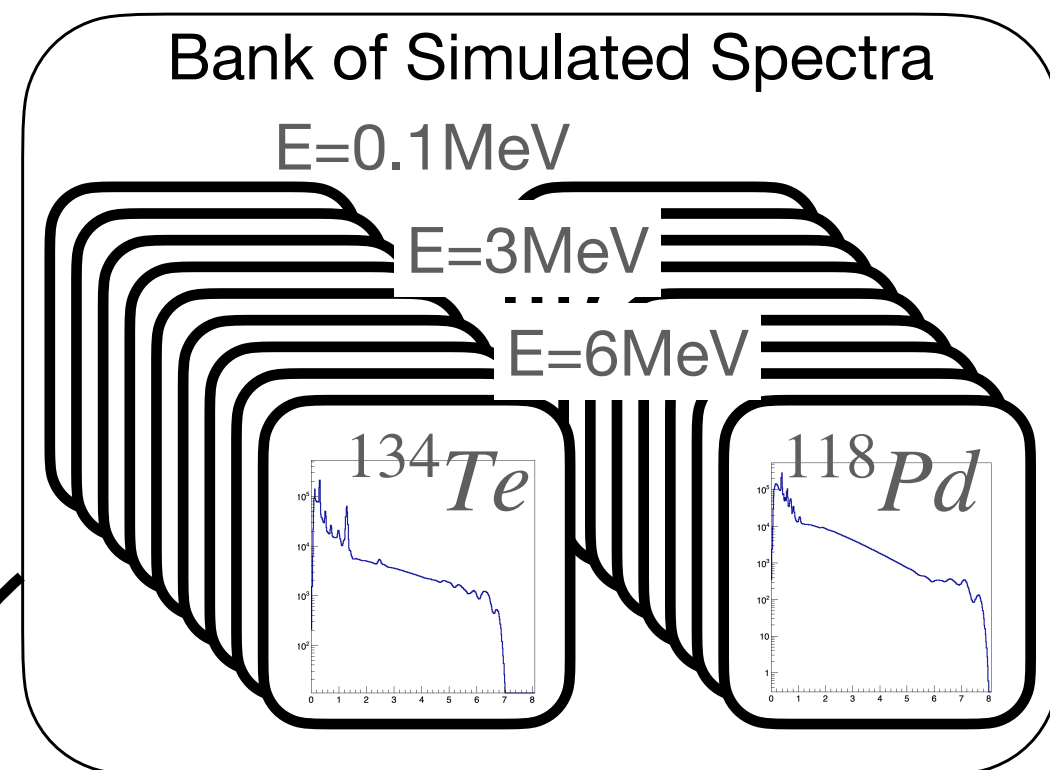
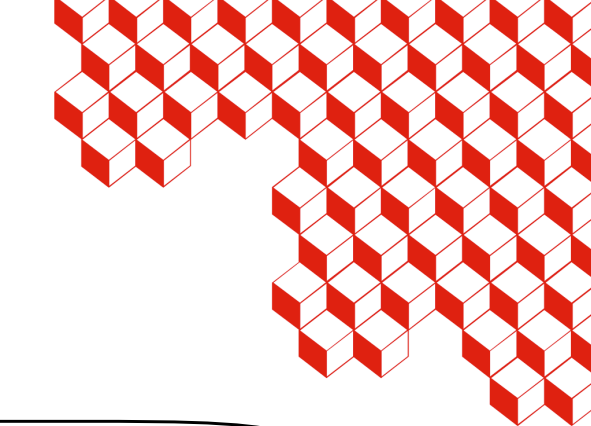
$E^*(\text{MeV})$

TXE

- **Selection** : Best candidate survive
- **Crossover** : Mix the code of two good candidates
- **Mutation** : random modification of the code.

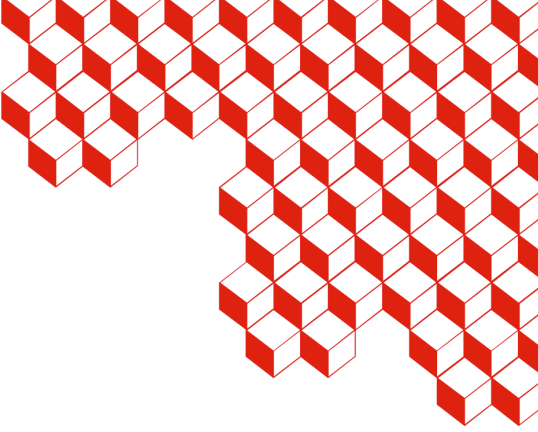


# Optimization Strategy



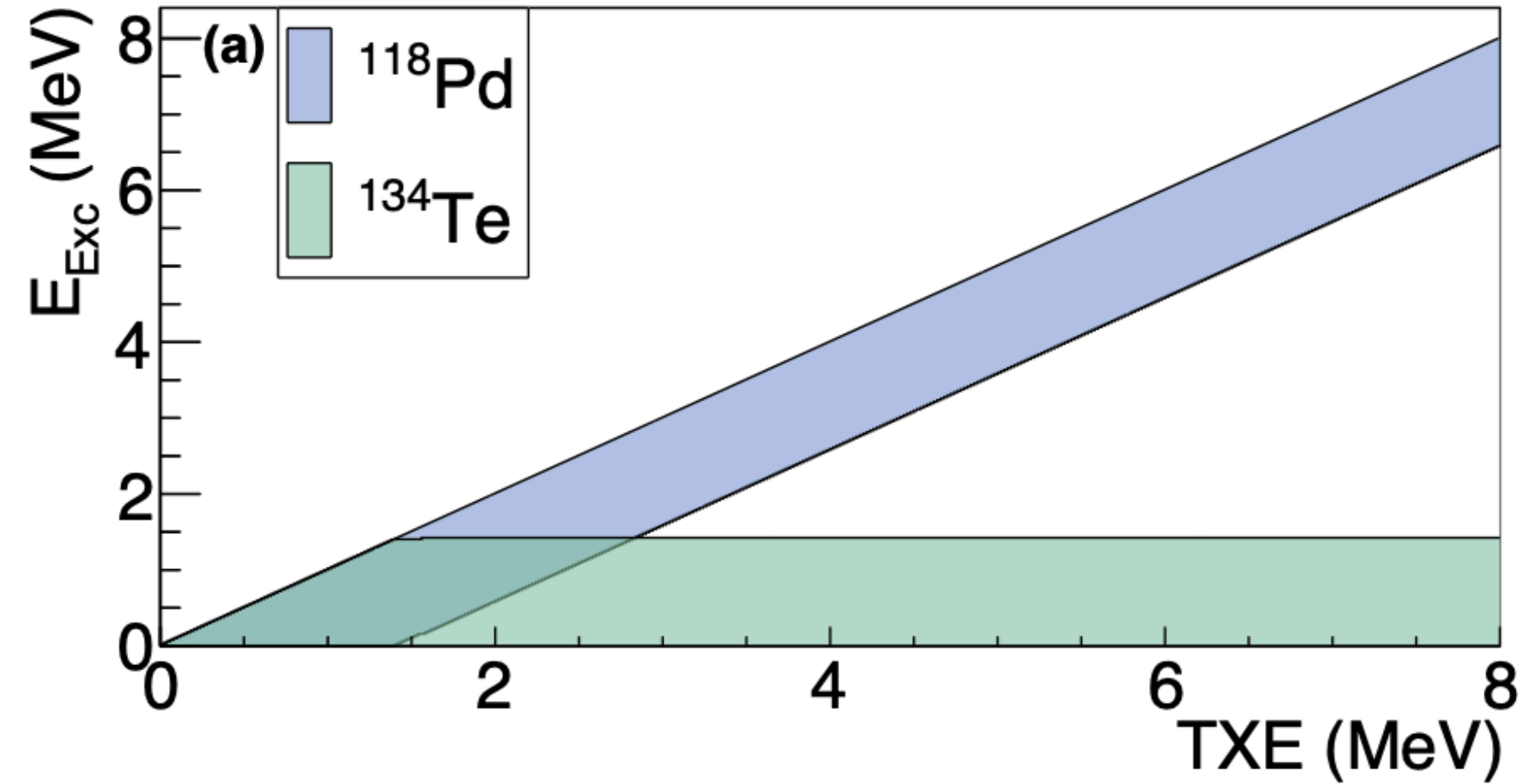
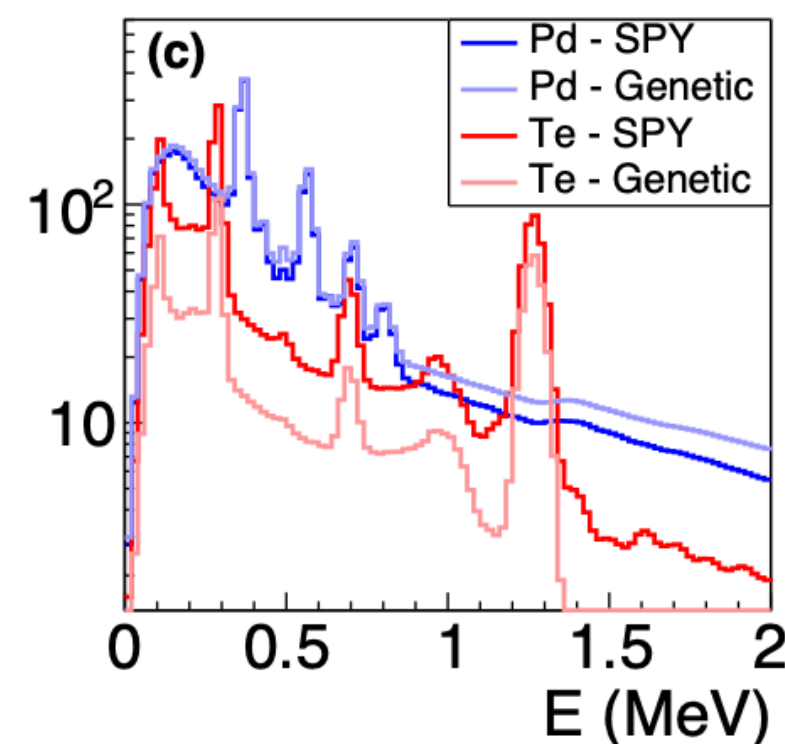
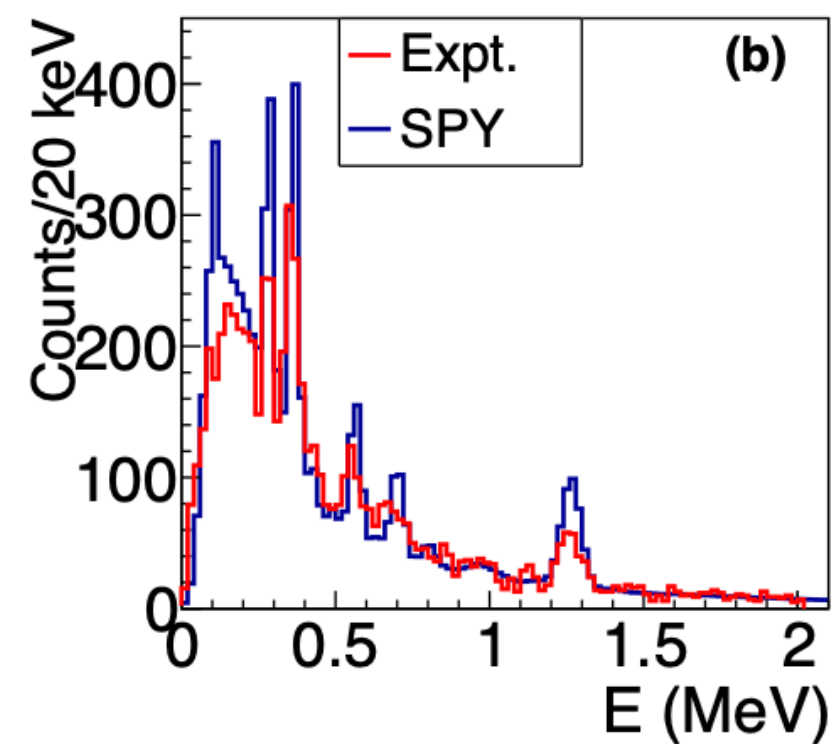
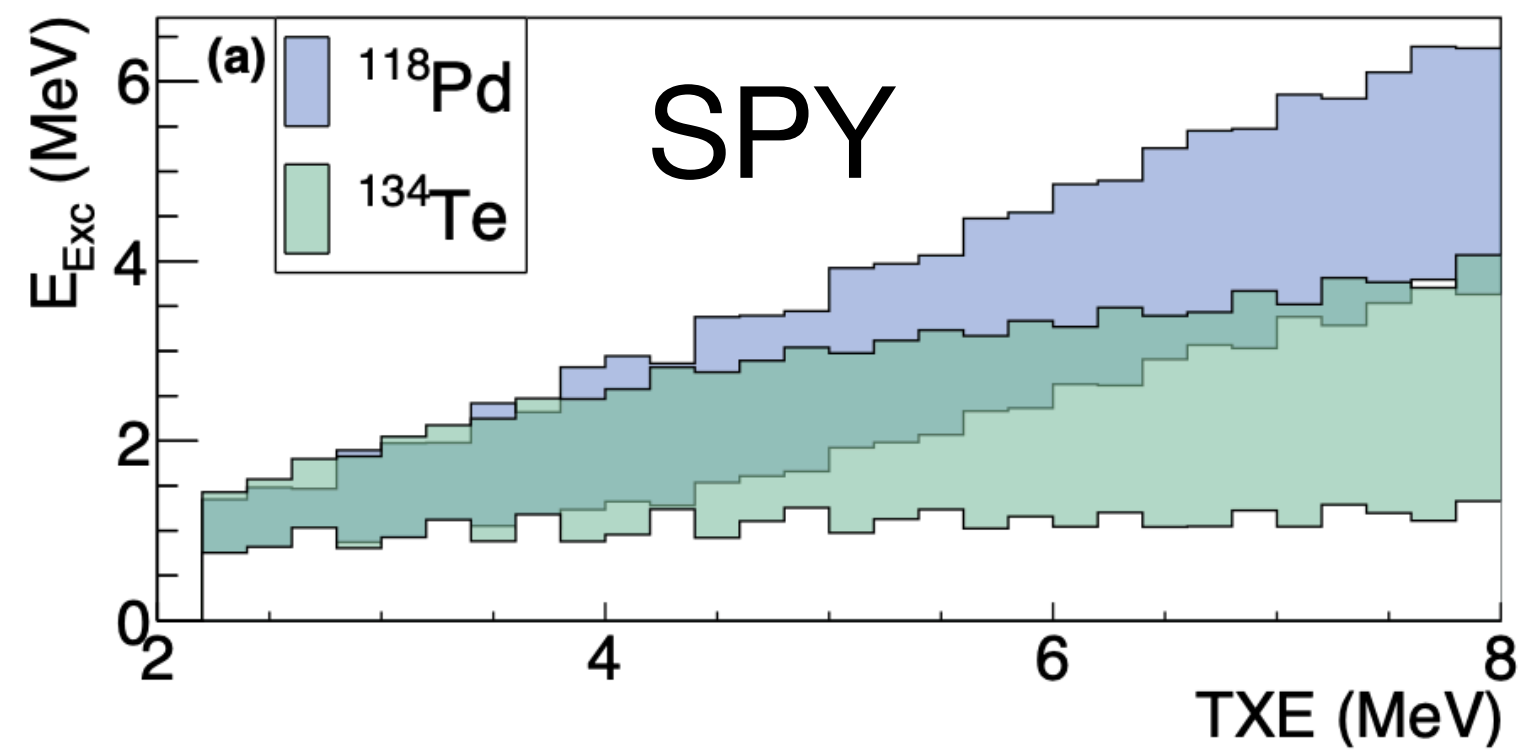
1.  $^{134}\text{Te}$  weakly excited  
 $\Rightarrow I(GS) \approx 50\%$
2.  $\sigma \approx 1.3$  MeV  
 $\Rightarrow I(6_1^+) \approx 15\% + \text{indep. TXE}$
3. Spin cutoff  $B^{\text{Te}} \sim 3\hbar$  and  $B^{\text{Pd}} \sim 4.5\hbar$   
 $\Rightarrow \text{Global normalisation} + I(2_1^+) \text{ and } I(4_1^+)$

# Comparison with SPY



SPY, a microscopic scission-point model, taking into account pairing, shell effect and deformation

J.-F. Lemaître et al., PRC 99, 034612 (2019)



SPY : too much  $E^*$  in  $^{134}\text{Te}$ .

$^{118}\text{Pd}$  :

- $\text{SPY} \Rightarrow \beta_L \approx 0.04$
- Orientation-pumping mechanism  $\Rightarrow \beta_L \approx 0.4$   
[see PRL 132, 142501 (2024)]

**At fixed TXE :**

- Lower  $\beta_L \leftrightarrow$  lower  $E_L^*$
- Lower  $E_L^* \leftrightarrow$  higher  $E_H^*$ , since  $(E_H^* = \text{TXE} - E_L^*)$

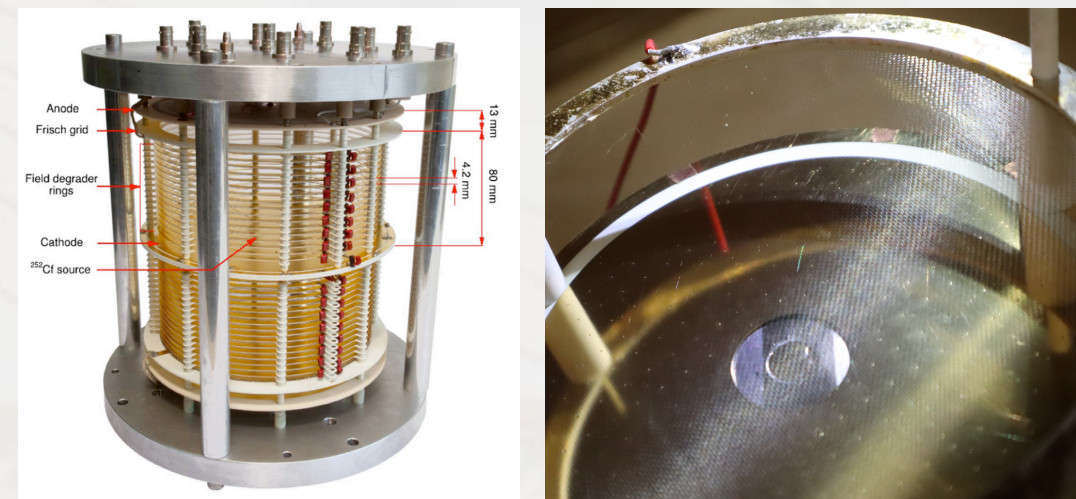
$\Rightarrow$  SPY underestimates  $\beta_{Pd}$ .

$\Rightarrow$  Indirect confirmation of the O-P mechanism.

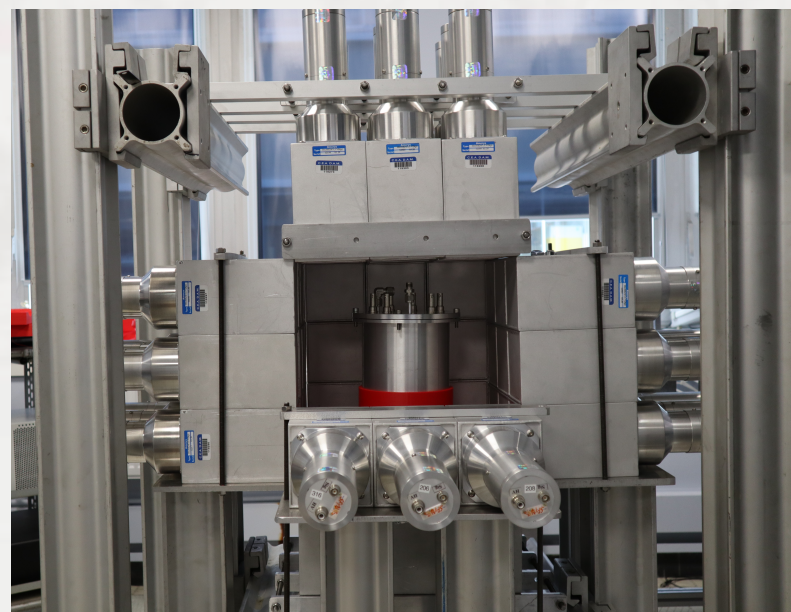
# Fission Dynamics 2026

May 11-15, 2026  
Chongqing - China

## Fission Fragments' Properties from the Neutronless Channel in $^{252}\text{Cf}(sf)$



Simple TKE selection for efficient fragment ID.  
Access to TXE distribution.  
Coincident  $\gamma$ -ray spectrum.



A relatively simple experimental setup  
(challenge = spectroscopic source)

Radiative decay of Neutronless fragmentation.  
 $^{120}\text{Cd}/^{132}\text{Sn}$  : doubly magic nucleus in its GS.  
 $^{118}\text{Pd}/^{134}\text{Te}$  : both fragments excited.

Reproducing the data :

Test the angular momentum distribution of the fragments.

Orientation/pumping mechanism provides satisfactory agreement with data.

⇒ Indirect info on deformation of fragments.

Sharing of TXE between fragments.

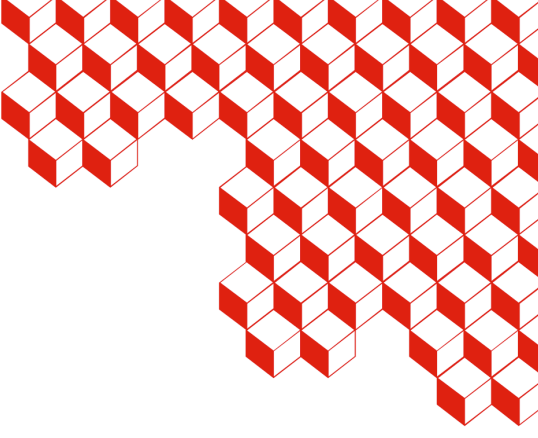
⇒ Distributed among fragments.

⇒ Sizable width of the distribution.

⇒ Test of models : SPY fails to reproduce our data - underestimation of deformation.



# Comparison with Standard fission



- For  $^{252}\text{Cf}$  standard fission J.N. Wilson et al. Nature 590, 566 (2021) :

$$B^{Te} \sim 2.9\hbar \text{ similar to our } B^{Te} \sim 3\hbar \Rightarrow \text{Ratio} \approx 1.0$$

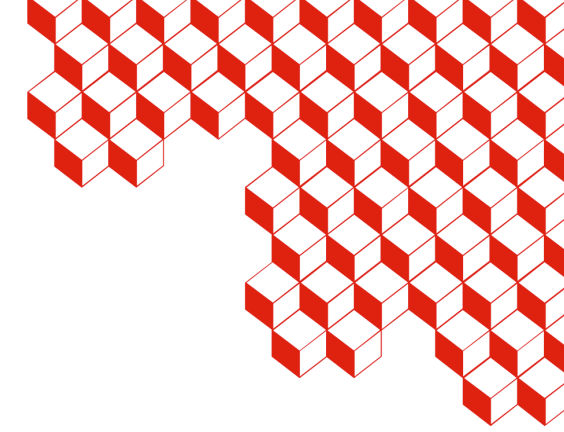
$$B^{Pd} \sim 6\hbar \text{ larger than our } B^{Pd} \sim 4.5\hbar \Rightarrow \text{Ratio} \approx 1.3$$

- Well accounted for by the relation  $B^2 \propto \mathcal{J} \frac{a}{\tilde{a}} T$

- Mean pre-neutron excitation energies

$$\text{Wilson et al. : } \bar{E}_x^{Te} \sim 12 \text{ MeV and } \bar{E}_x^{Pd} \sim 21 \text{ MeV (}\Leftarrow \text{ GEF)}$$

$$\text{Our work : } \bar{E}_x^{Te} \sim 0 \text{ MeV and } \bar{E}_x^{Pd} \sim 6 \text{ MeV}$$



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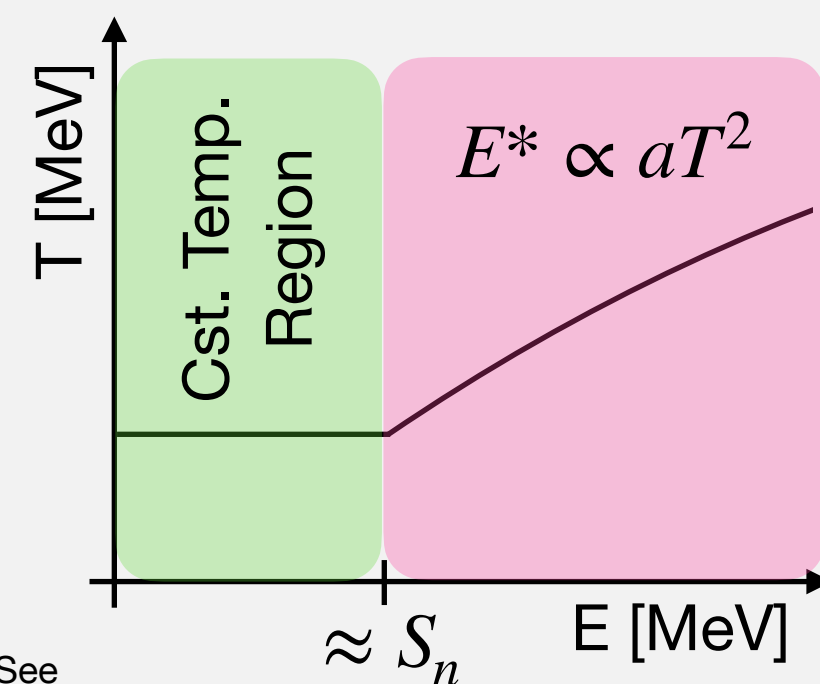
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- Using Talys to estimate nuclear Temperatures

$$\begin{aligned} \bar{E}_x^{\text{Te}} &\sim 12 \text{ MeV} \Rightarrow T^{\text{Te}} \sim 0.99 \text{ MeV} \\ \bar{E}_x^{\text{Te}} &\sim 0 \text{ MeV} \Rightarrow T^{\text{Te}} \sim 0.78 \text{ MeV} \end{aligned} \Rightarrow \text{Ratio} \approx 1.12$$

$$\begin{aligned} \bar{E}_x^{\text{Pd}} &\sim 21 \text{ MeV} \Rightarrow T^{\text{Pd}} \sim 1.1 \text{ MeV} \\ \bar{E}_x^{\text{Pd}} &\sim 6 \text{ MeV} \Rightarrow T^{\text{Pd}} \sim 0.58 \text{ MeV} \end{aligned} \Rightarrow \text{Ratio} \approx 1.38$$

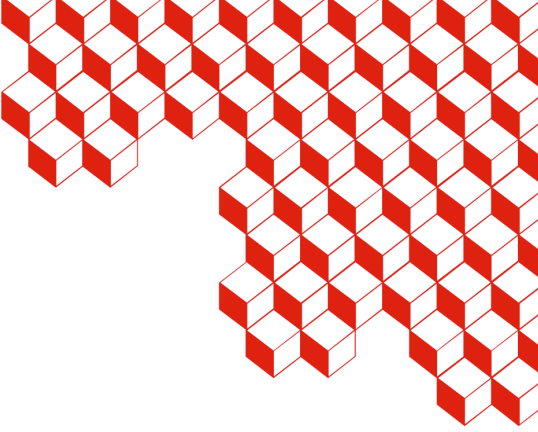
From excitation energy to Temperature



See

S. Goriely et al., PRC **106**, 044315 (2022)

V. Zelevinsky et al. PLB **783**, 428 (2018)



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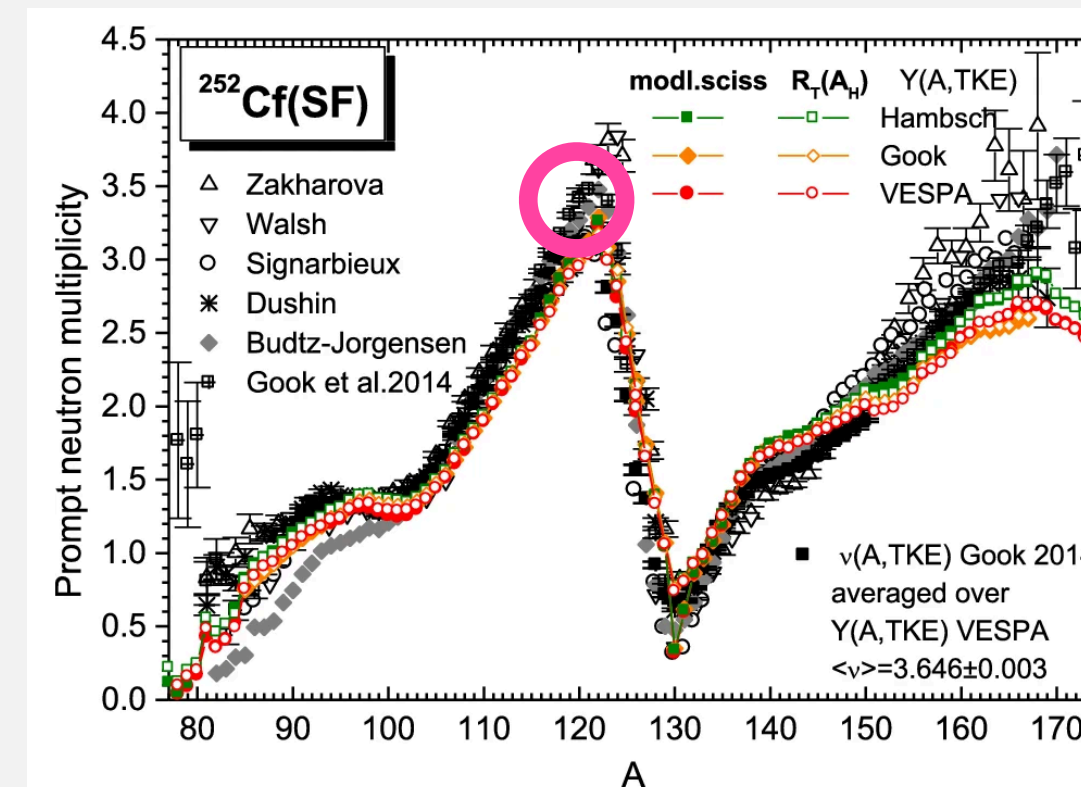
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Spin distribution differences explained without a third-party effect.

$\Rightarrow$  Neglect angular momentum removal by neutrons.

I. Stetcu et al., PRL **127**, 222502 (2021)



$^{118}\text{Pd}$  : The best place to see the effect if it exists.